

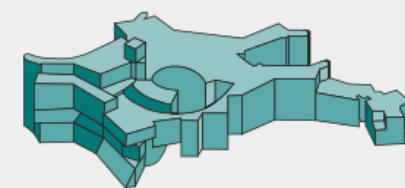
# The Windows and Walls of the Labyrinth

**Silvia Almada Monter**

**PhD Student**

**with Max Gronke**

MAX PLANCK INSTITUTE  
FOR ASTROPHYSICS



Escape of Lyman Radiation from  
Galactic Labyrinths, Crete, Greece,  
April 9th, 2025



# The Windows and Walls of the Labyrinth



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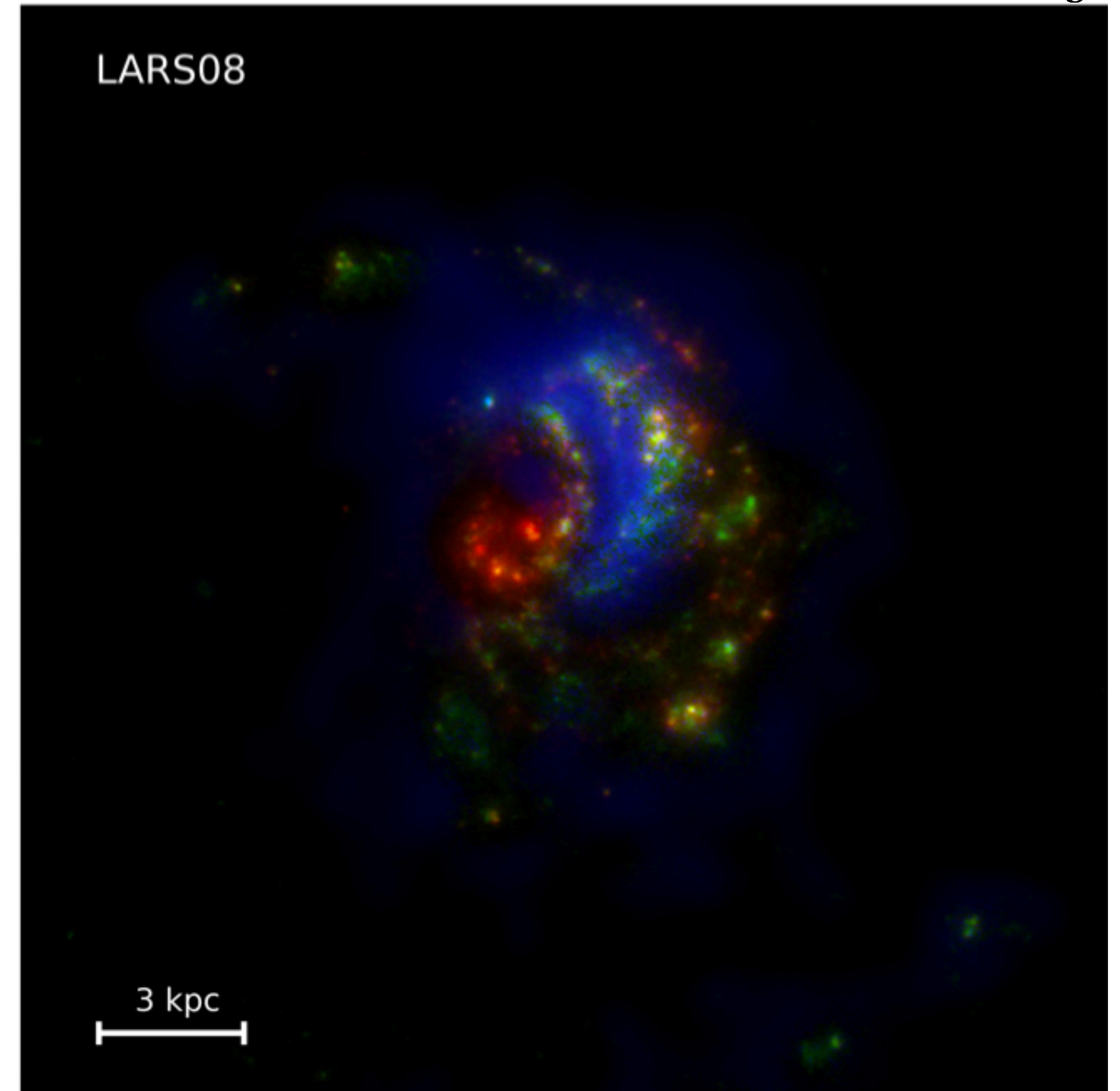




# The Windows and Walls of the **Labyrinth (?)**





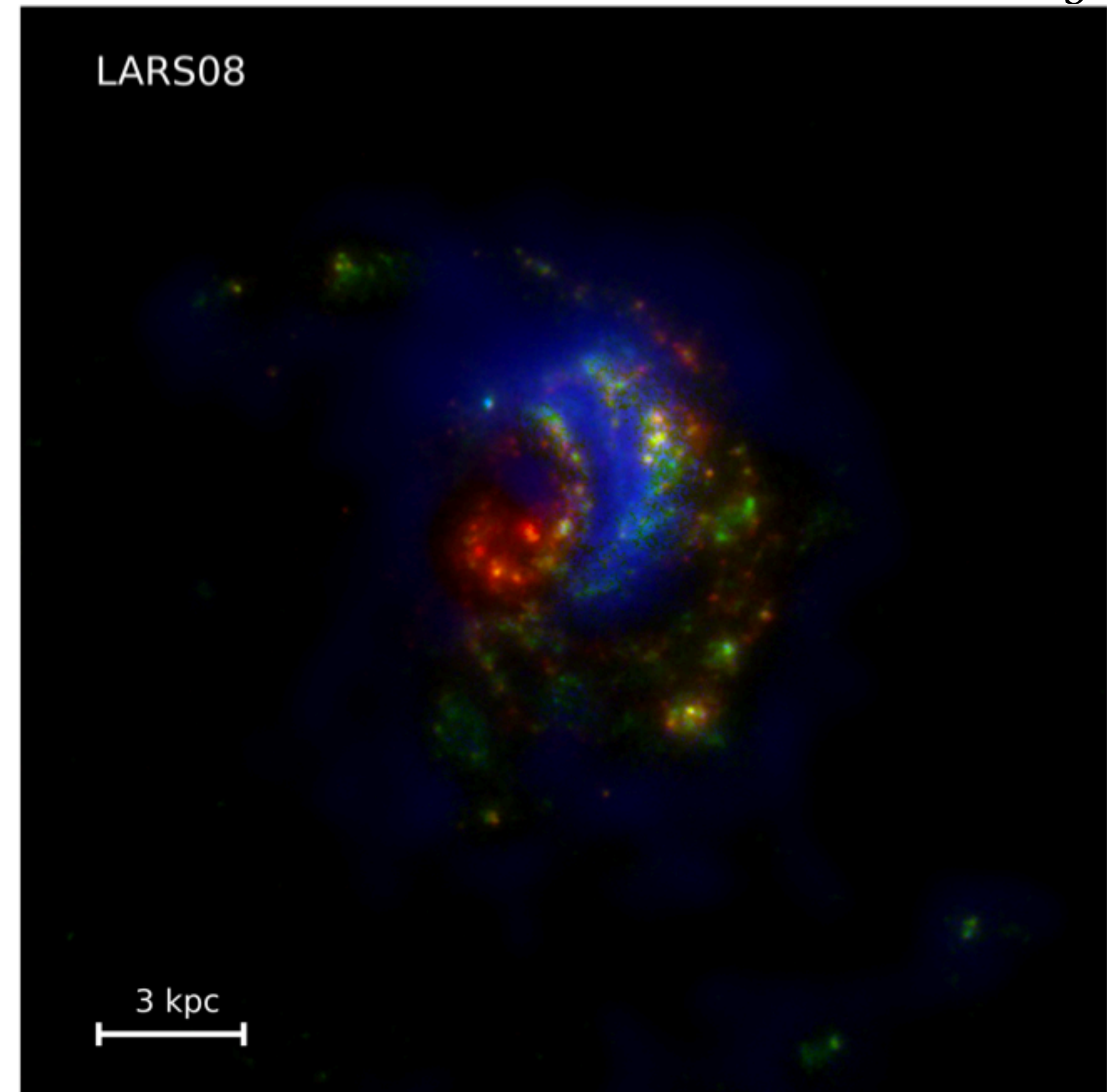






**There's a lot of data out there!**

But not a clear theoretical  
interpretation of Lyman  $\alpha$   
observables

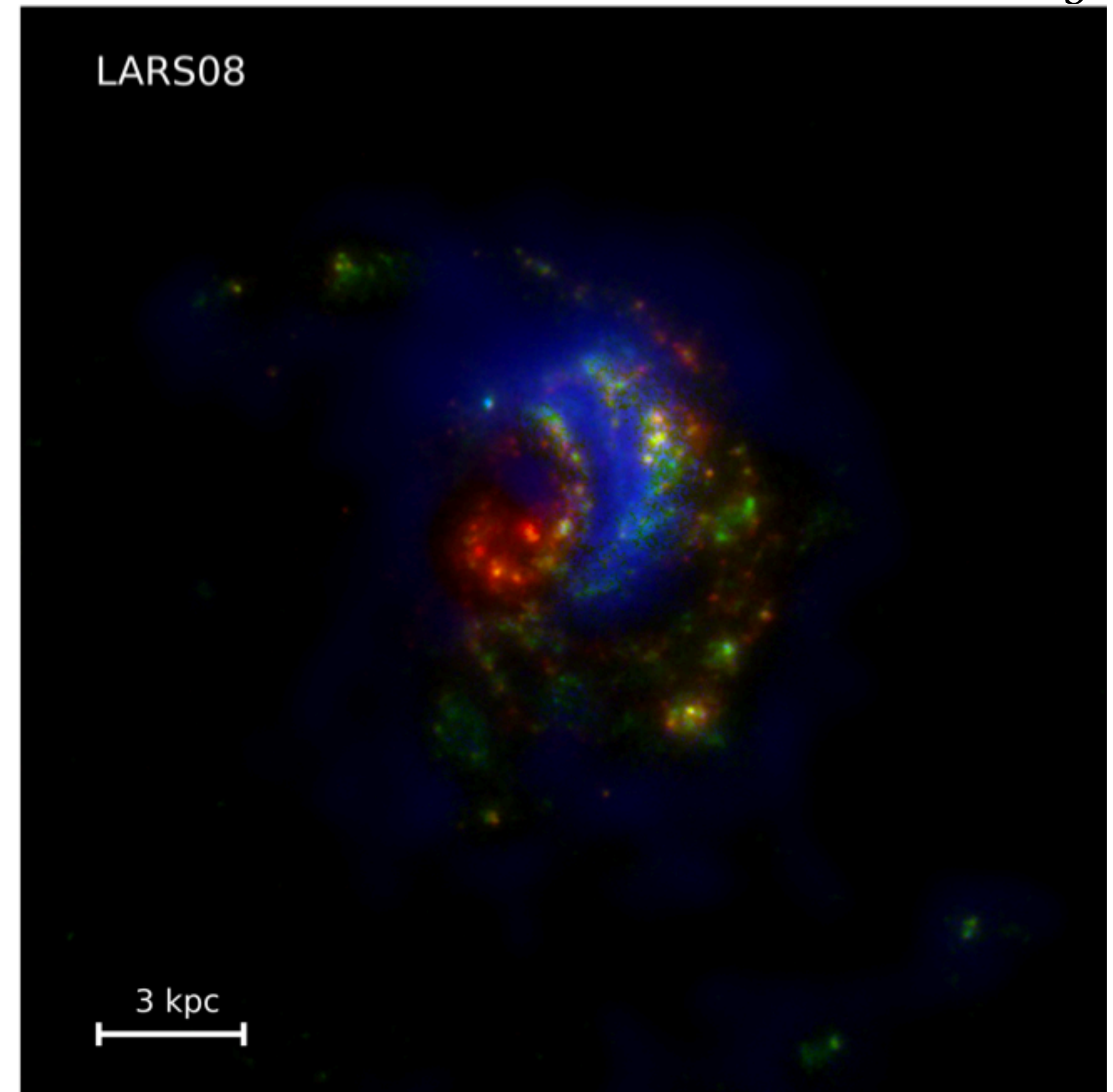




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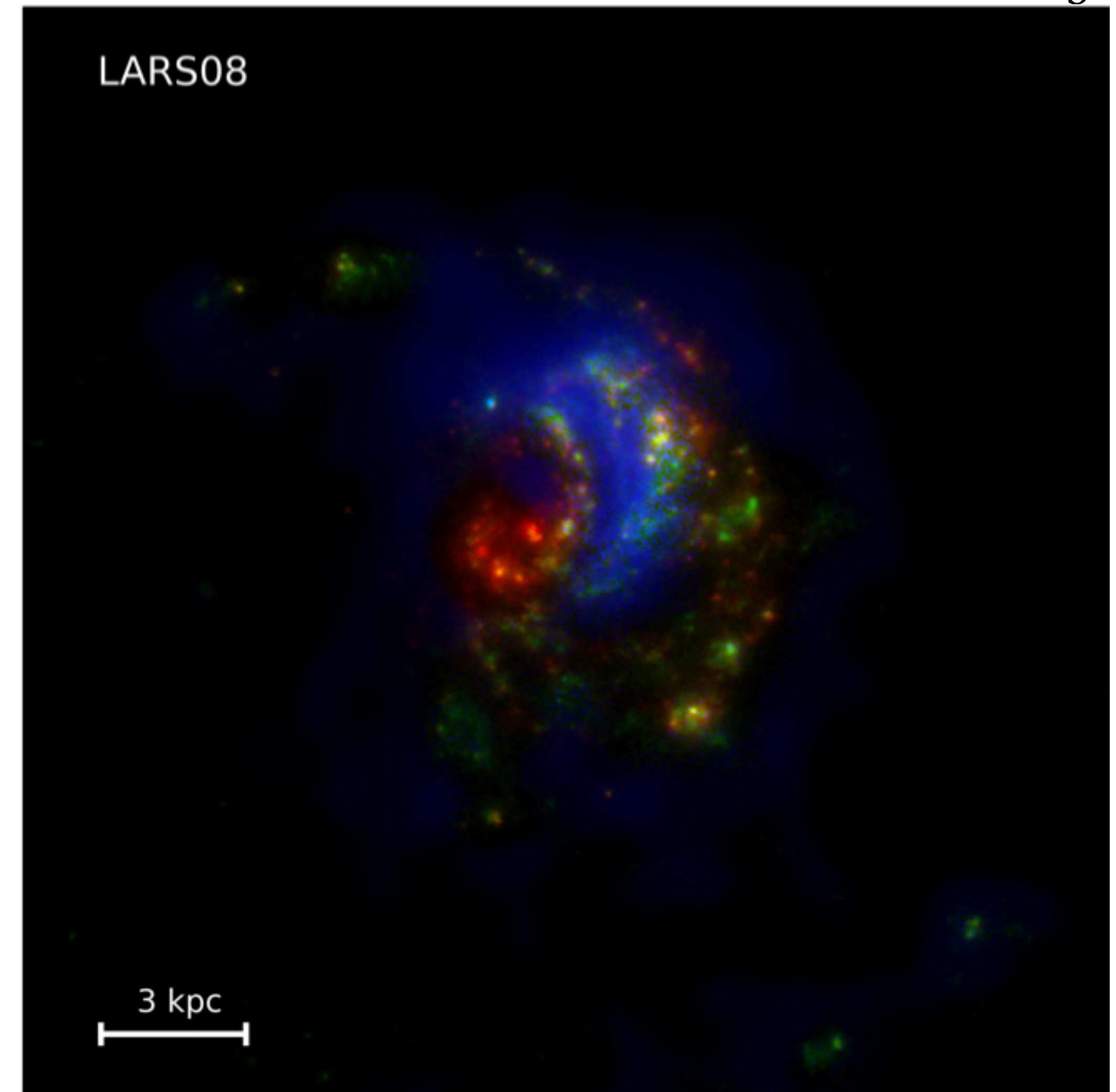




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**Astrophysical gas is anisotropic!**

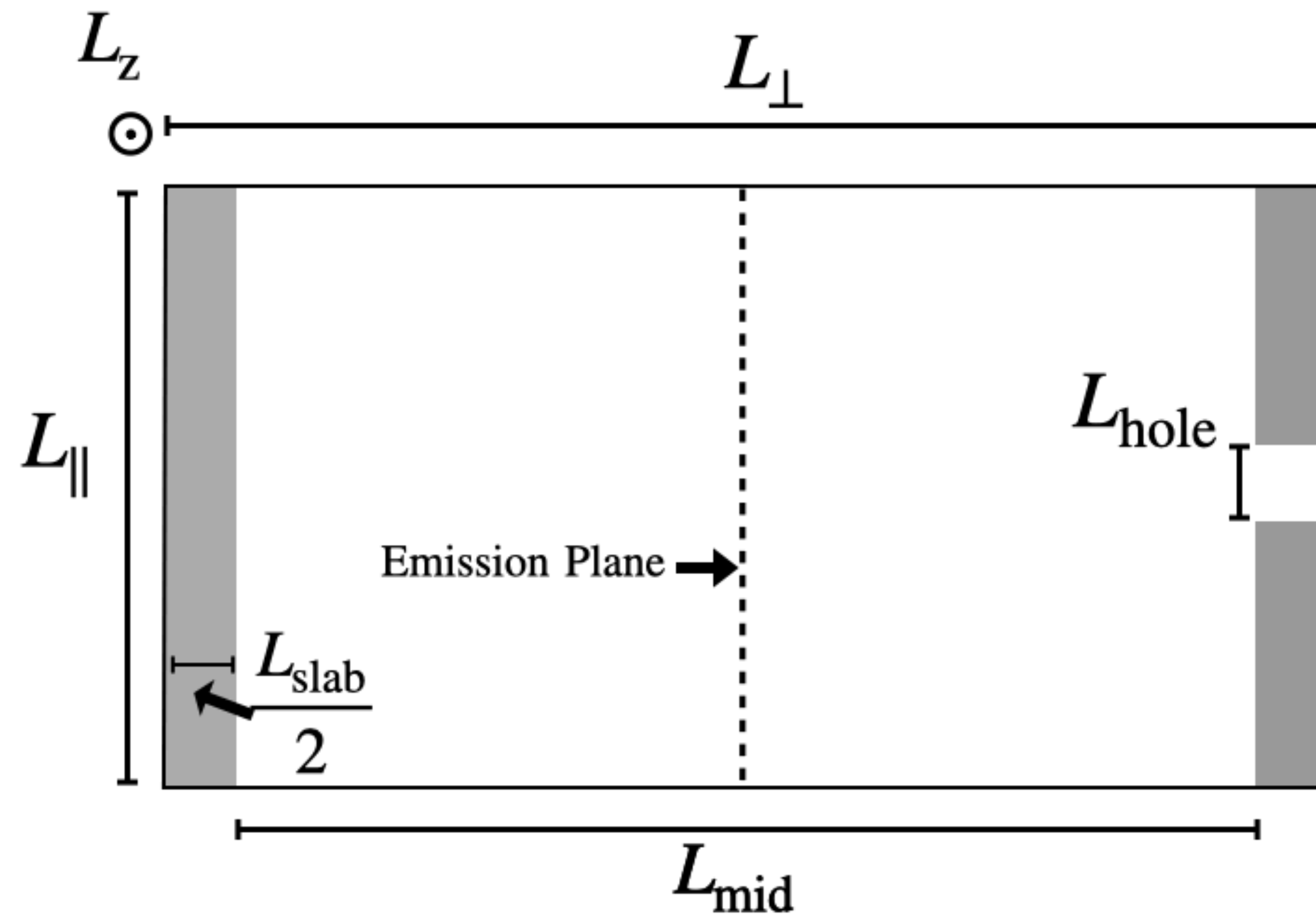




**Which gas do Ly $\alpha$  photons really probe?  
Which density?**

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Approach: simplified gas distribution  
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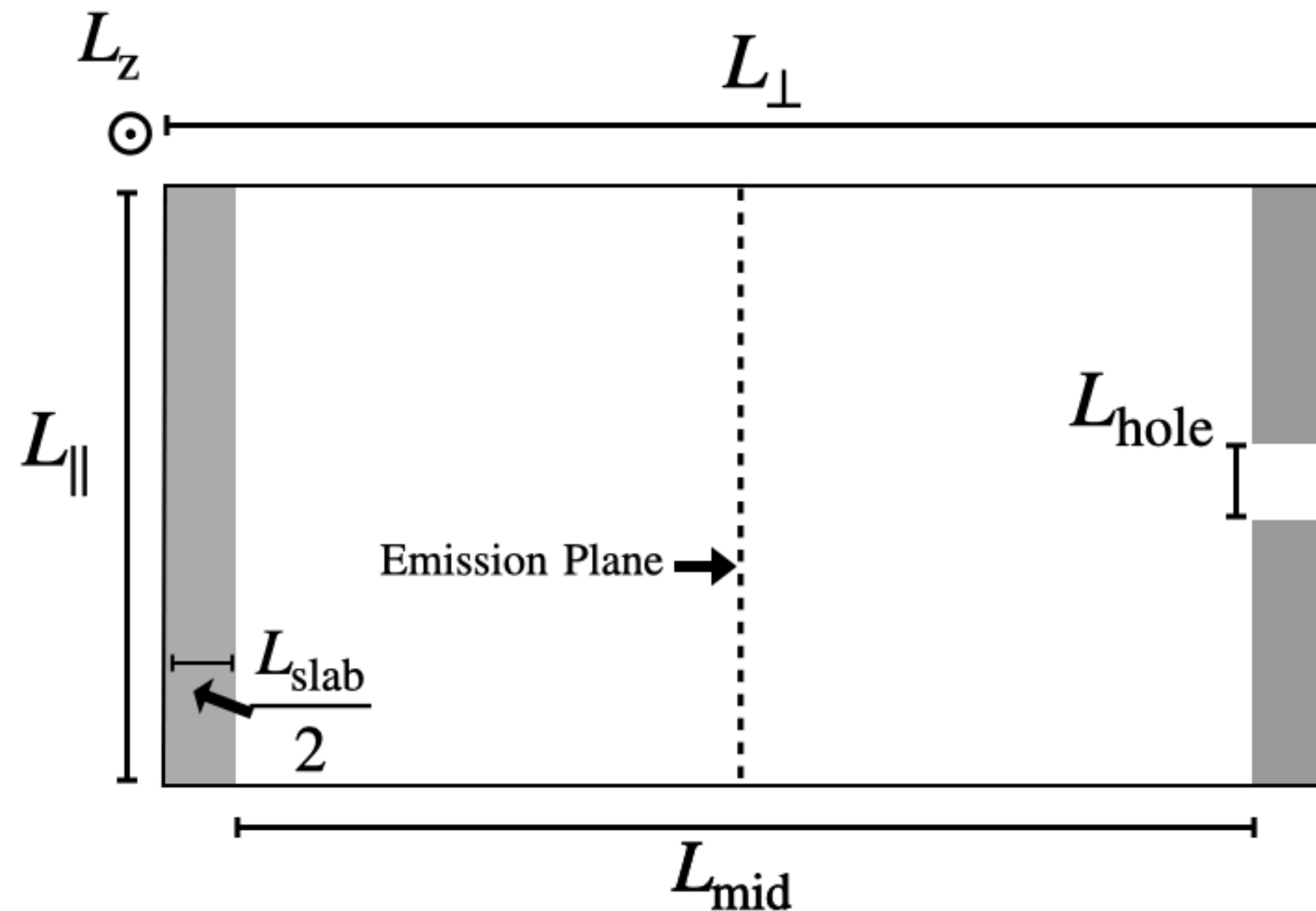




**Which gas do Ly $\alpha$  photons really probe?  
Which density?**

Approach: simplified gas distribution  
with anisotropies

Semi-infinite slab, Monte Carlo RT



**Area Fraction**

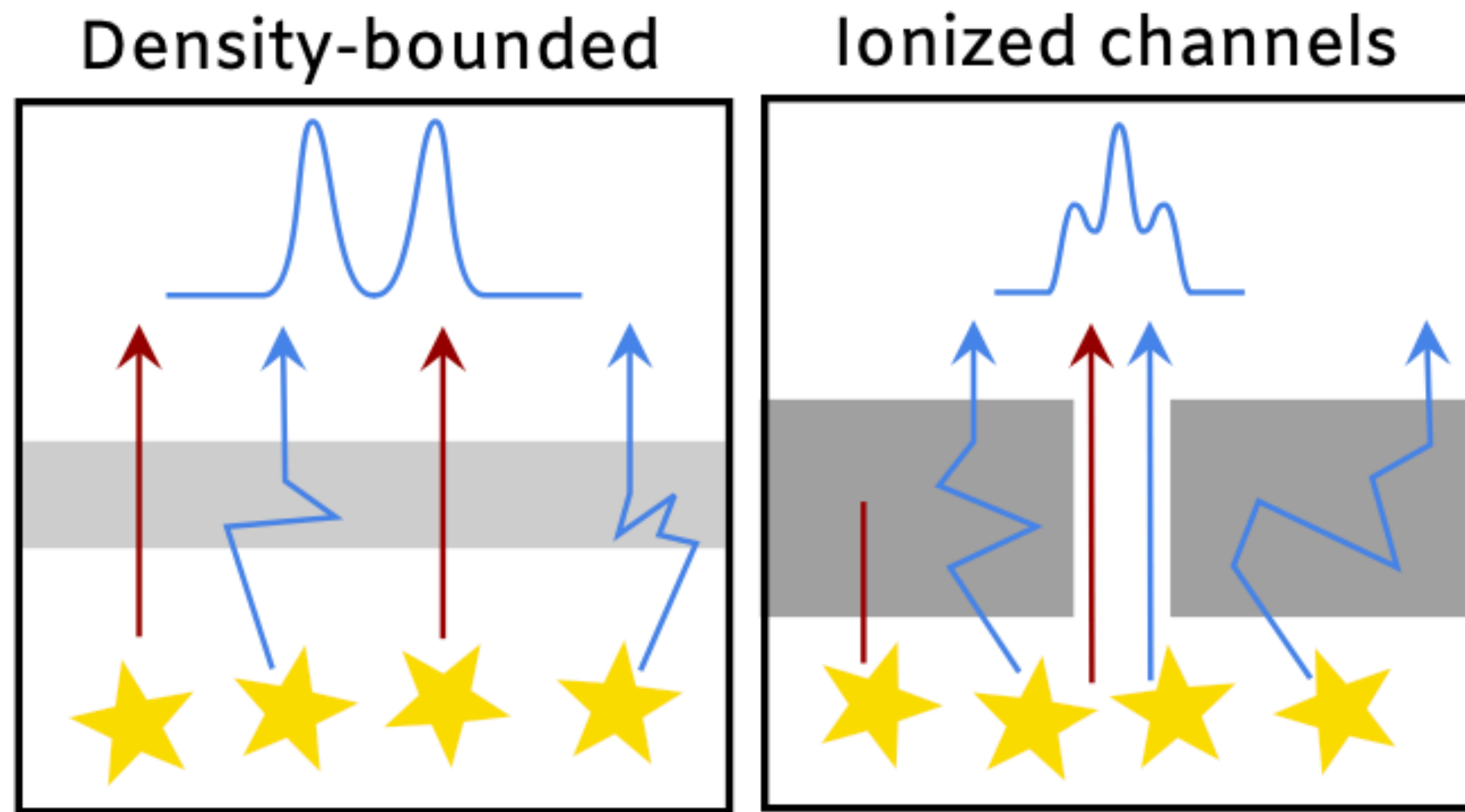
$$\tilde{s} = \frac{L_{\text{hole}}^2}{L_\parallel L_z}$$

$$\tilde{f} = \frac{F_{\text{hole}}}{F_{\text{slab}}}$$

To quantify the flux  
escaping from the slab  
and from the hole

# What do we expect?...

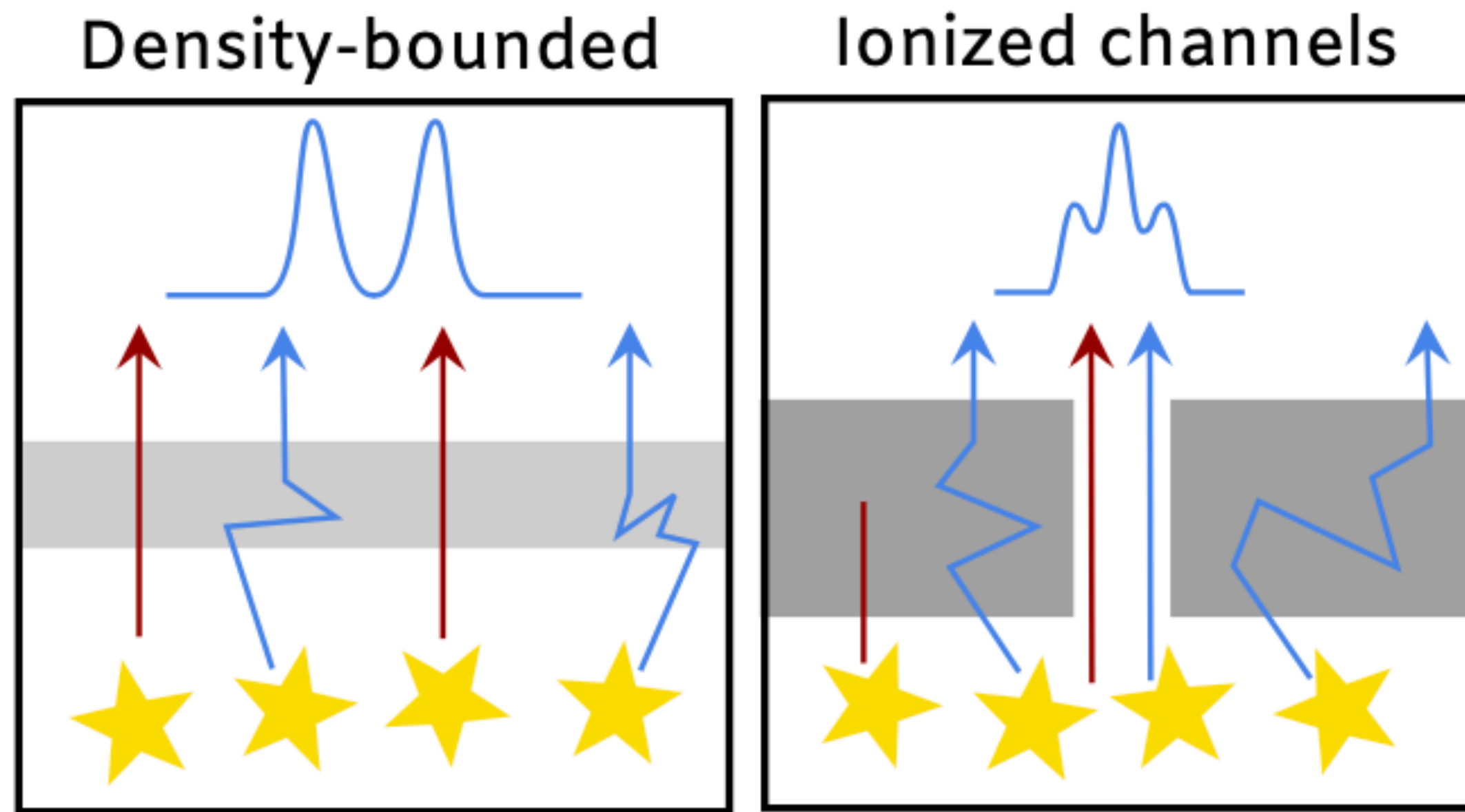
# What do we expect?...



Rivera-Thorsten et al. (2017)



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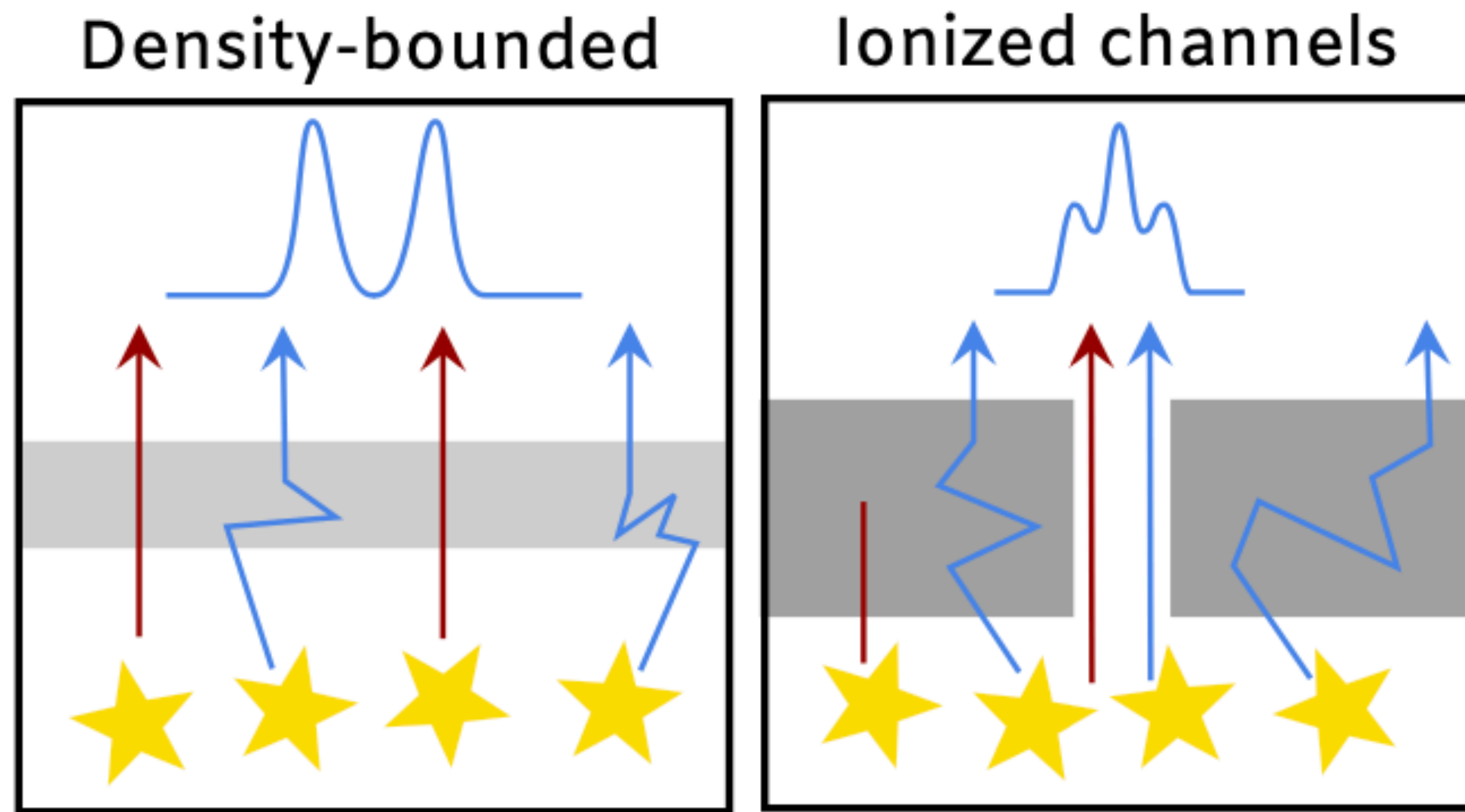


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$$F_{Slab} = \frac{4}{3\tau} \simeq \tau^{-1}$$

(Neufeld 1990)

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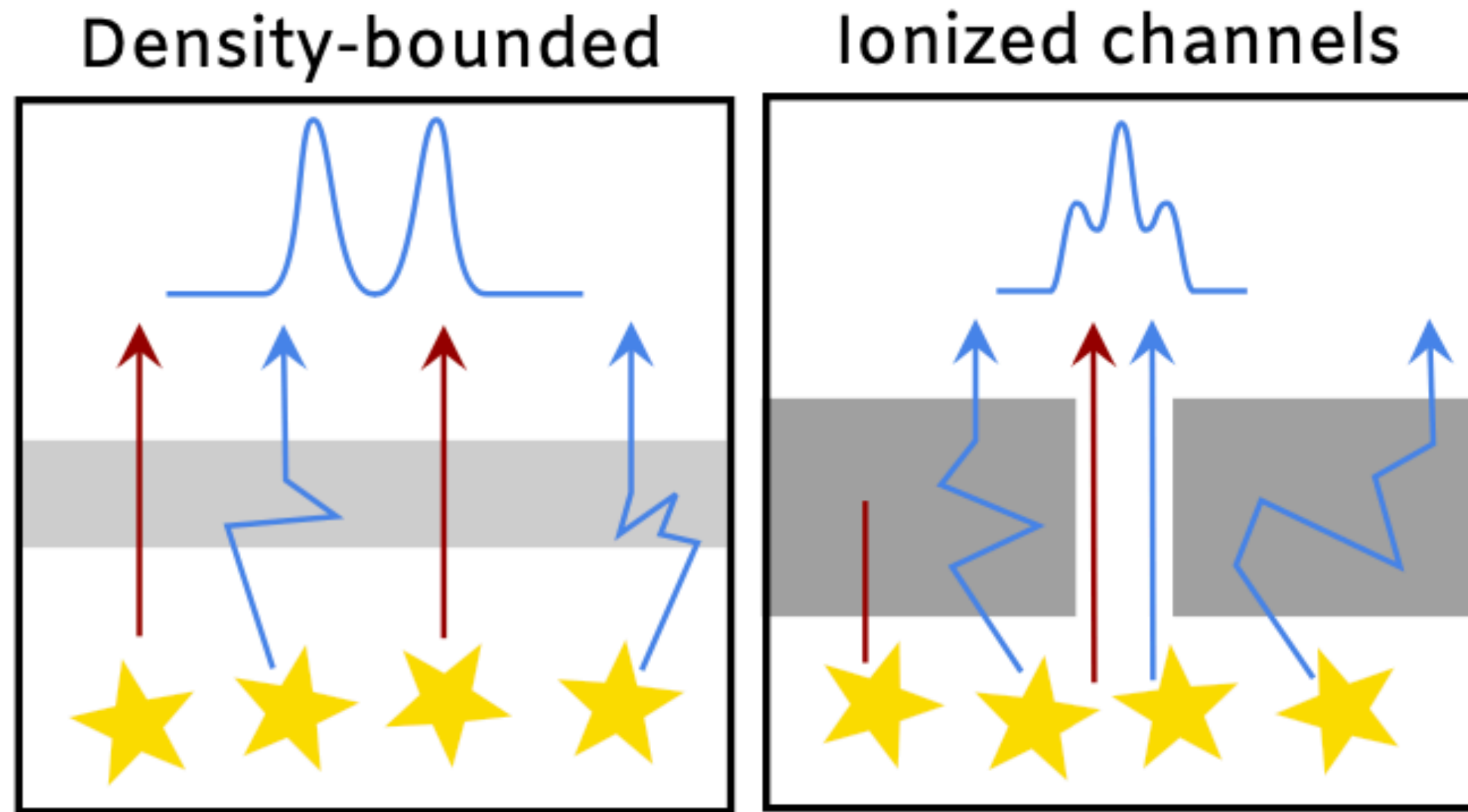
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$$F_{hole} \simeq \tilde{s}$$

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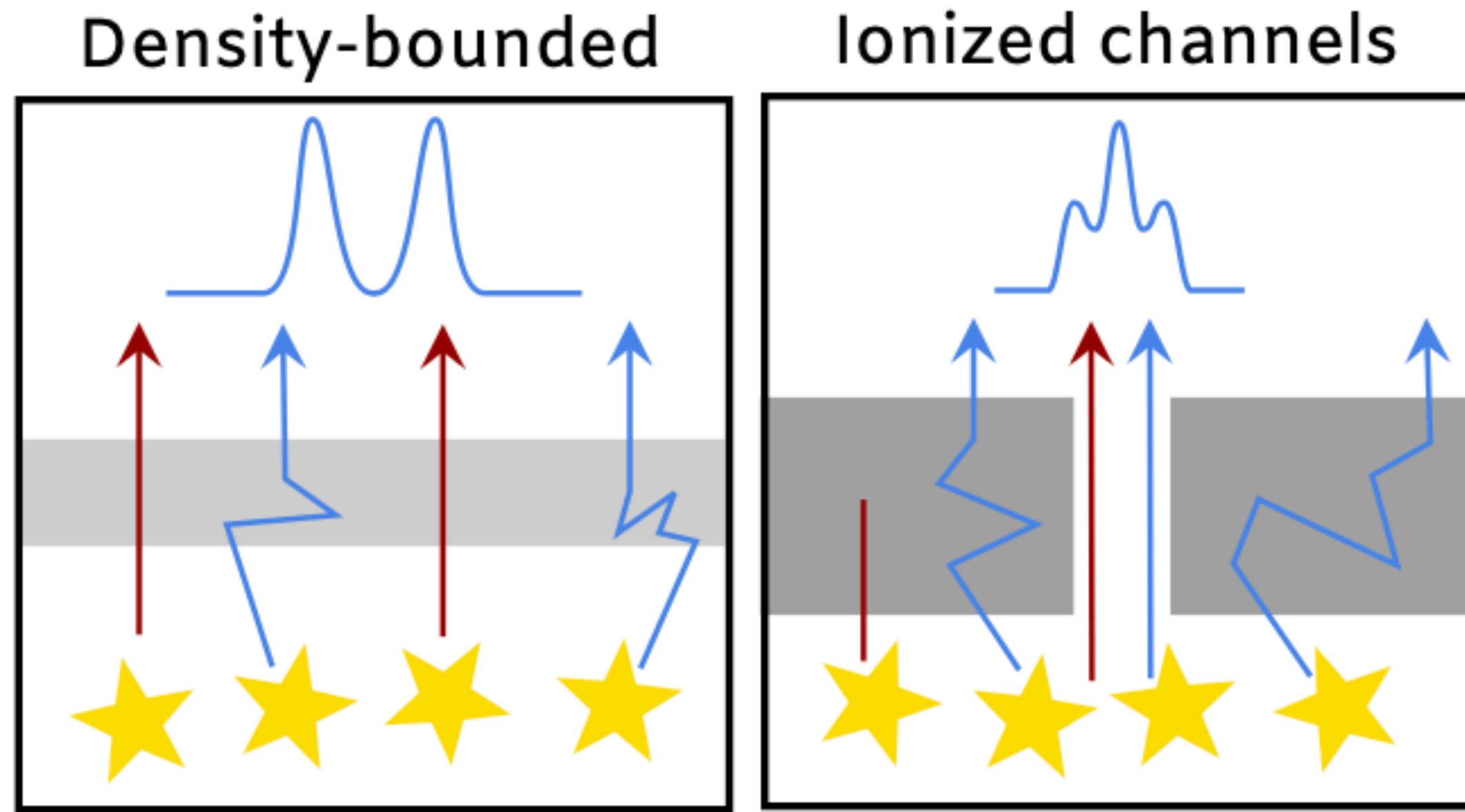
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$$F_{hole} \simeq \tilde{s}$$

$$\tilde{f} = \frac{F_{hole}}{F_{slab}}$$



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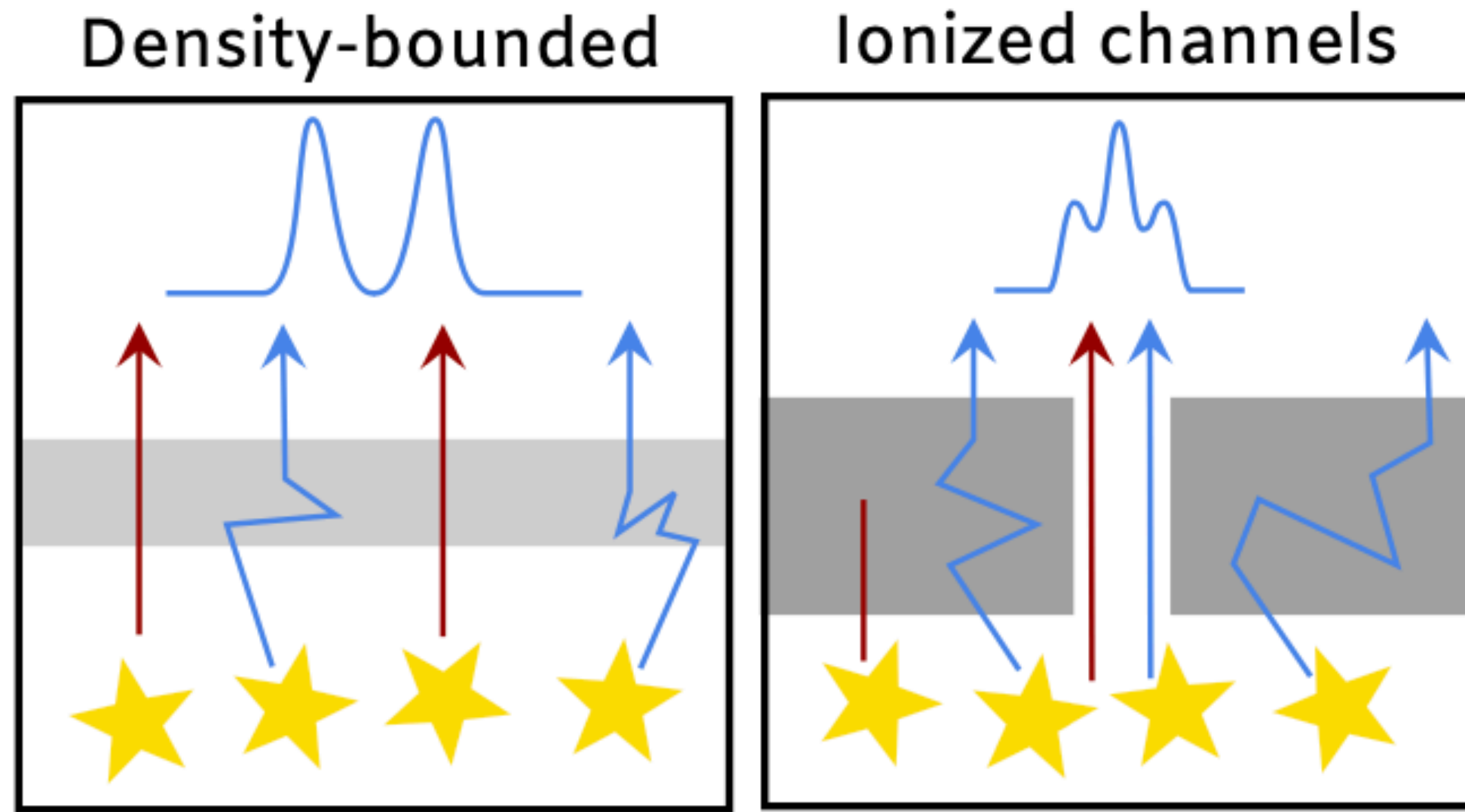
$$\tilde{f} = \frac{F_{hole}}{F_{slab}} \simeq \tilde{s}\tau$$

$$\tau \simeq 10^5$$

$$\tilde{s} \simeq 0.1$$

$$\longrightarrow \tilde{f} \simeq 10^4$$

# What do we expect?...



Rivera-Thorsten et al. (2017)

$$F_{Slab} = \frac{4}{3\tau} \simeq \tau^{-1} \quad (\text{Neufeld 1990})$$

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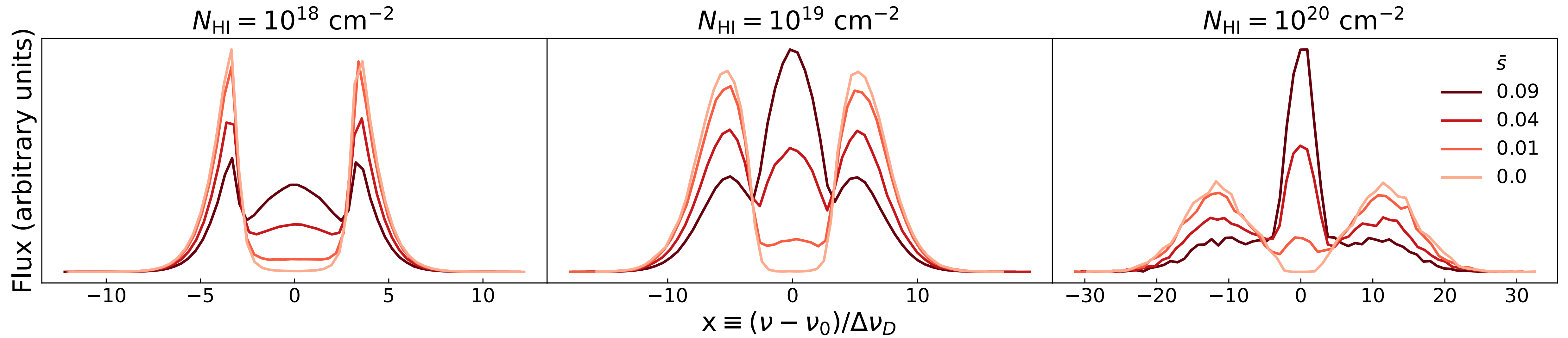
$$\longrightarrow \tilde{f} \simeq 10^4$$

**Expectation: Large peaks  
close to the line center!**  
**Almost no red and blue peaks**

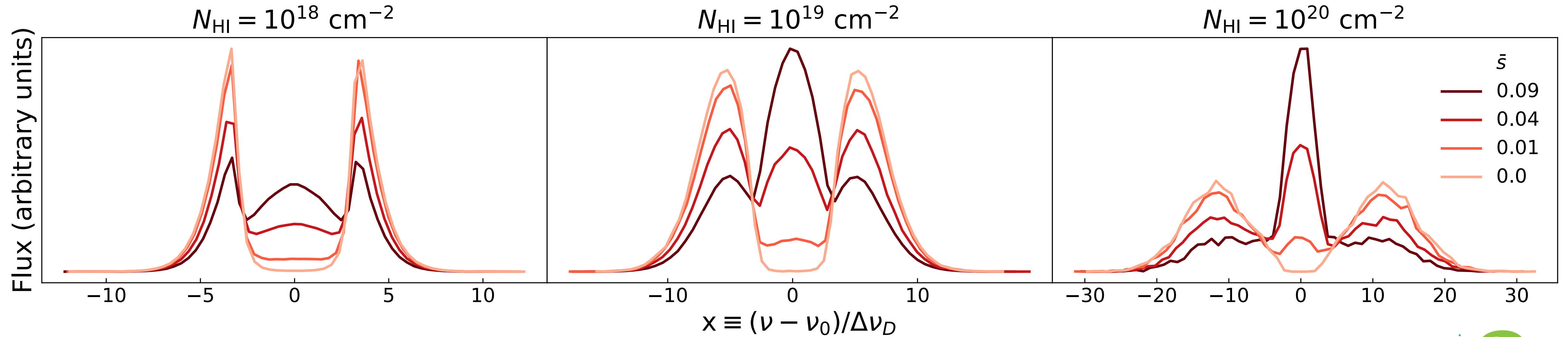
# The outcome...



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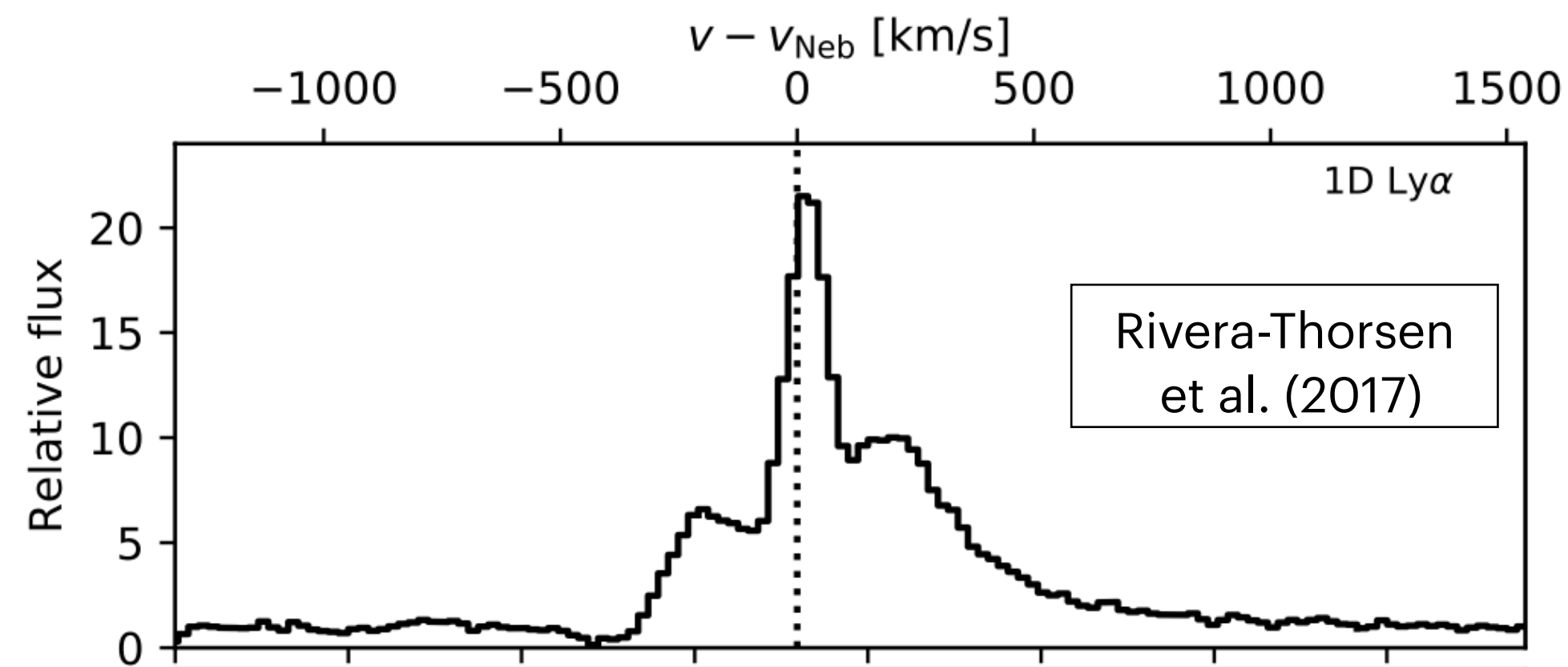
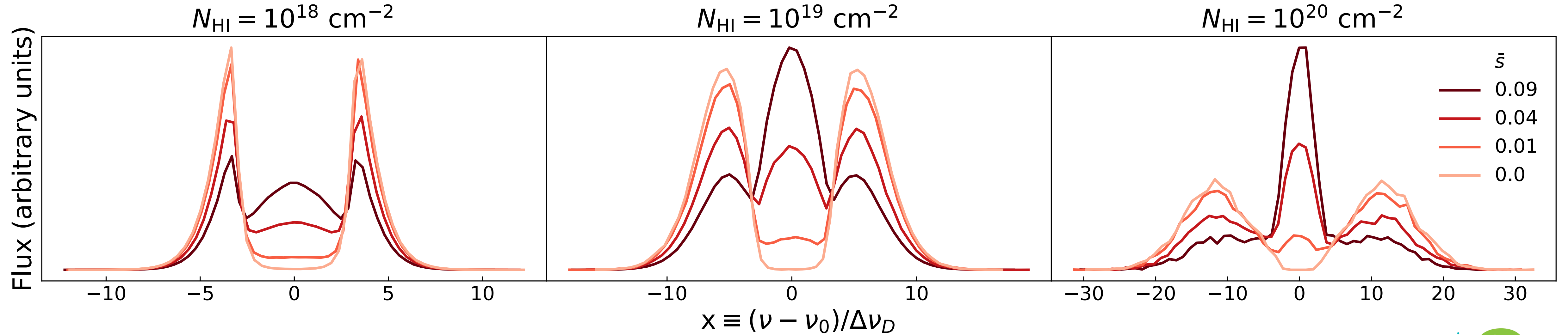


Huh? Triple peaks?





# The outcome...

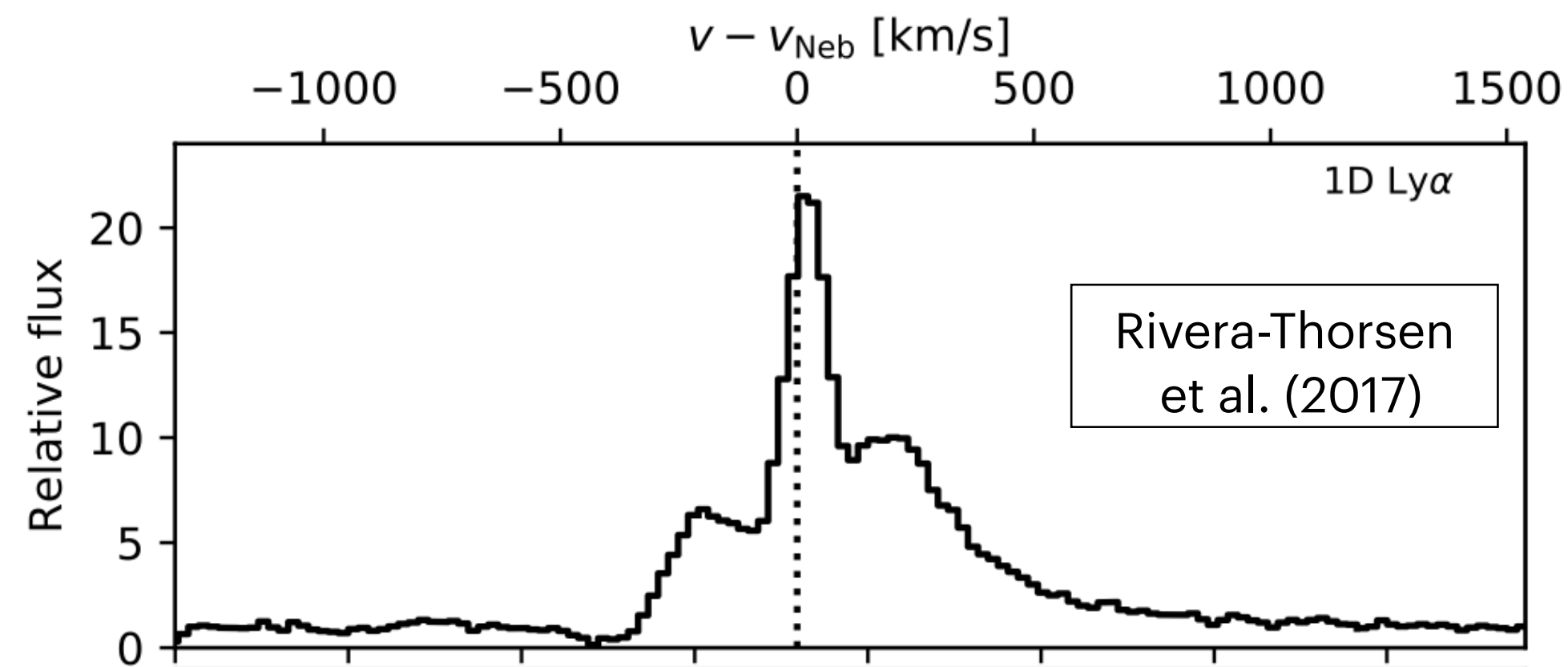
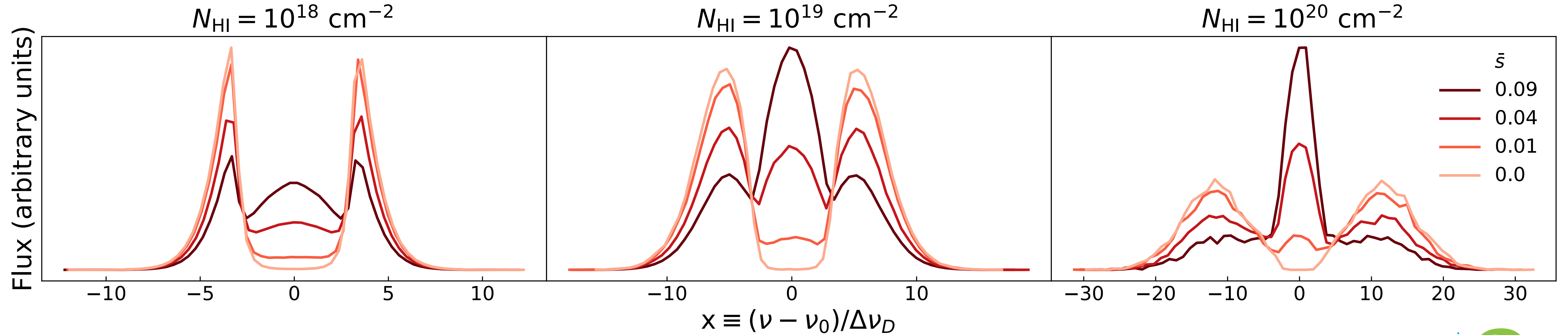


**Huh? Triple peaks?**

✓ Yes, there are some (rare) observed cases (Sunburst Arc)



# The outcome...

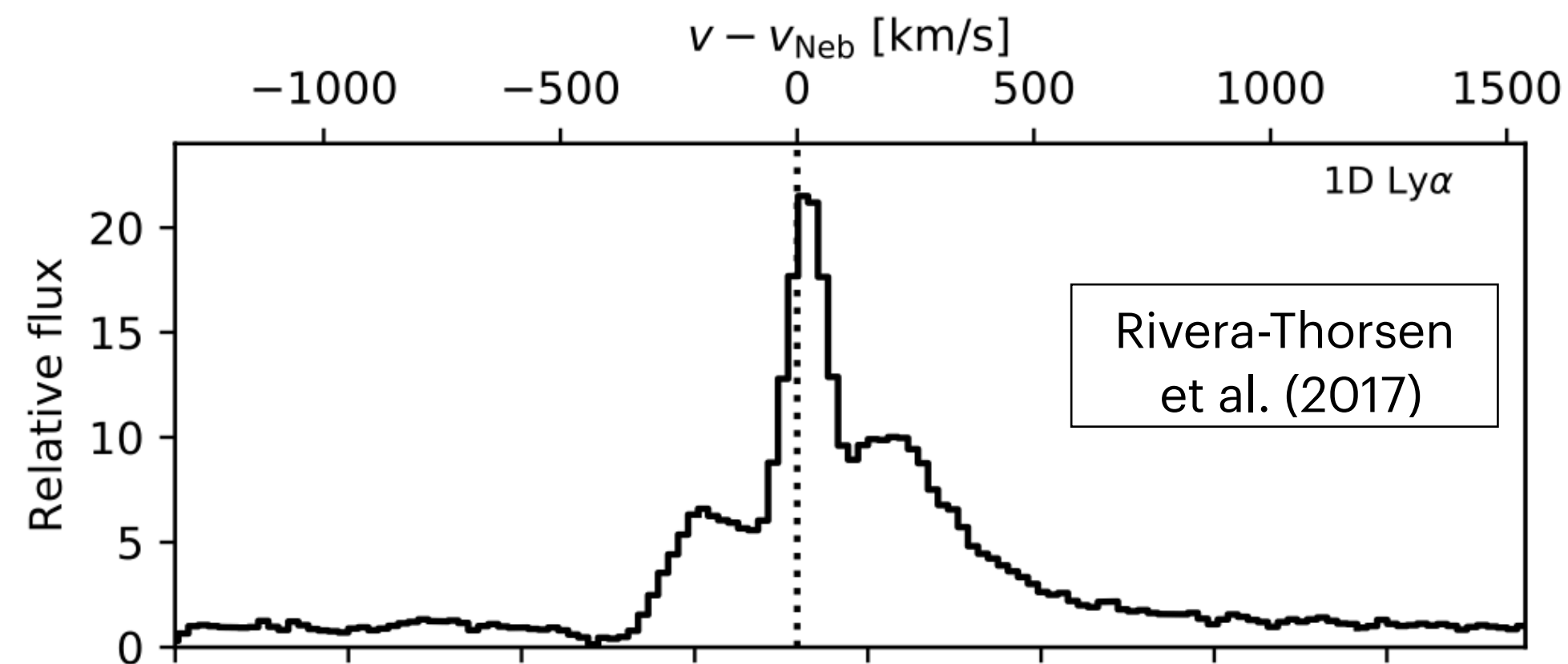
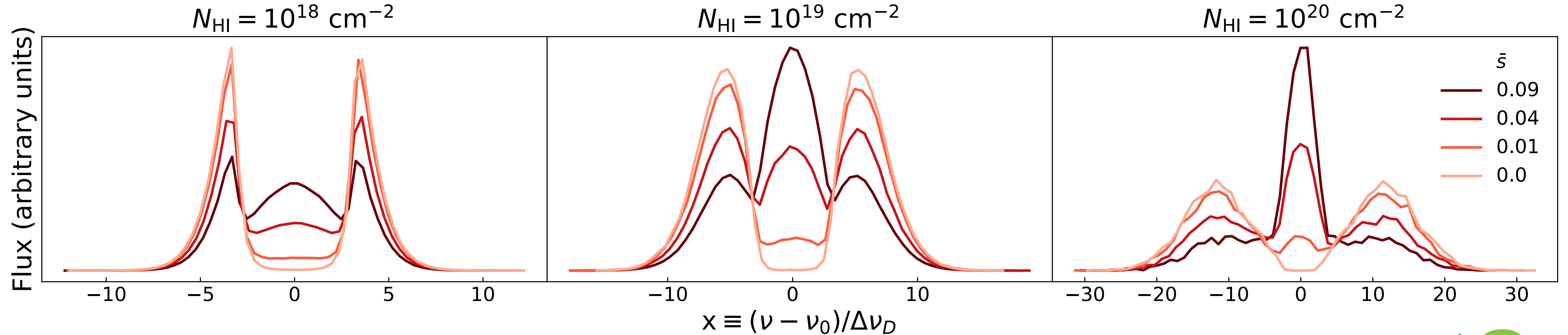


## Huh? Triple peaks?

- ✓ Yes, there are some (rare) observed cases (Sunburst Arc)
- ✓ Yes, flux near the line centre is expected



# The outcome...



## Huh? Triple peaks?

- ✓ Yes, there are some (rare) observed cases (Sunburst Arc)
- ✓ Yes, flux near the line centre is expected
- ✓ But... but...

why is the central peak so small?







# The puzzles...



# The puzzles...



## ❖ Puzzle no. 1

$$\tilde{f} \simeq \frac{T_{\text{hole}}}{T_{\text{slab}}} \simeq \tilde{s}\tau$$

$$\tilde{f} \simeq 10^4$$



# The puzzles...



## ♣ Puzzle no. 1

$$\tilde{f} \simeq \frac{T_{\text{hole}}}{T_{\text{slab}}} \simeq \tilde{s}\tau$$

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**Nearly all the flux should  
pass through the hole  
forming a centrally  
peaked spectrum!**

# The puzzles...

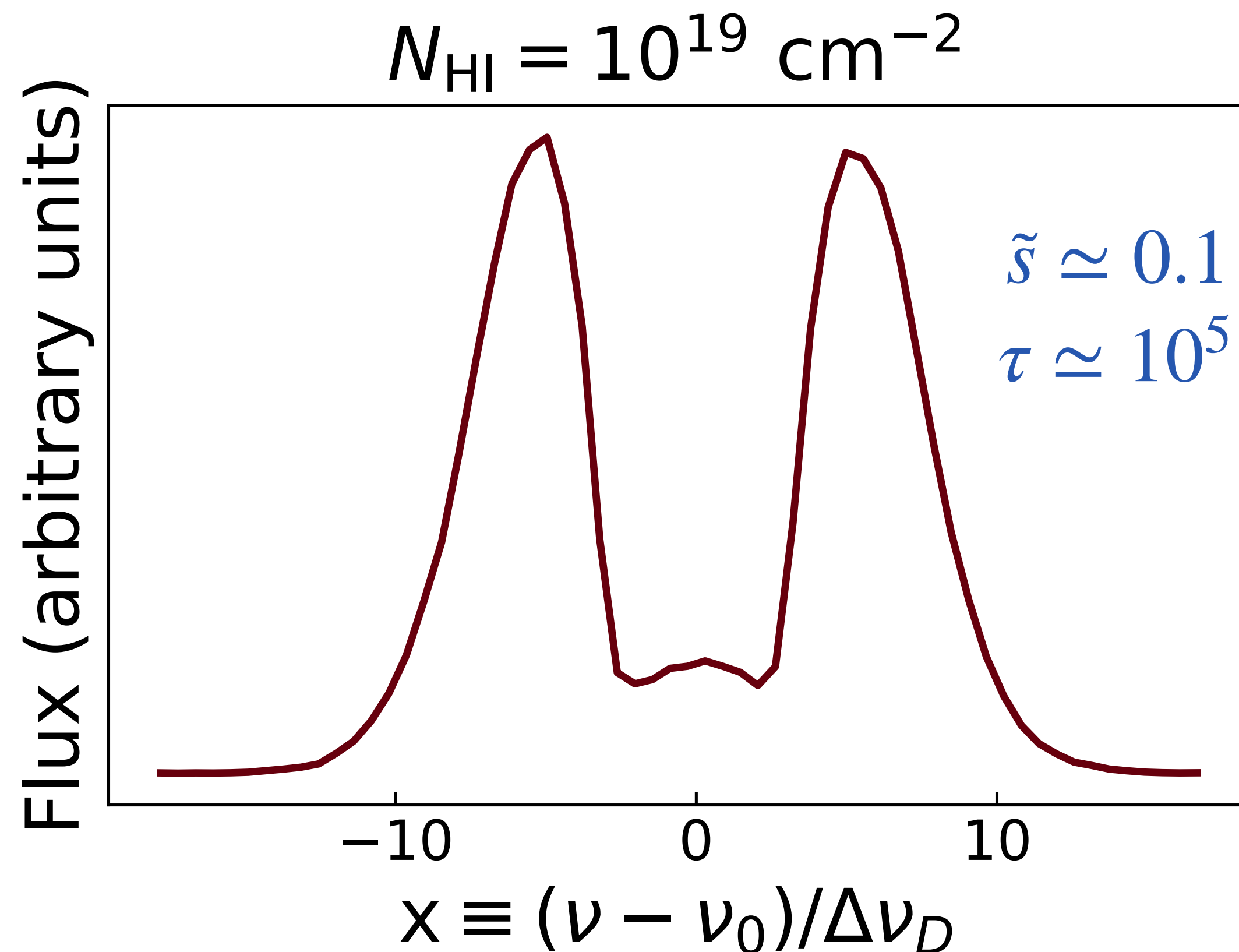


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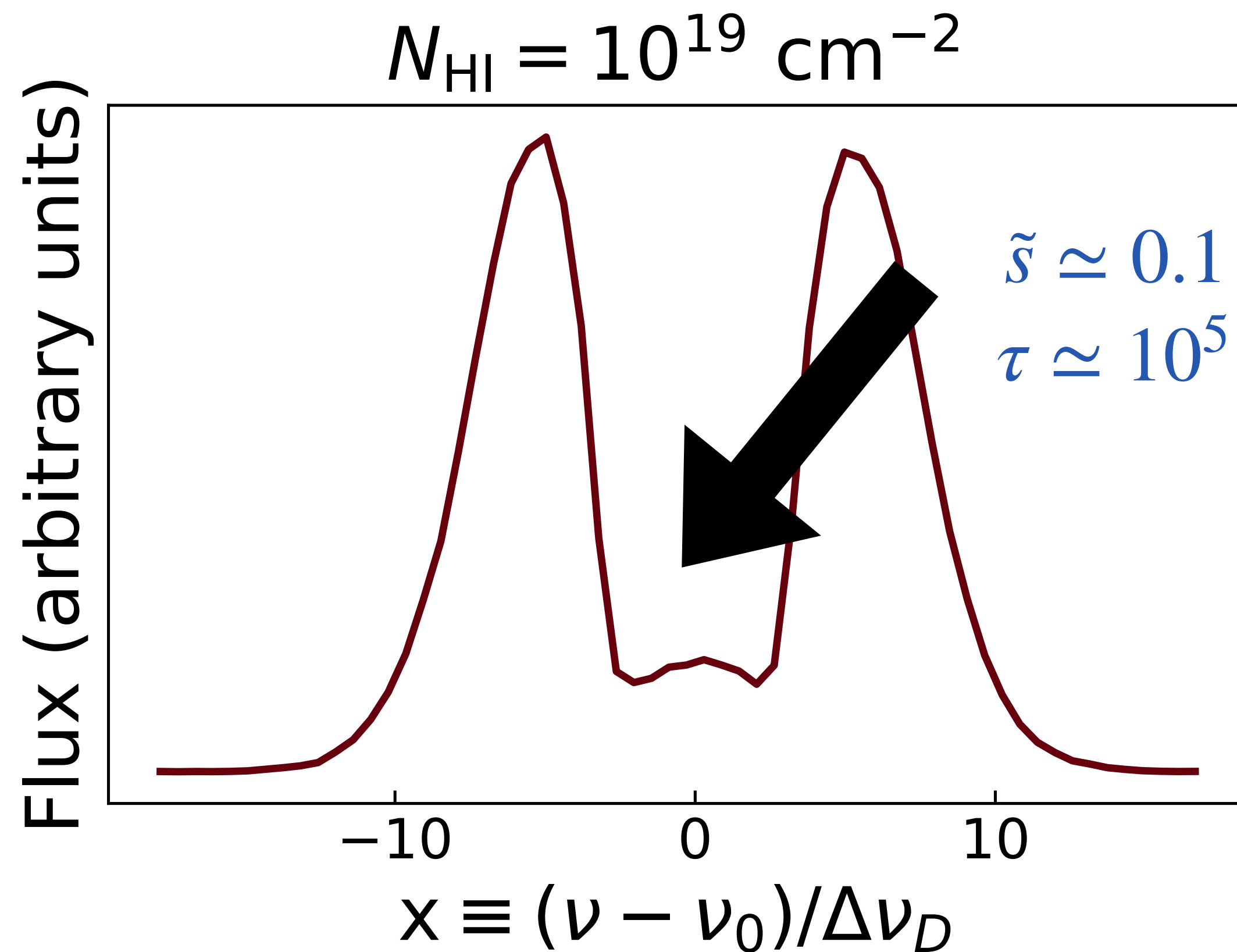


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# The puzzles...



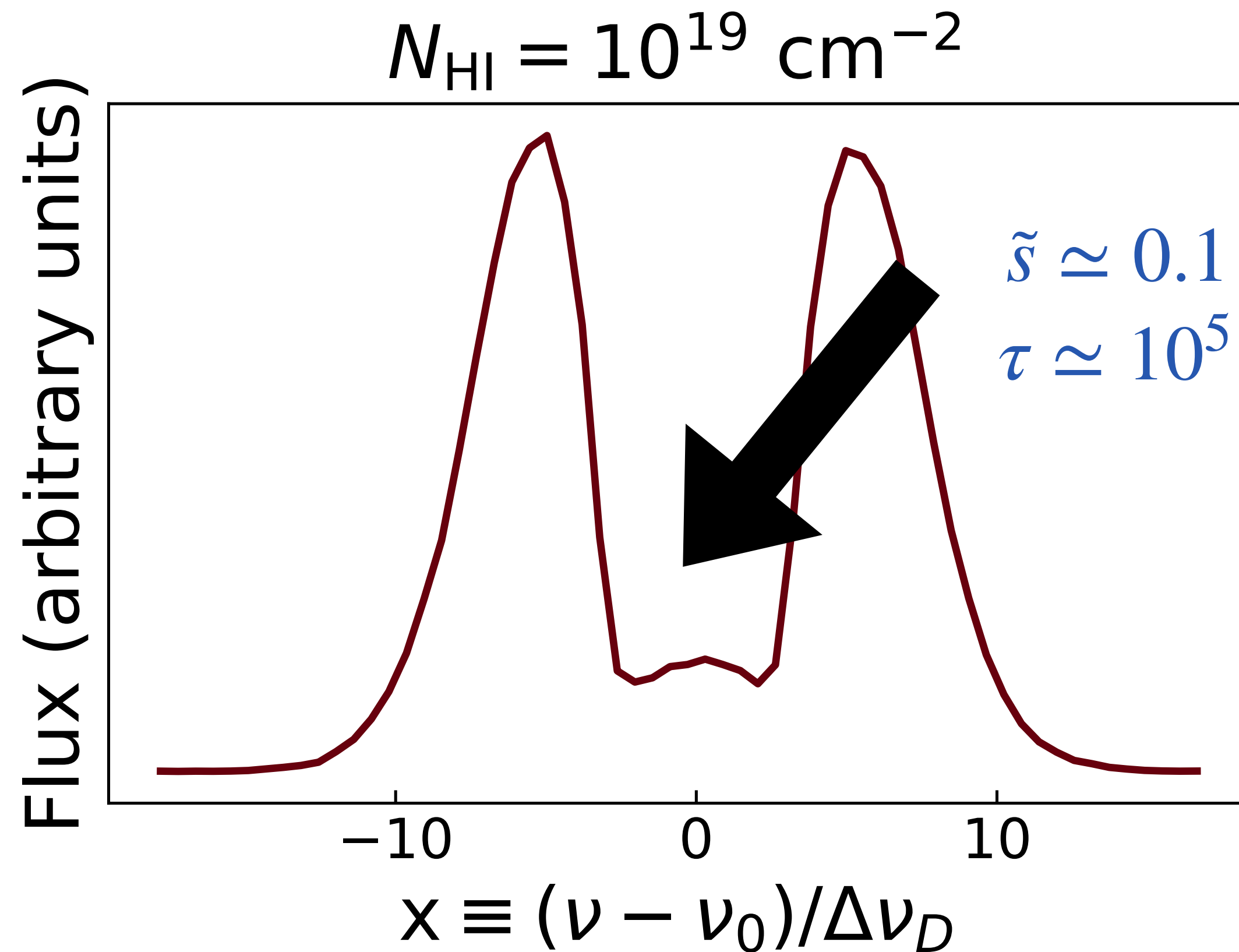
## ❖ Puzzle no. 1

$$\tilde{f} \simeq \frac{T_{\text{hole}}}{T_{\text{slab}}} \simeq \tilde{s}\tau$$

$$\tilde{f} \simeq 10^4$$

Central peak should  
be 4 orders of  
magnitude larger  
than the blue-red  
peaks

Nearly all the flux should  
pass through the hole  
forming a centrally  
peaked spectrum!





A photograph of a dark interior space, possibly a church or a large hall, with light rays streaming through several windows. The light rays are visible as bright, diagonal beams against the dark background. The floor is made of dark wood, and the walls are also dark. On the right side, there is a tall, narrow window with a grid pattern. The overall atmosphere is dramatic and mysterious.

**Against common  
sense...**

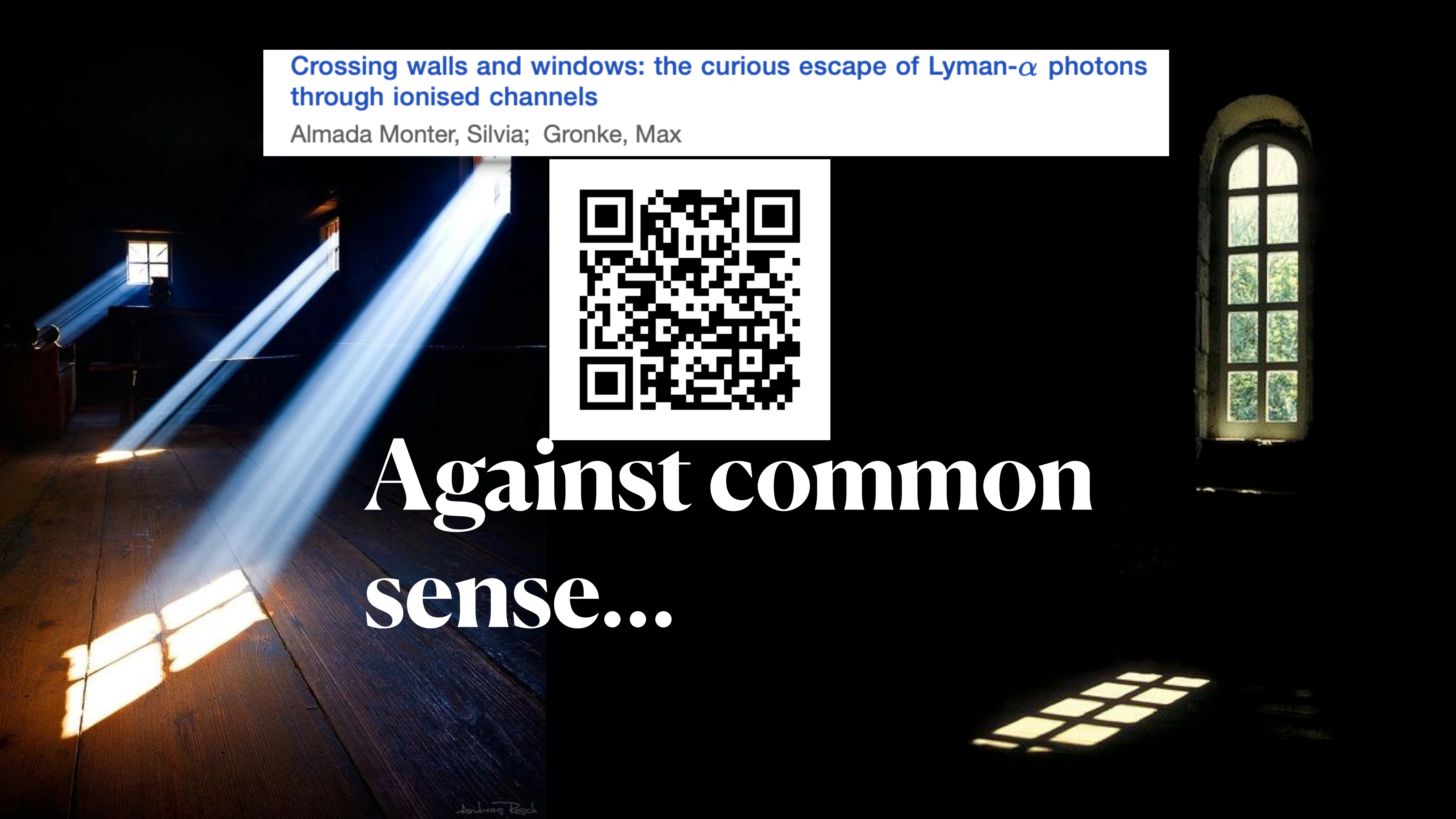


# Crossing walls and windows: the curious escape of Lyman- $\alpha$ photons through ionised channels

Almada Monter, Silvia; Gronke, Max



# Against common sense...







# The puzzles...

❖ Puzzle no. 2



# The puzzles...

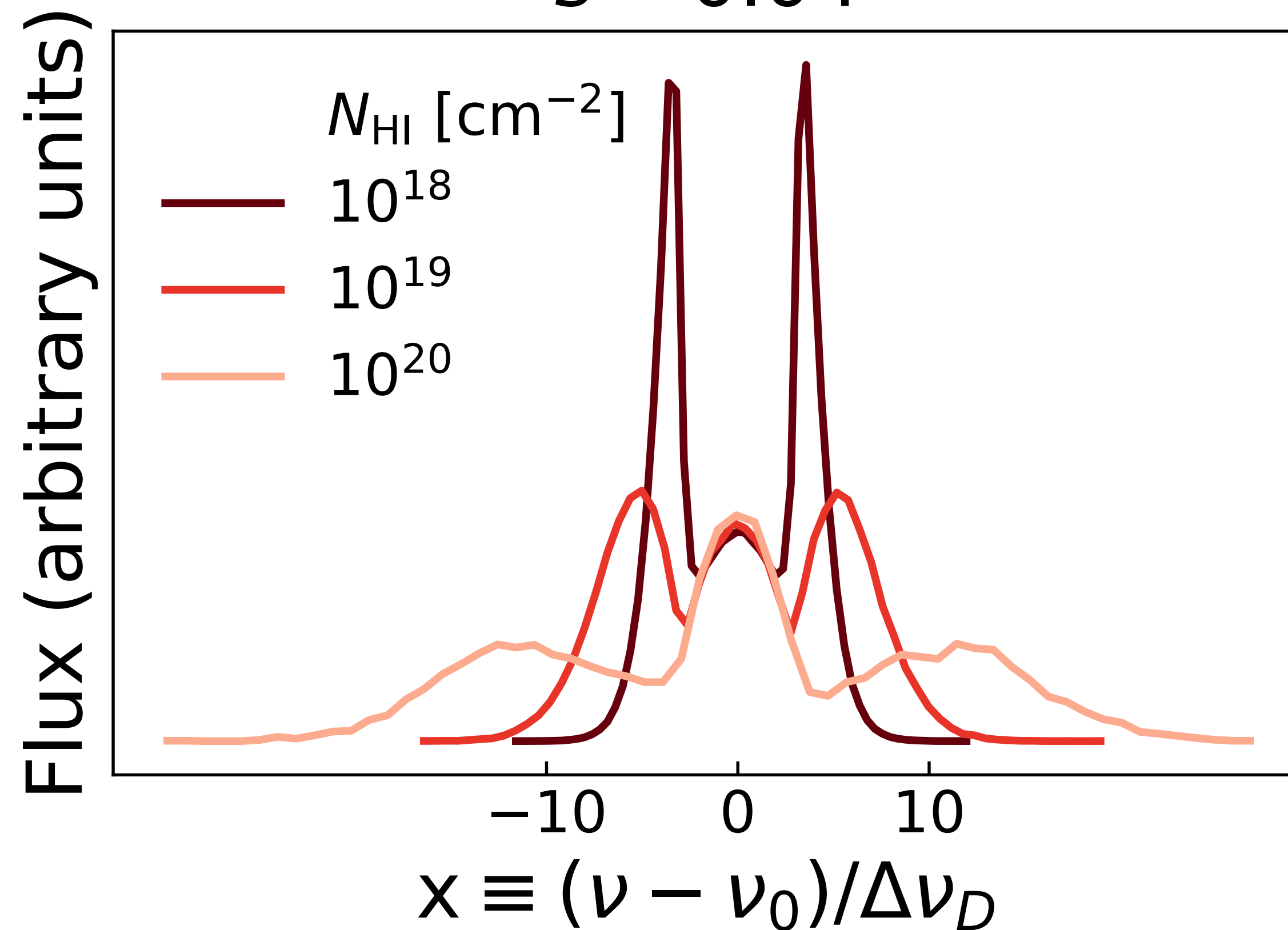


## ❖ Puzzle no. 2

Almost no variation with optical depth

$$\tilde{s} = 0.04$$

$$\tilde{f} \simeq \frac{F_{\text{hole}}}{F_{\text{slab}}} \simeq \tilde{s}\tau$$



# The puzzles...

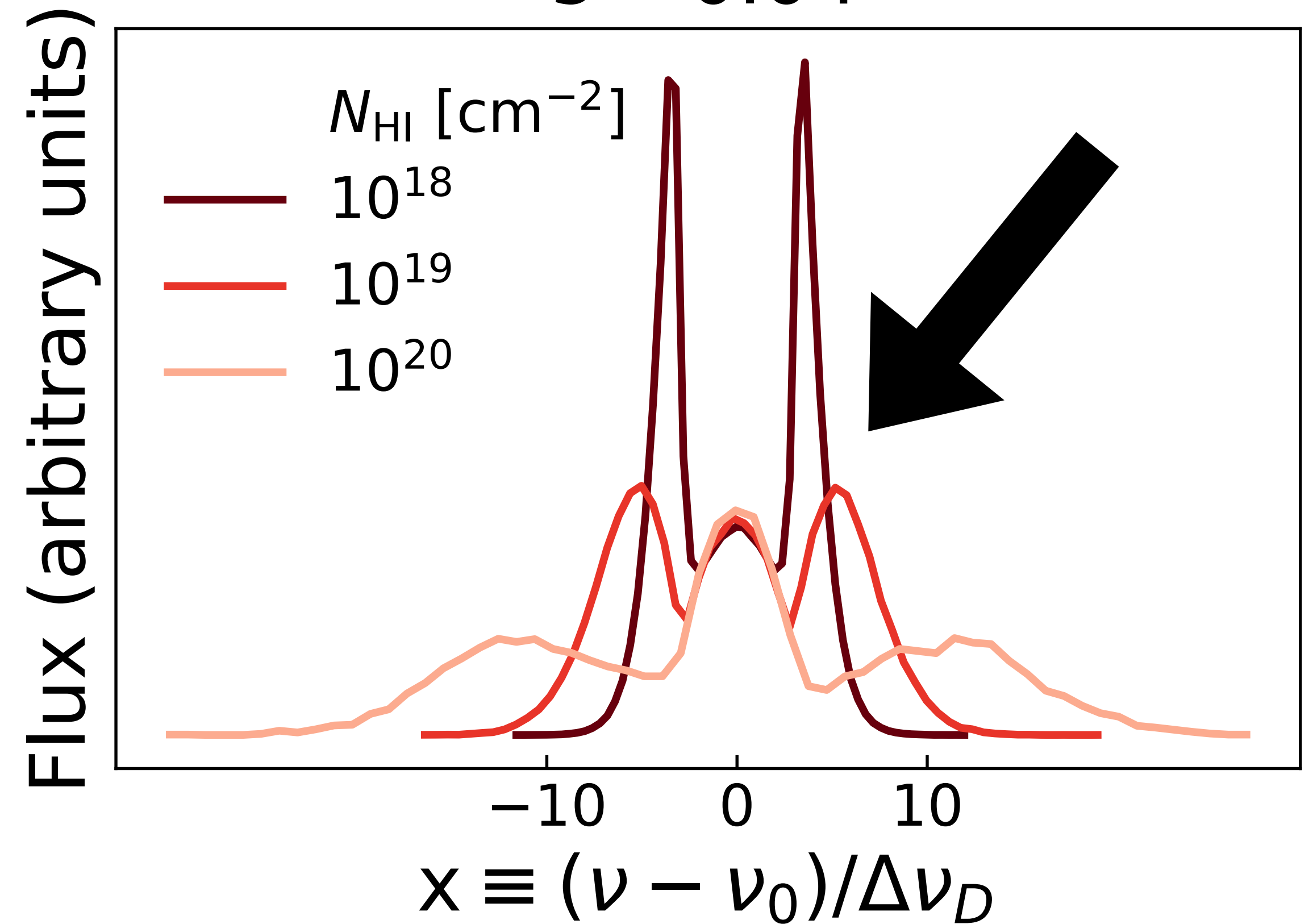
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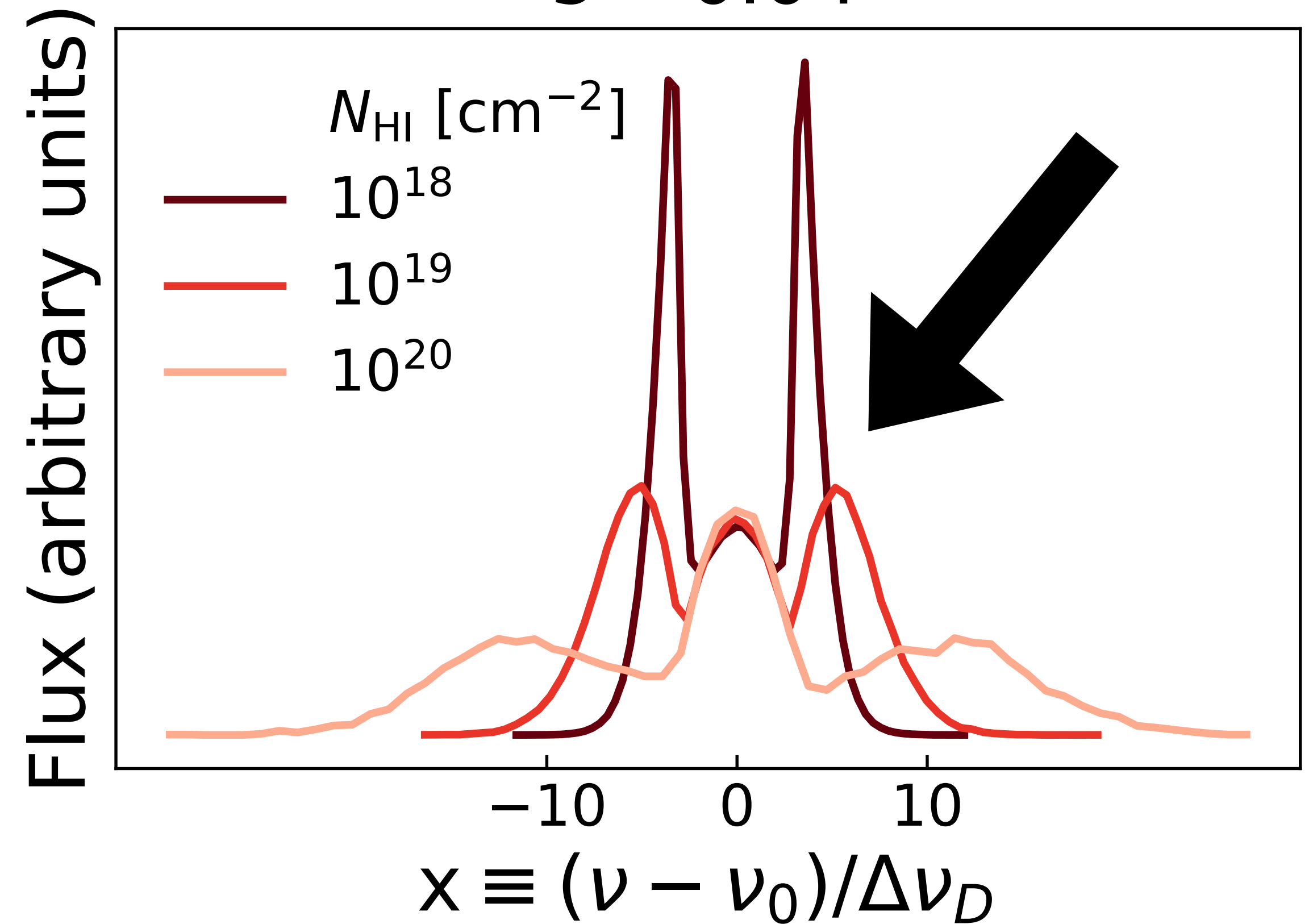
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Against common  
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# The puzzles...

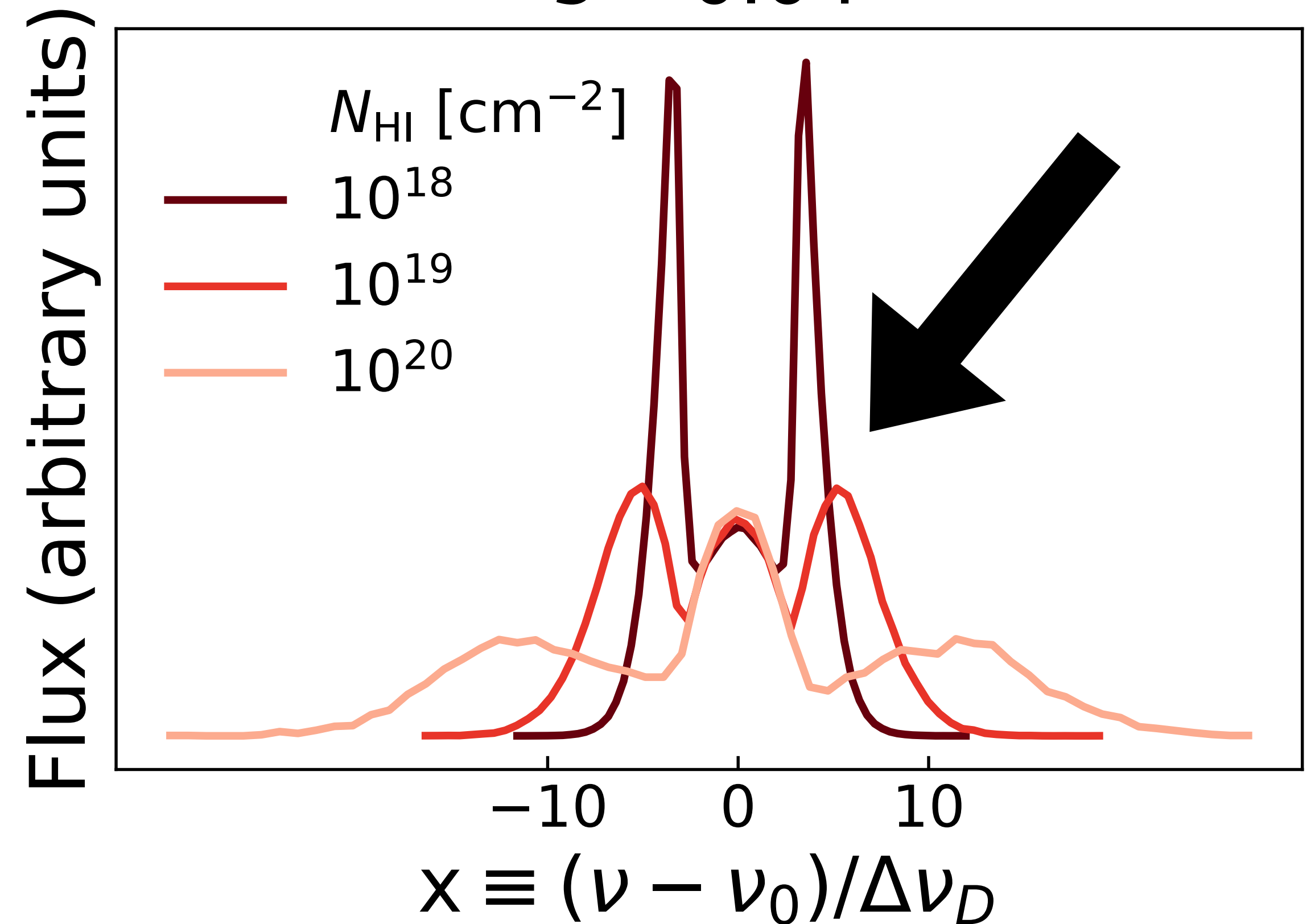
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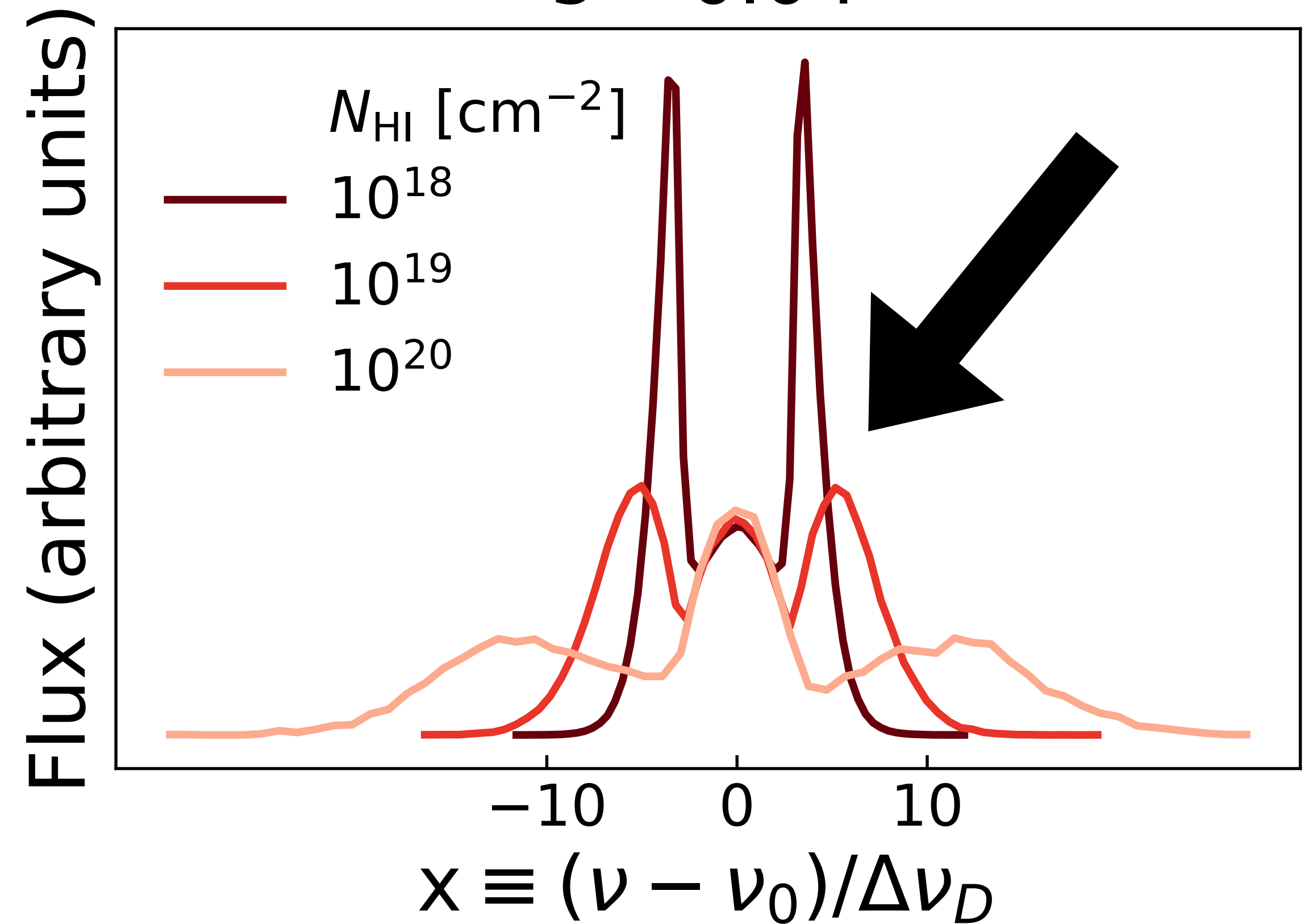


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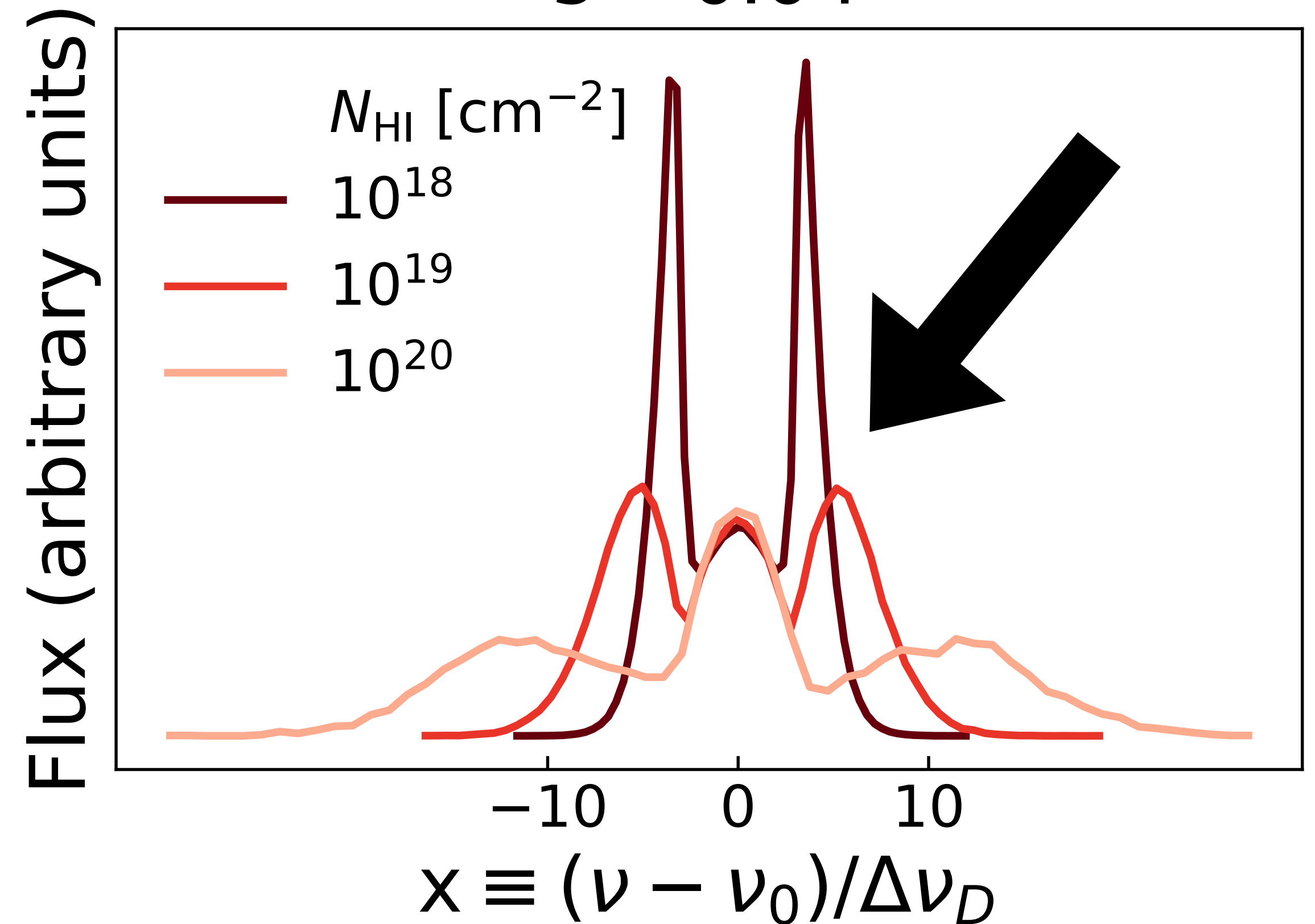
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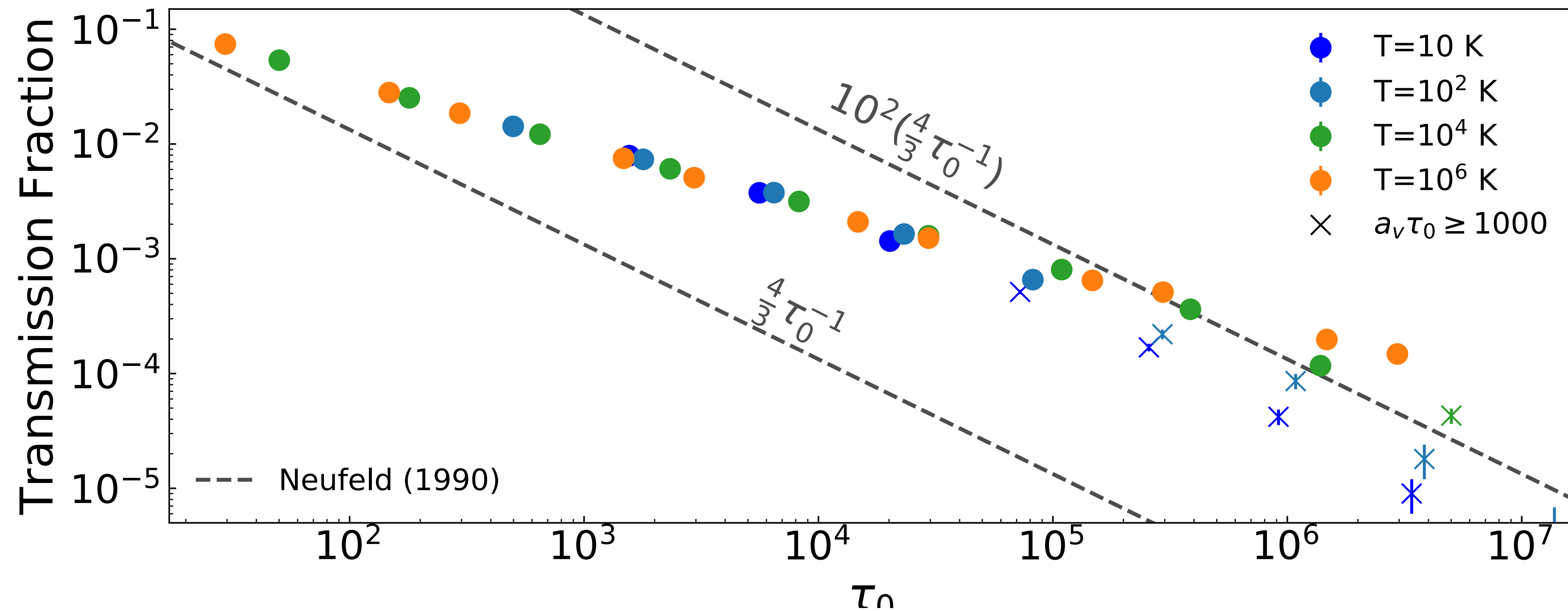
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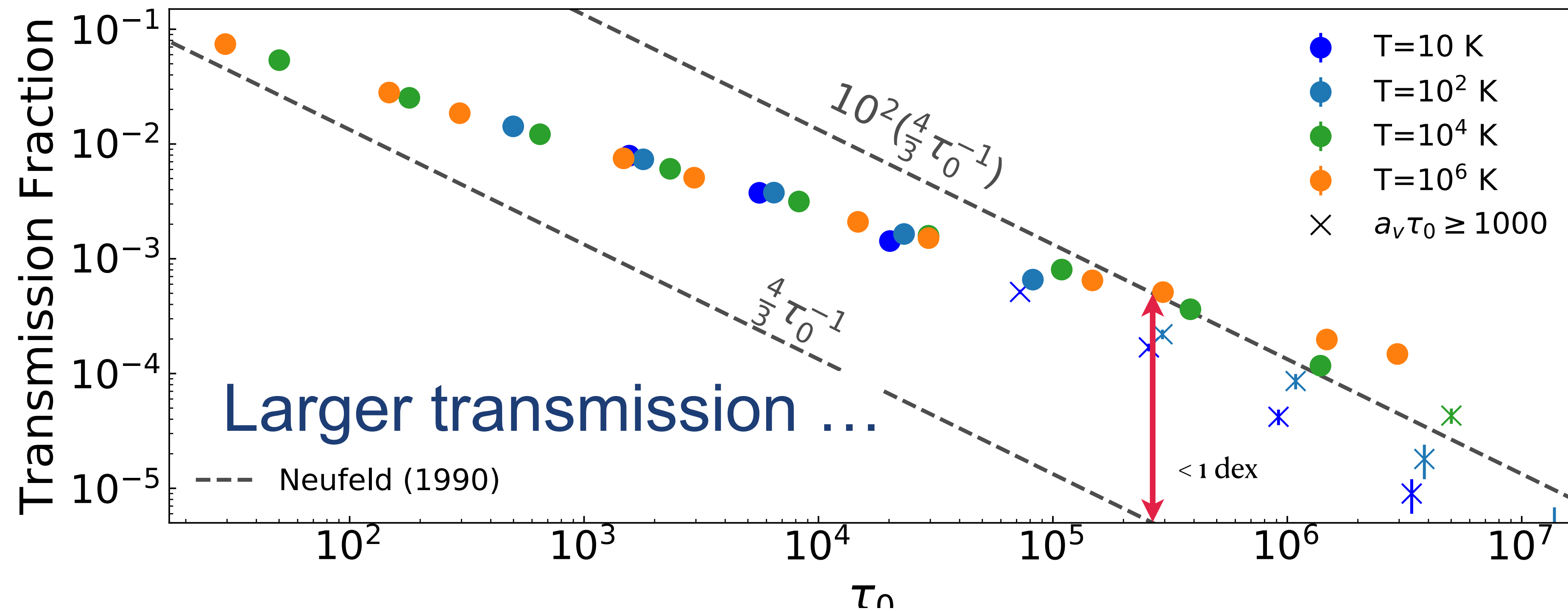
Maybe there's something with the transmission in the slab....



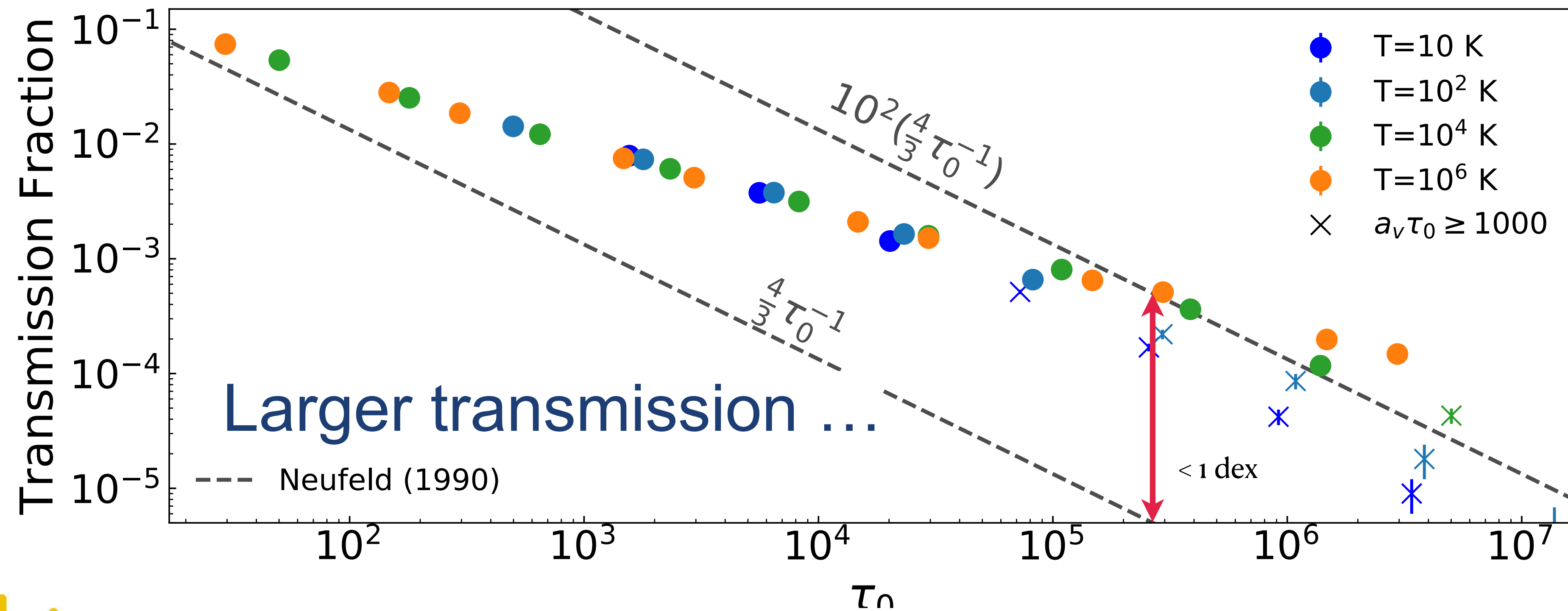
# Let's check the transmission through gas (no hole for now)...



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# Let's check the transmission through gas (no hole for now)...



Let's count scatterings ...



# The solution...

(In a “few” equations)

Gambler's ruin... or a Goat's ruin



$$\frac{\partial p}{\partial t} = \frac{1}{2} \sigma^2 \frac{\partial^2 p}{\partial z^2}$$

Diffusion equation with an absorber barrier at  $z_b = 0$   
 $\sigma = \lambda c^2$ , and  $p$  is probability of wining/being transmitted

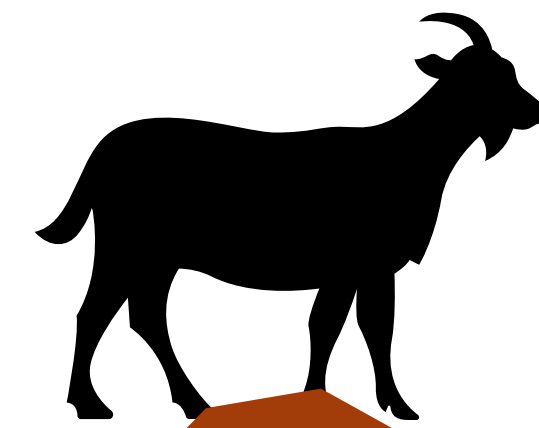
Obtain solution using method of images.

Two widening Gaussians with variance  $\sigma^2 t$  and means  $\pm z_0$

$$F_{\text{reflected}}(t) = 1 - \int_0^{\infty} p(t, z) dz$$

Cumulative fraction of reflected photons

$$f_{\text{reflected}}(t) = \frac{dF_{\text{reflected}}}{dt} = \frac{z_0}{\sqrt{2\pi t^3 \sigma^2}} \exp\left(-\frac{z_0^2}{2t\sigma^2}\right)$$

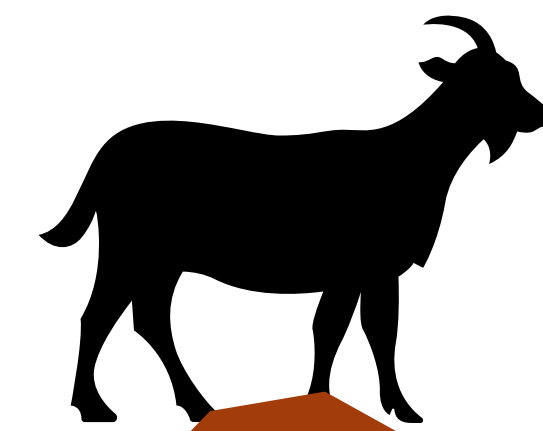


Riddle me this

What do  
a goat, a  
\$1 bill and a Ly $\alpha$  photon  
have in common?

# The solution...

Gambler's ruin... or a Goat's ruin



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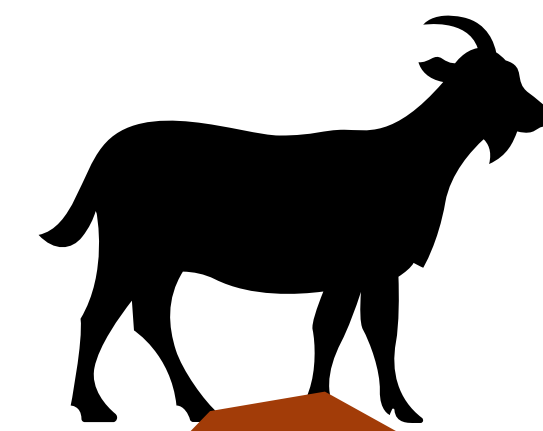
Transmitted goat!  
(Adams 1972)



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Gambler's ruin... or a Goat's ruin

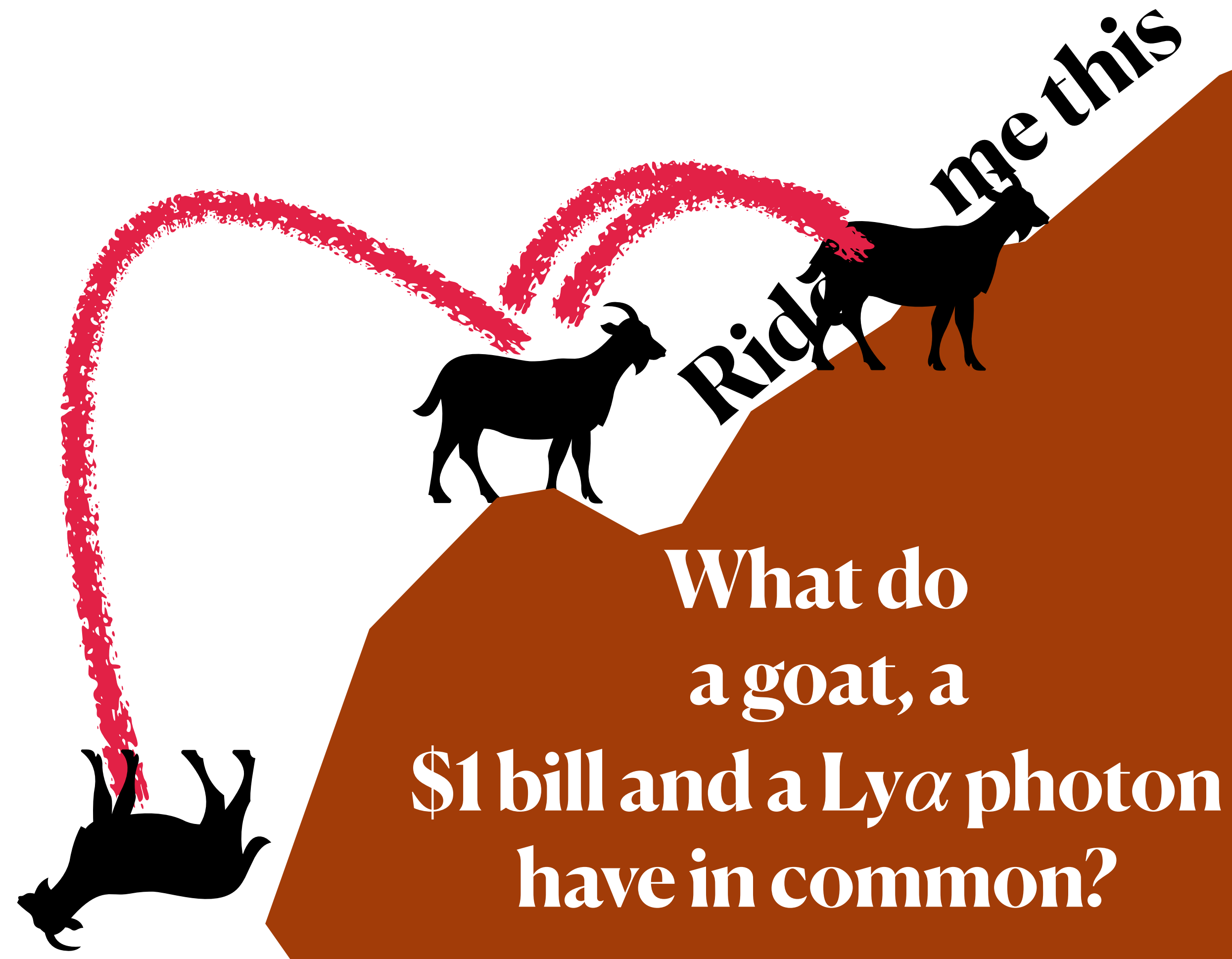


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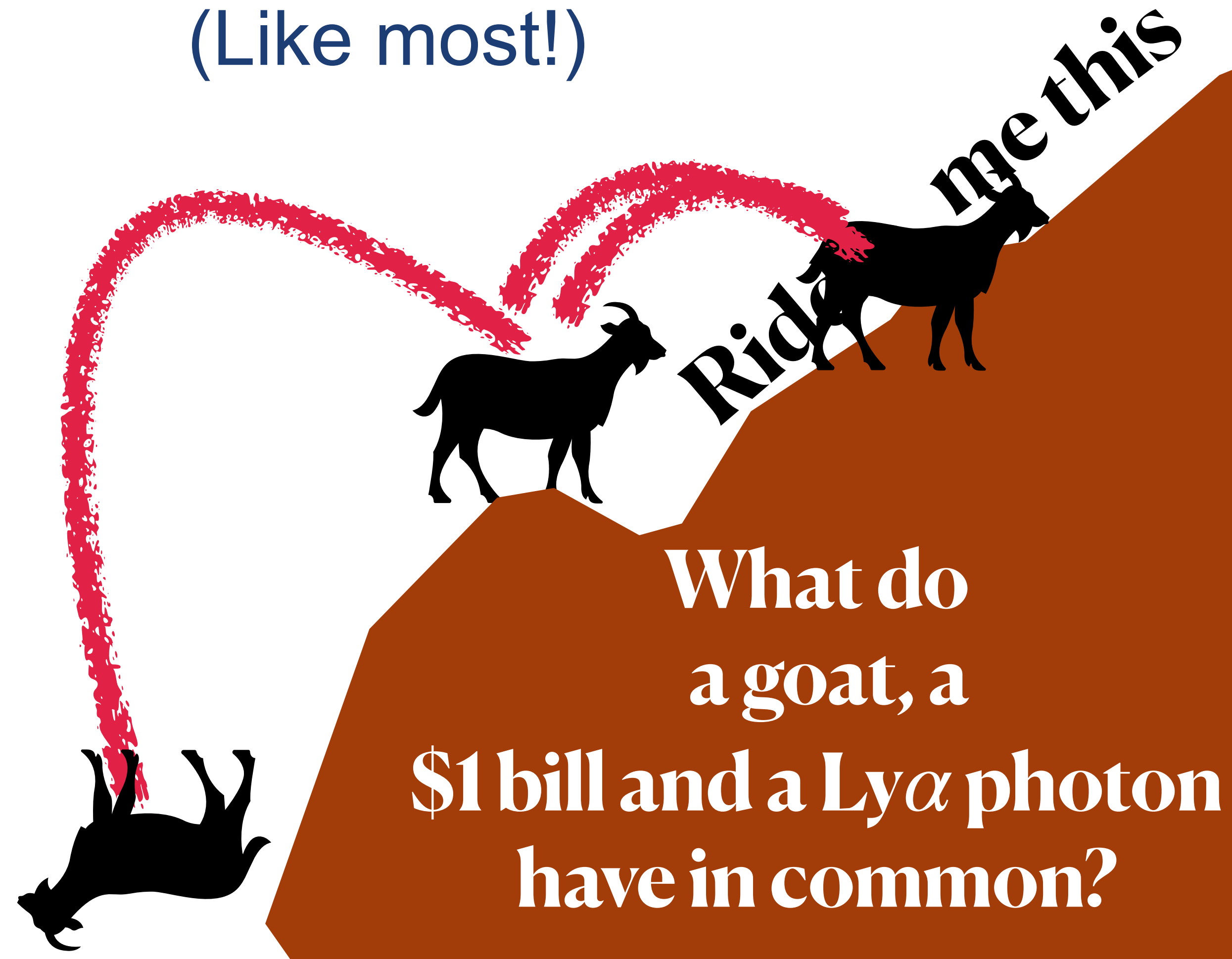




# The solution... Gambler's ruin... or a Goat's ruin



Reflected goat!  
(Like most!)



What do  
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# The solution... Gambler's ruin... or a Goat's ruin

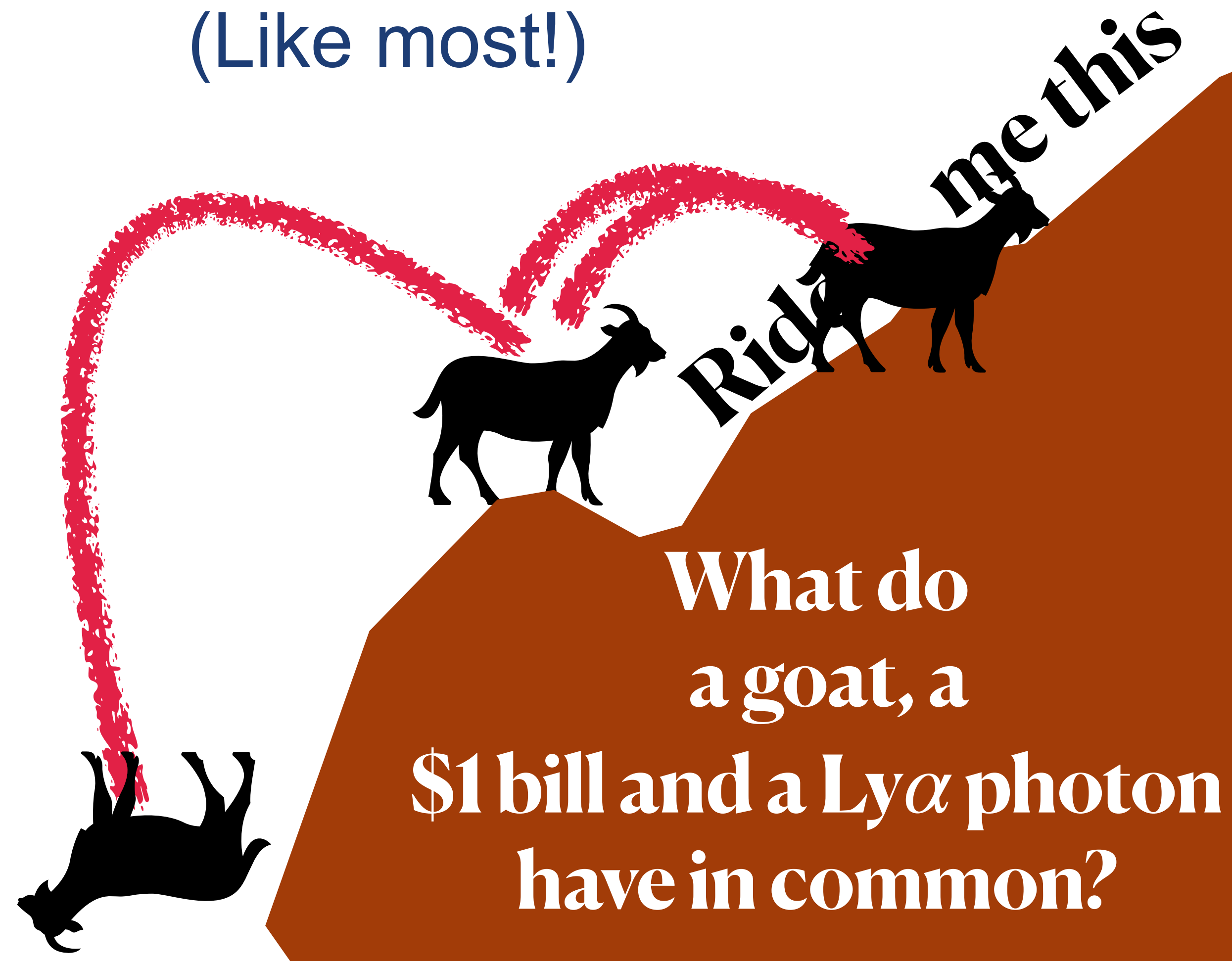


(Unlike goats) Lyman- $\alpha$  photons are likely to escape after

$$N_{scat} \sim \tau_0$$

Chance to scatter until escape frequency (long enough mean free path!)

Reflected goat!  
(Like most!)



# The solution...

(In a “few” plots)



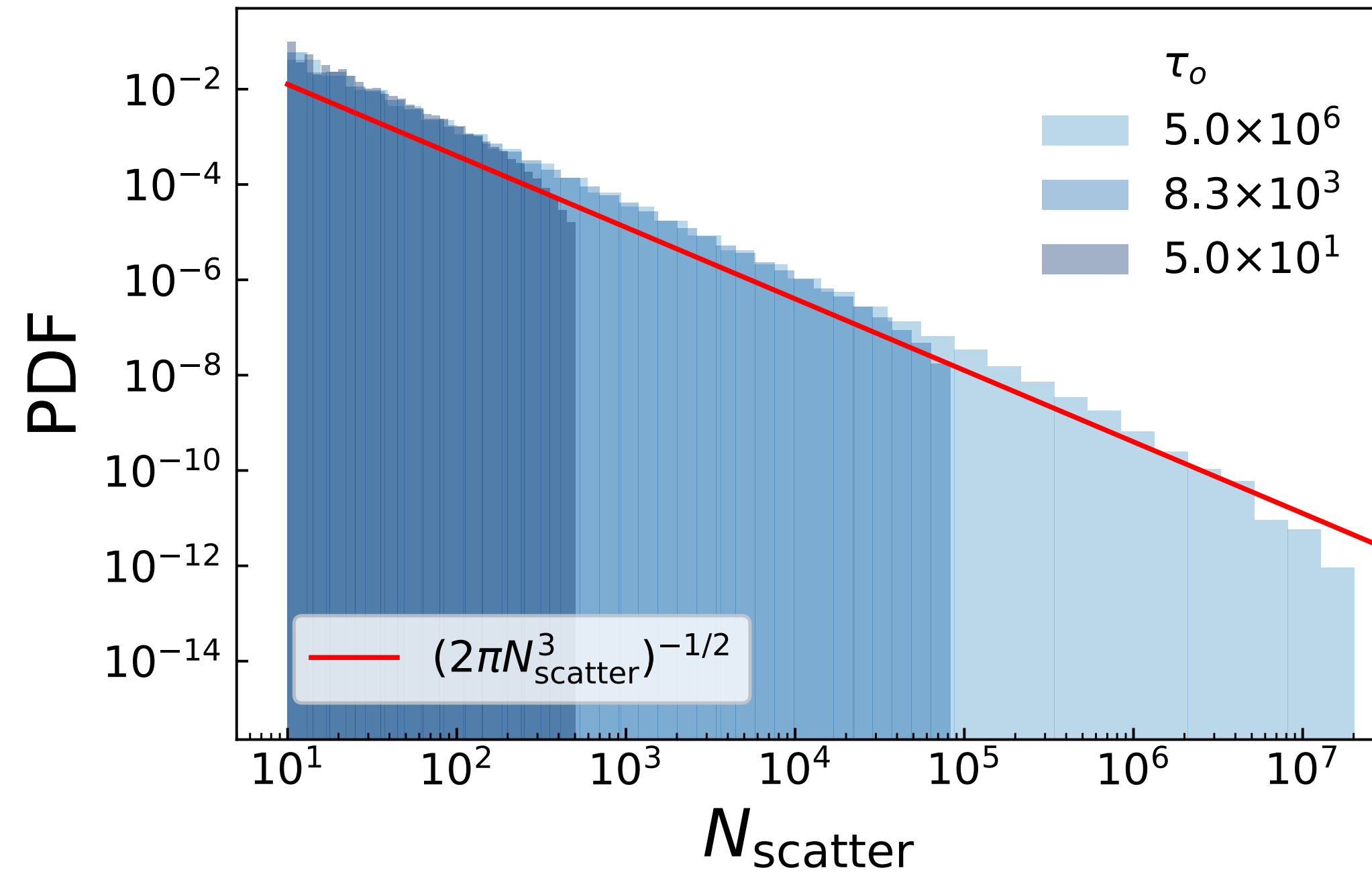
**Lévy  
distribution**



Ly $\alpha$  photons  
are NOT  
Ping-pong  
balls!

$$f_{\text{reflected}}(N_{\text{scatter}}) = \frac{1}{\sqrt{2\pi N_{\text{scatter}}^3}} \exp\left(-\frac{1}{2N_{\text{scatter}}}\right)$$

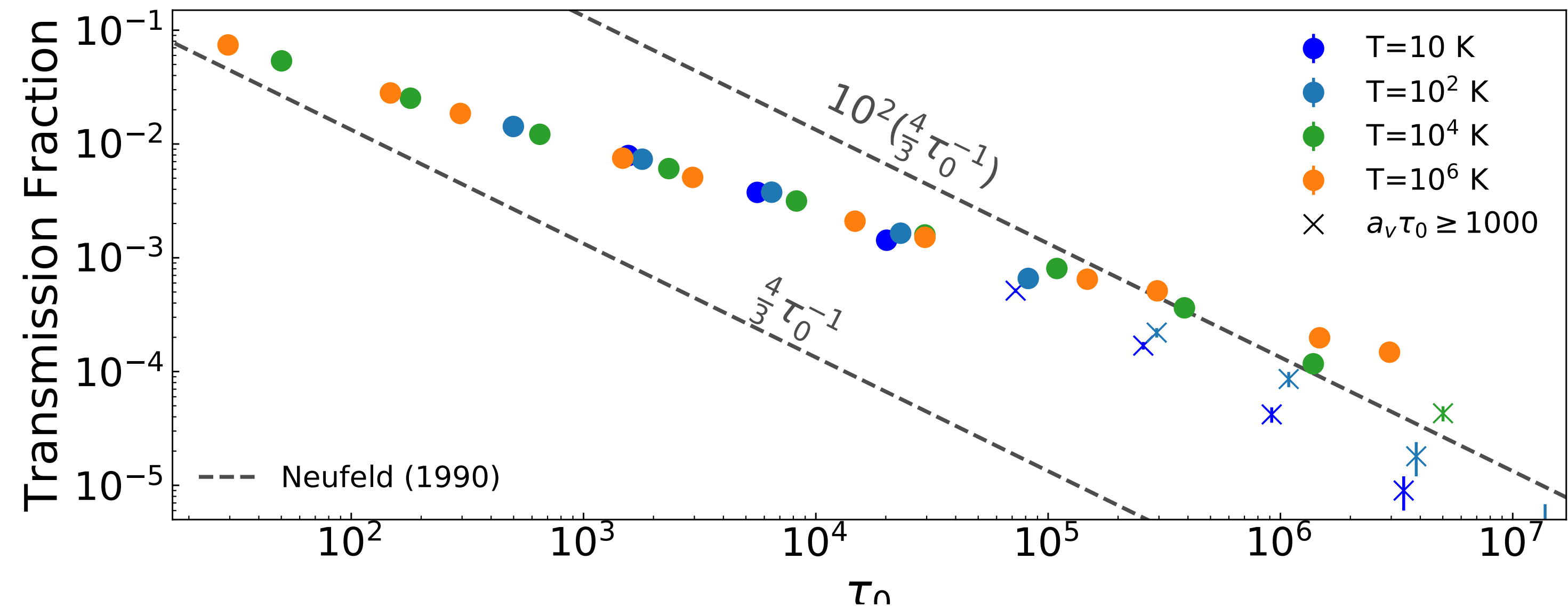
Scatter many  
times before  
reflection



Slab Transmission Probability

$$T_{\text{slab}} = \frac{1}{2} \int_{\tau_0}^{\infty} f_{\text{reflected}}(n) dn \approx (2\pi\tau_0)^{-1/2}$$

$$T_{\text{slab}} \approx (2\pi\tau_0)^{-1/2}$$



# The solution...

(In a “few” plots)



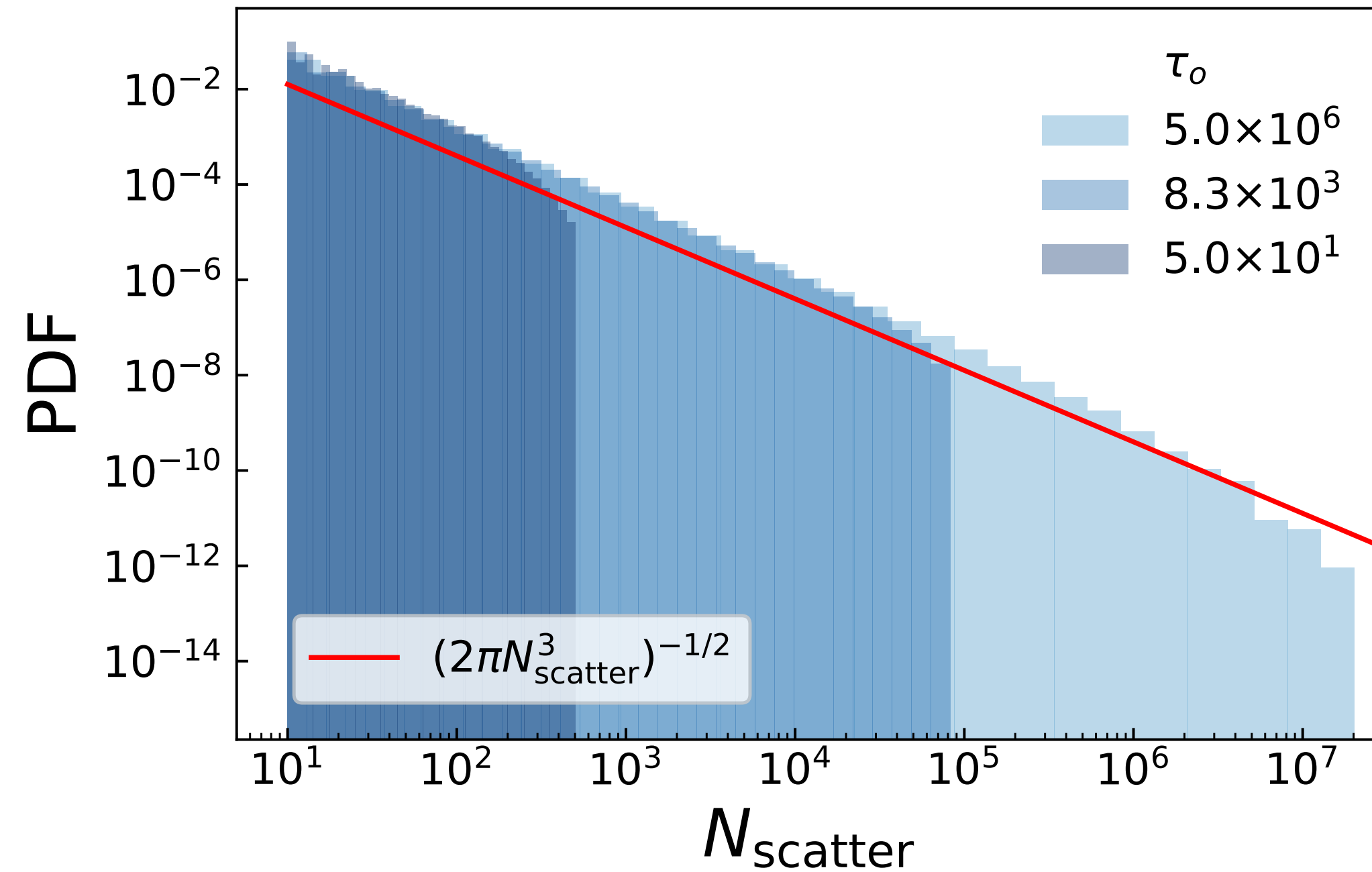
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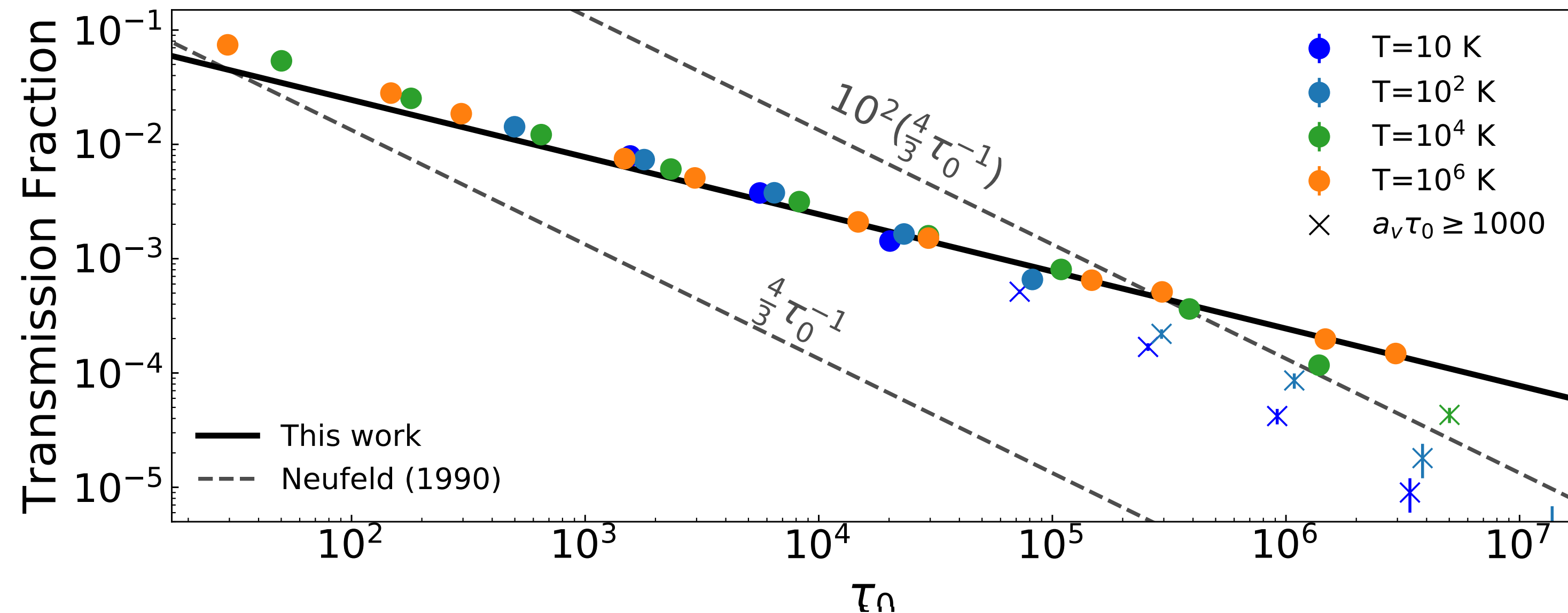
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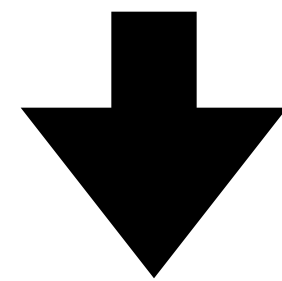


# The solution...

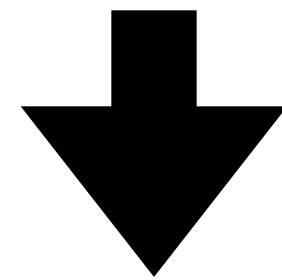


(In a few words)

**Ly $\alpha$  photons are reflected by the gas after many scatterings**



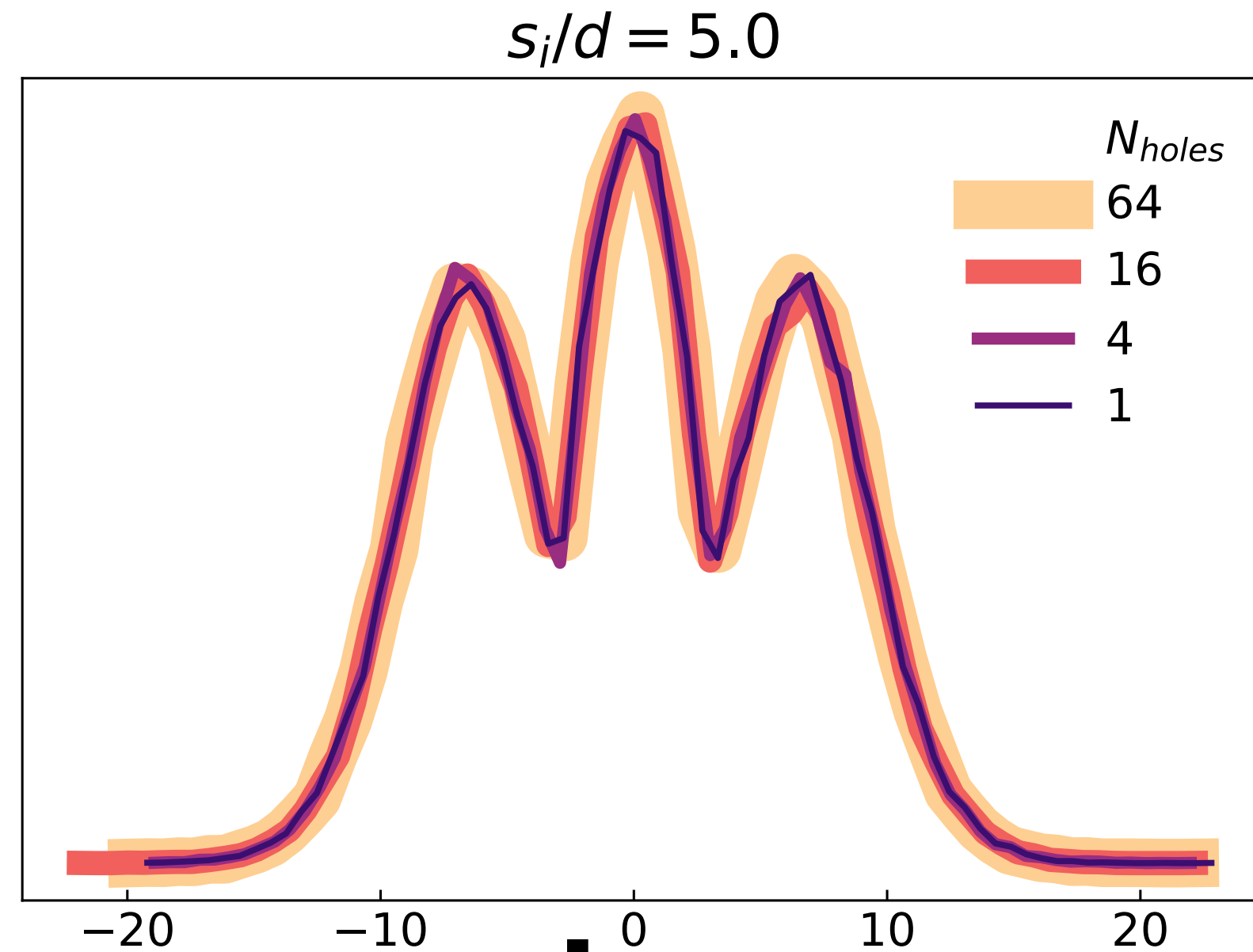
**More scatters facilitate shift in frequency  $x > x_{esc}$   
increase mean free path**



**Much larger transmission probability through the slab**

# What about? ...

## More than one hole



Constrain  
total hole size

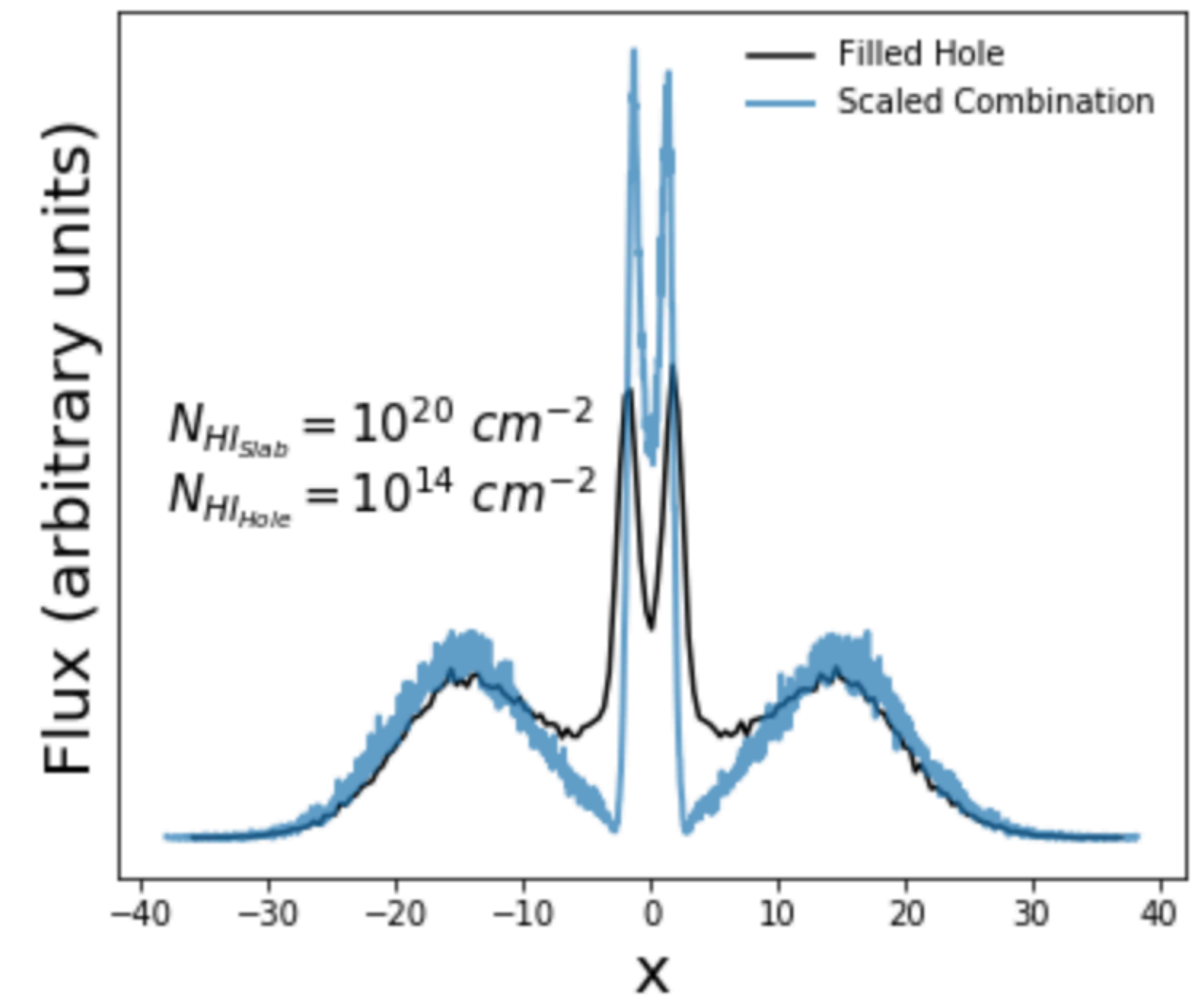
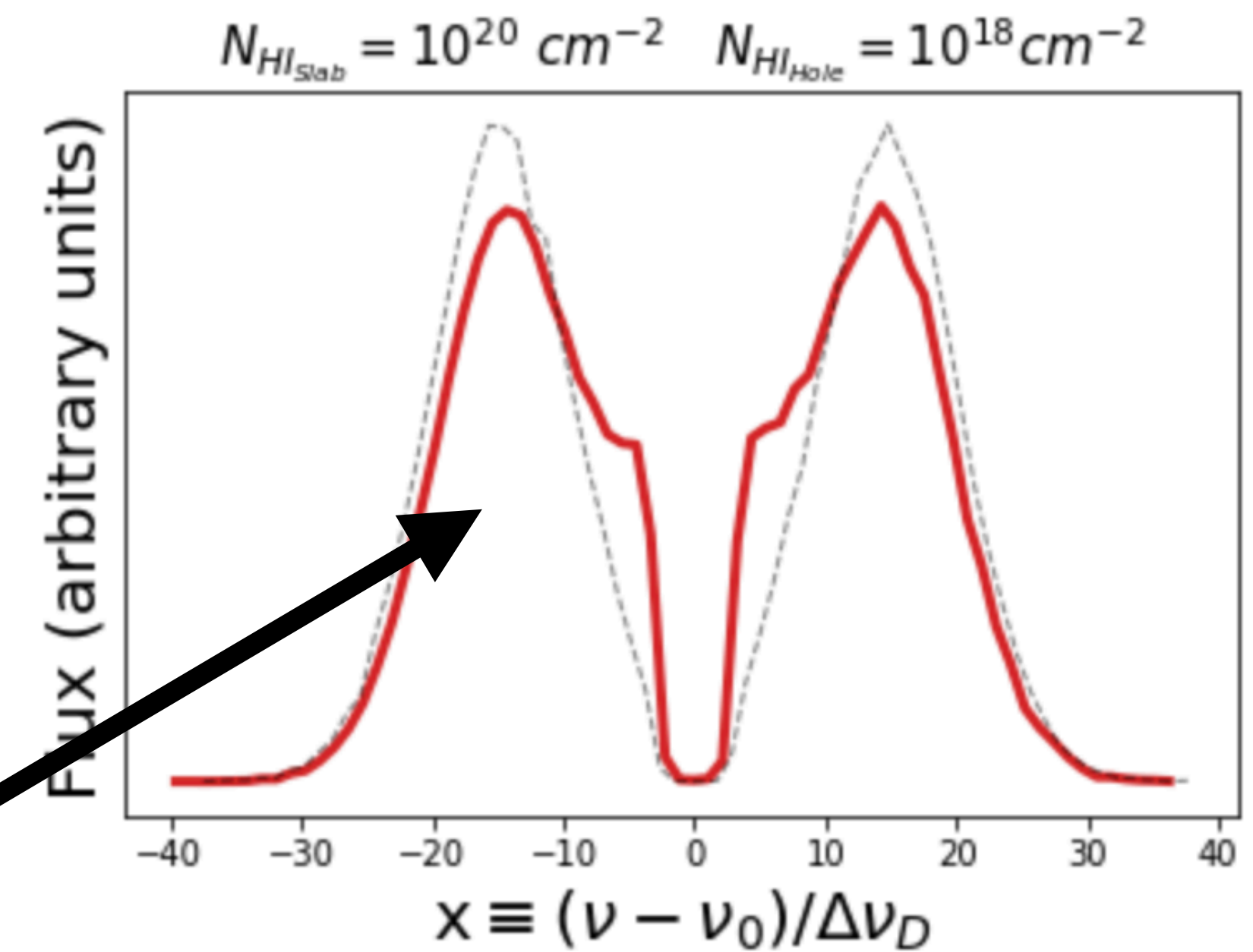
Ly  $\alpha$  traces more  
general properties of  
the distribution!

hole + high column  
density gas

Asymmetric  
blue-red  
peaks

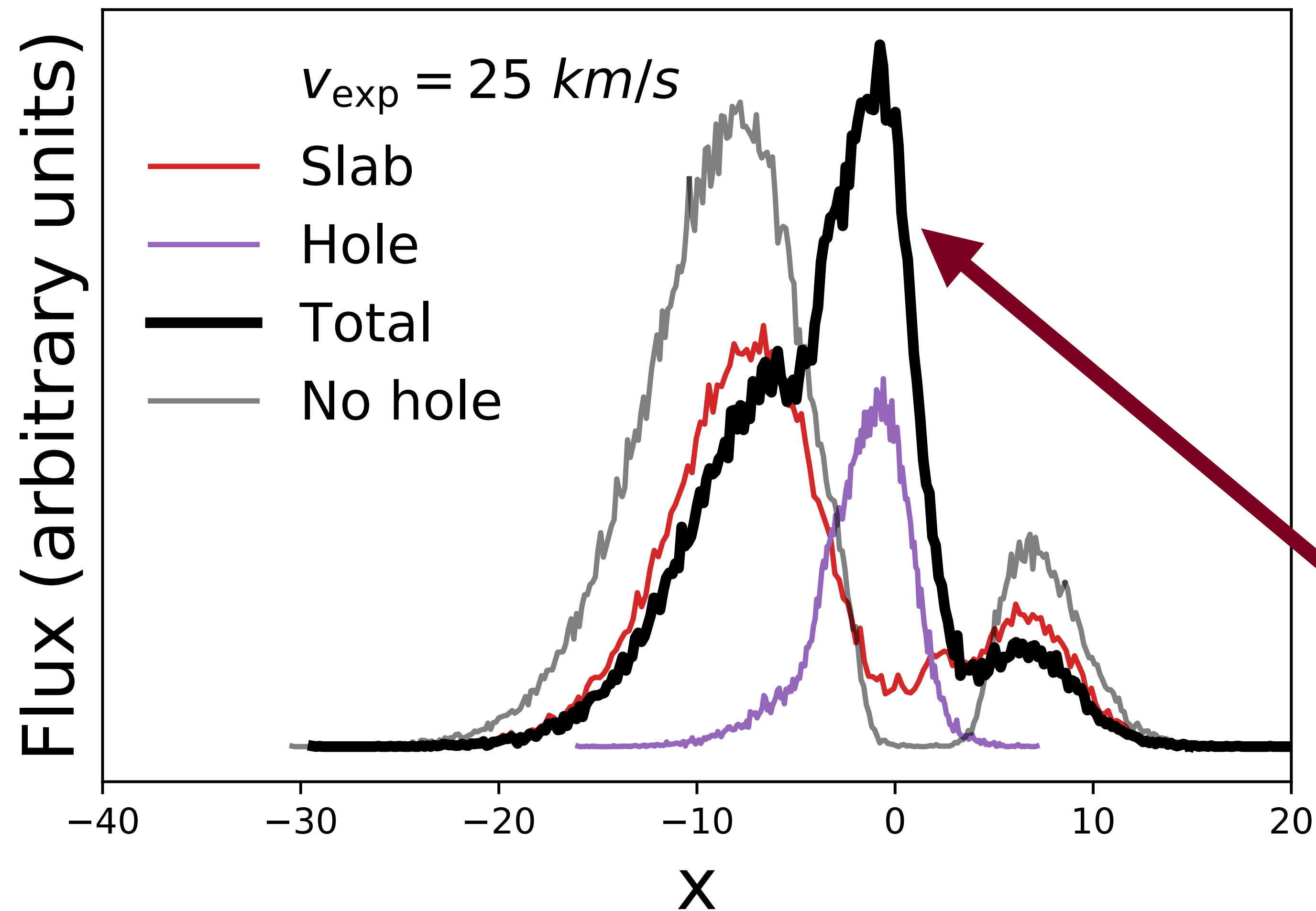
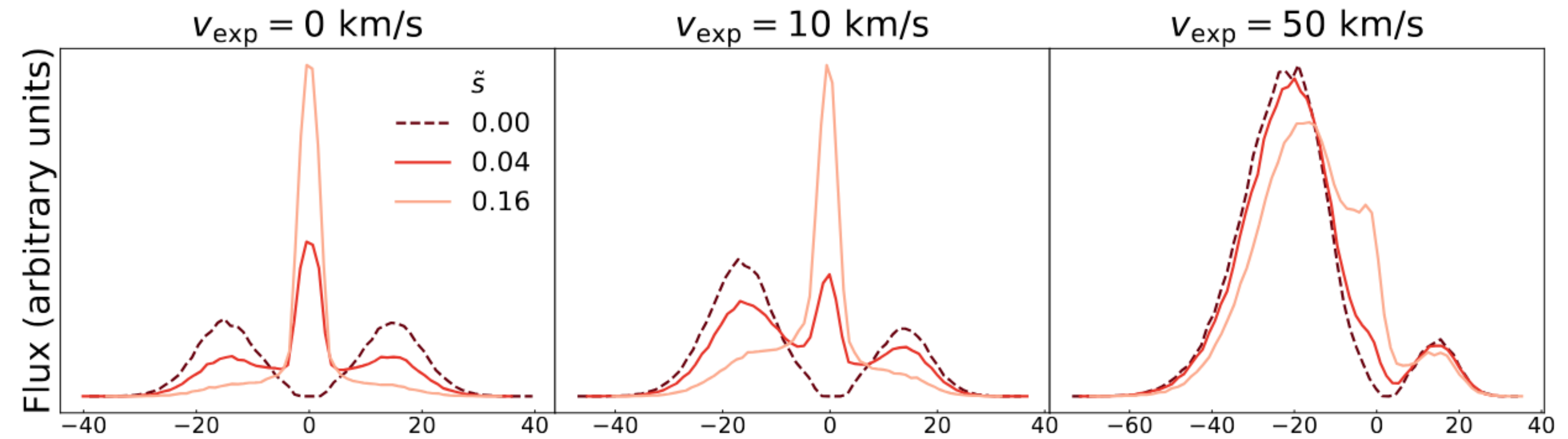
Model low and high  
column densities using  
 $\tilde{f}$

## Filled hole



# What about? ...

## Outflows

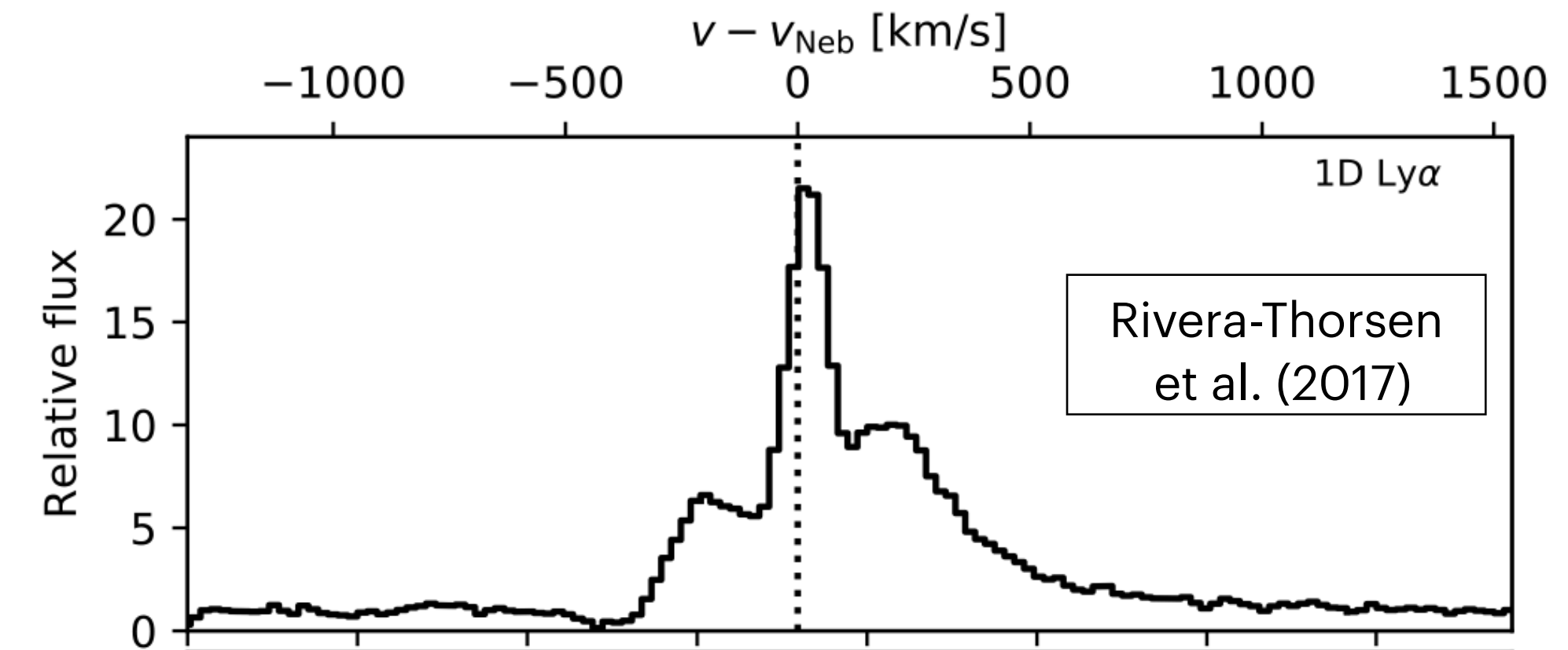
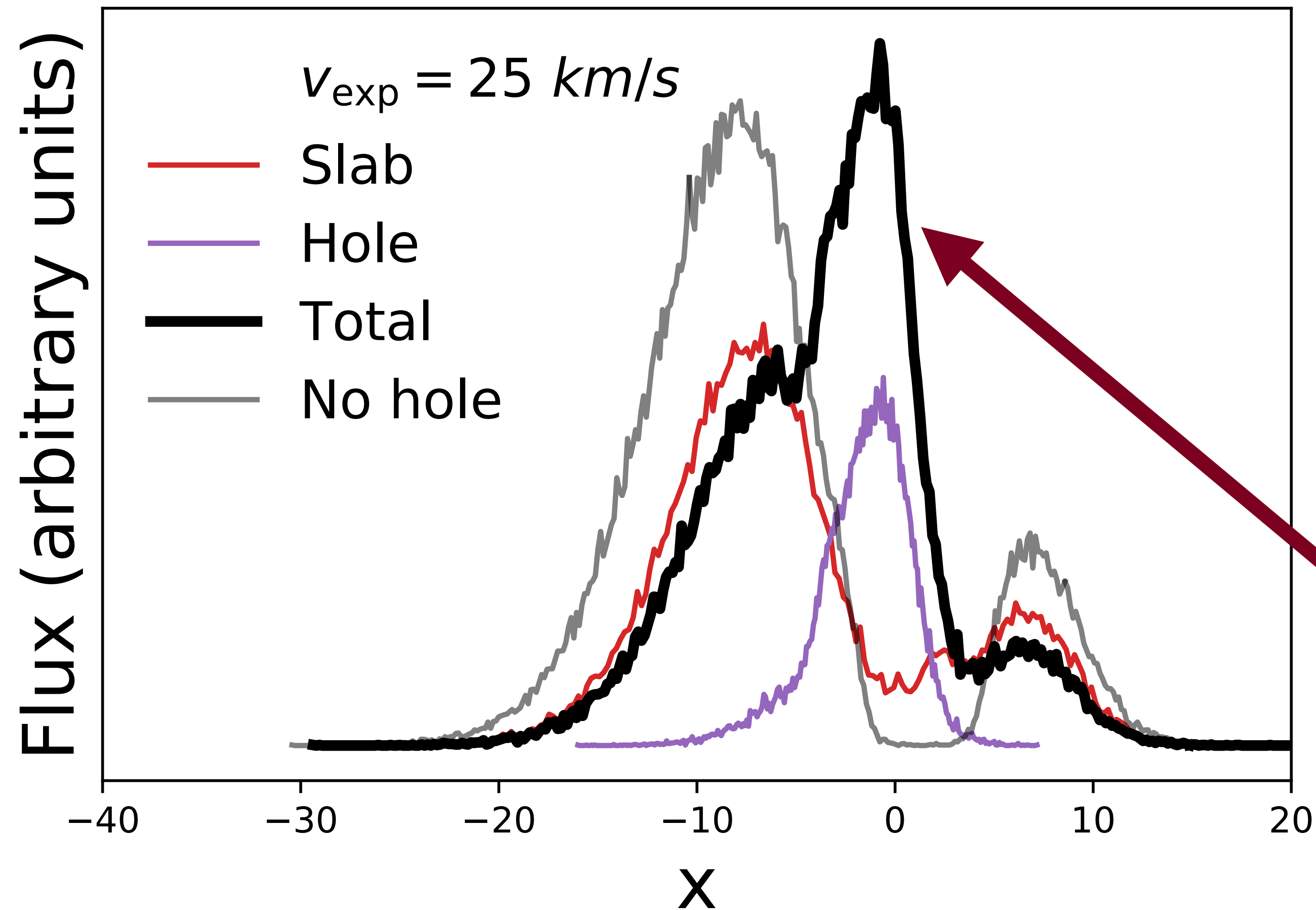
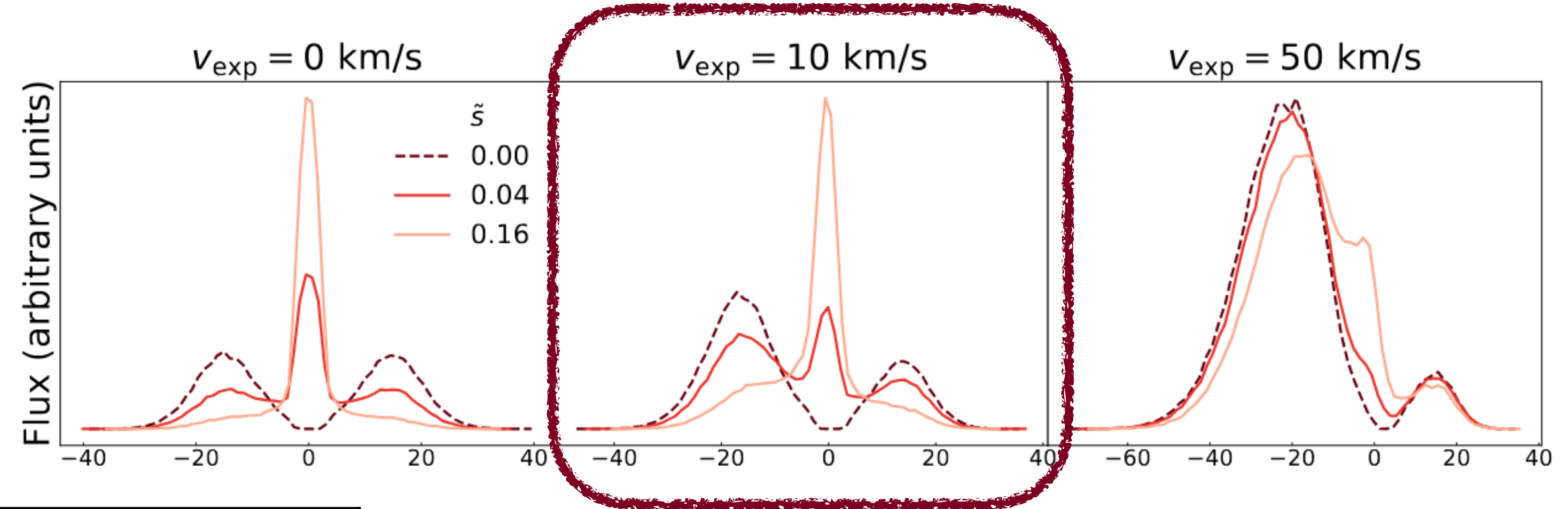


Fusion of red and central peaks  
asymmetric line profile



# What about? ...

## Outflows



Fusion of red and central peaks  
asymmetric line profile



# Implications...



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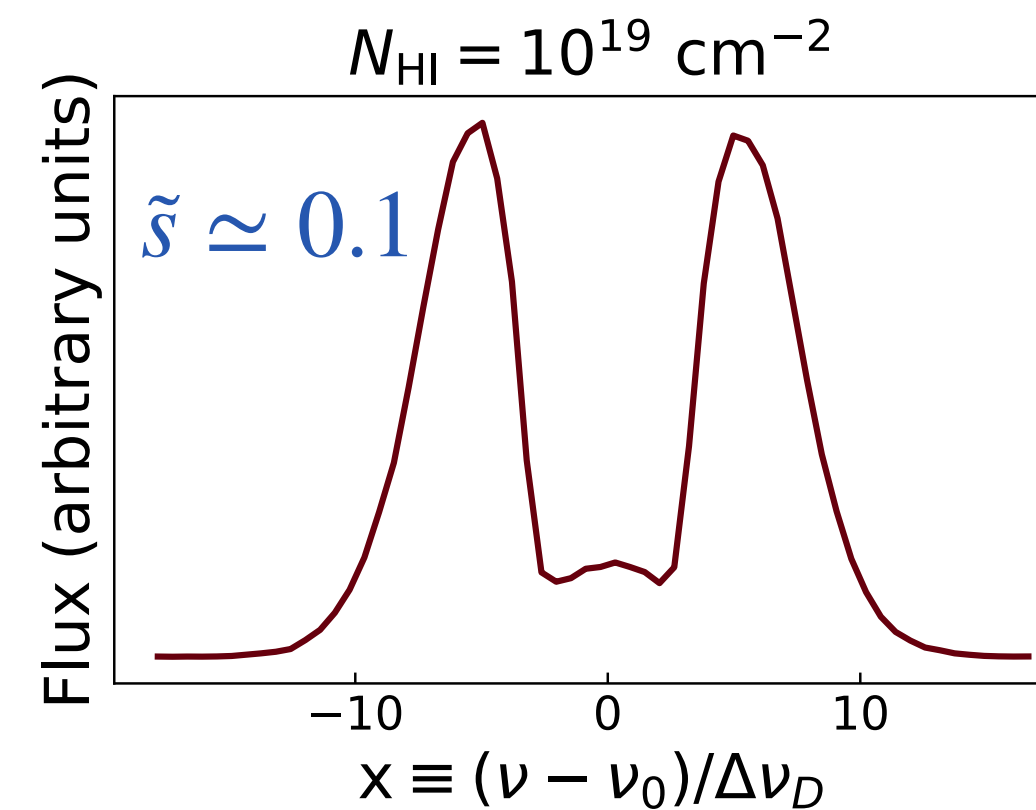
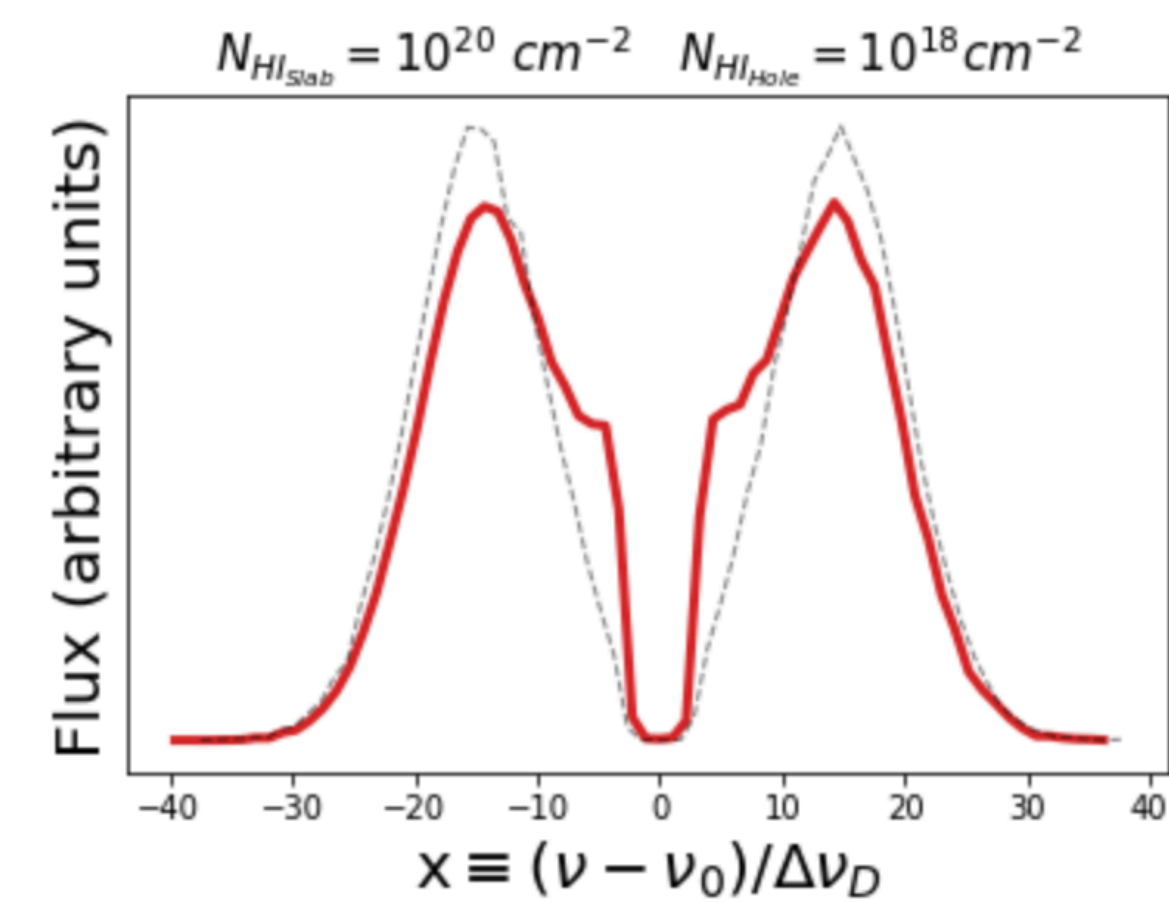




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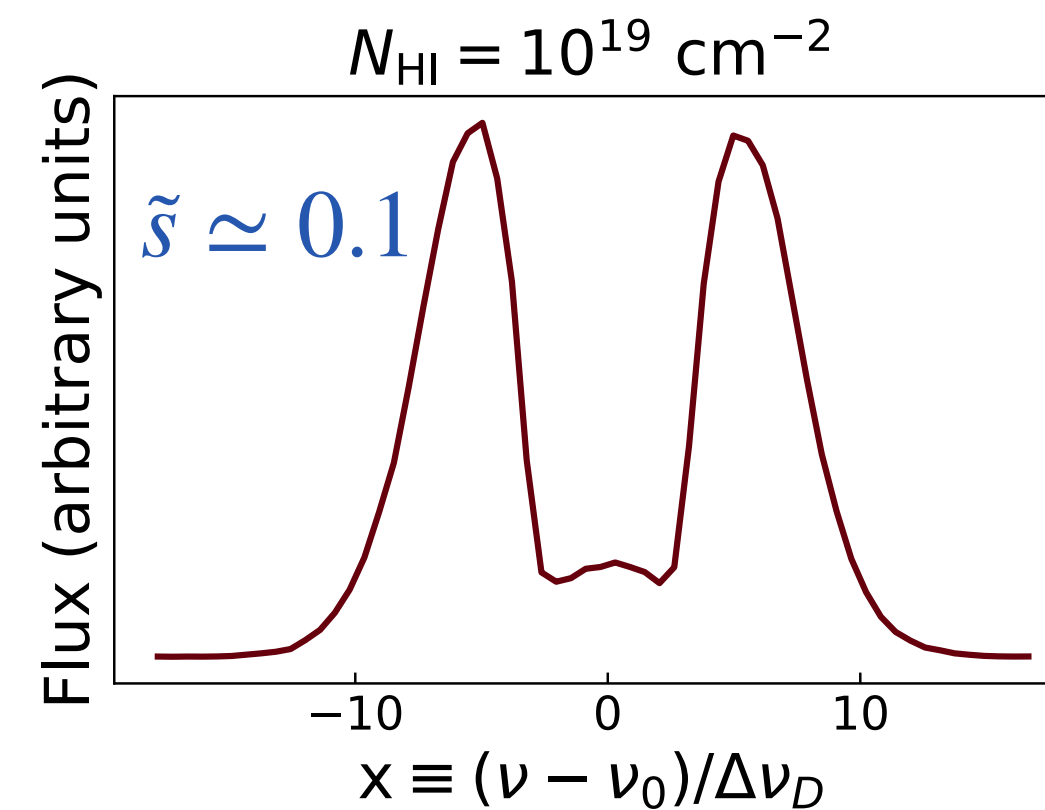
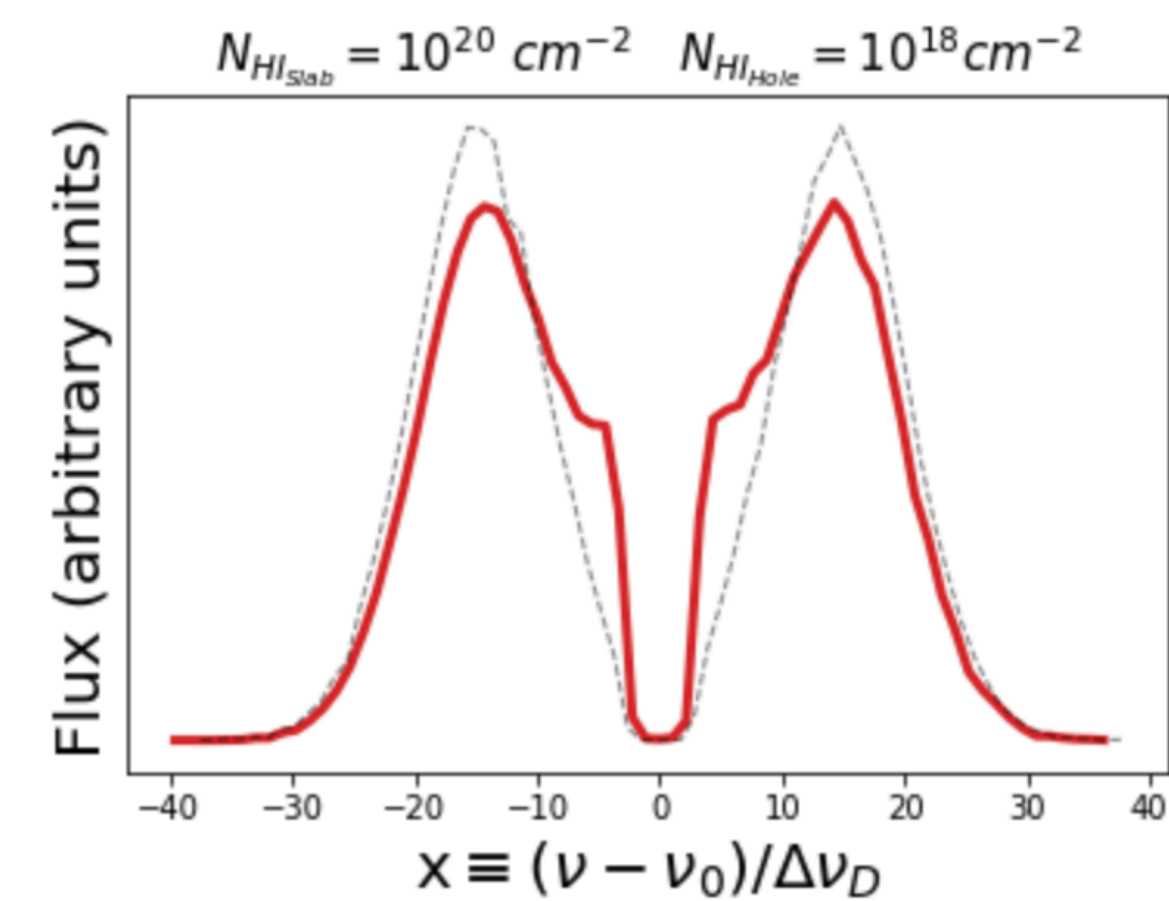




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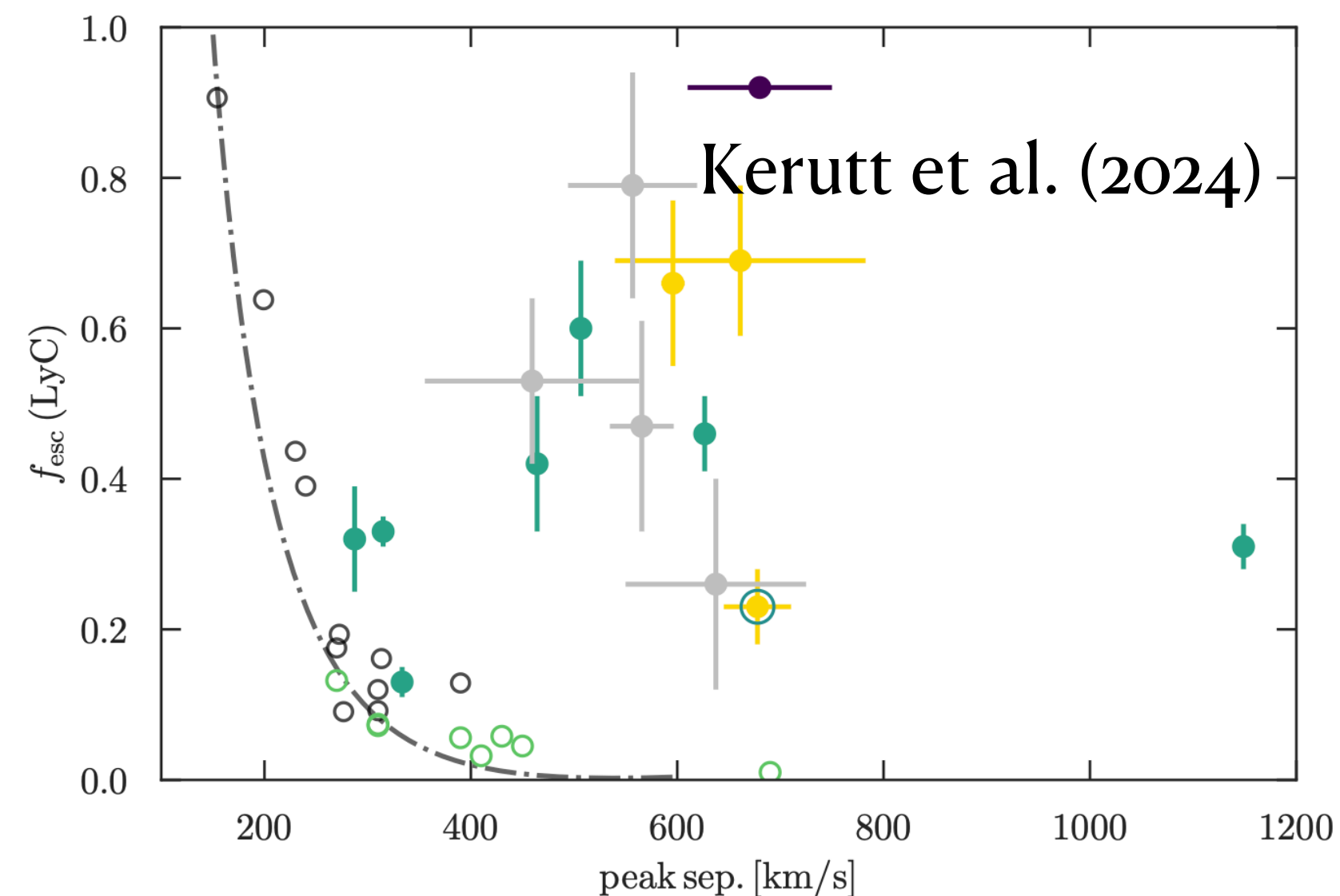
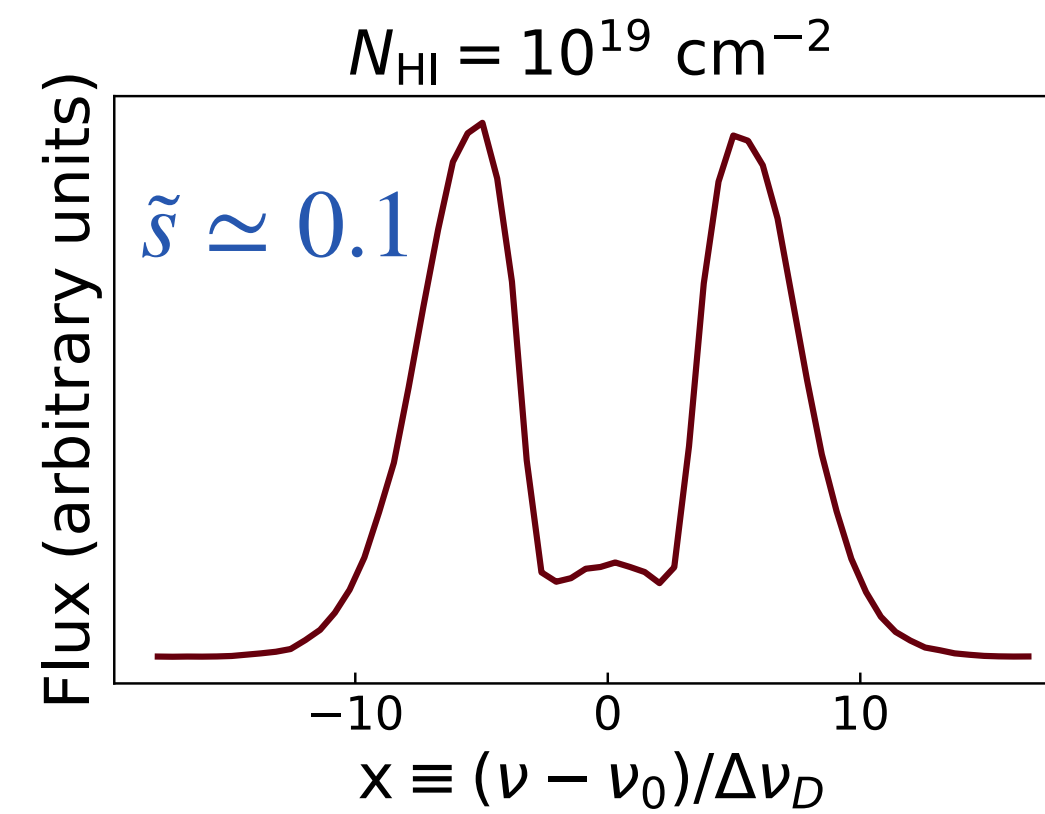
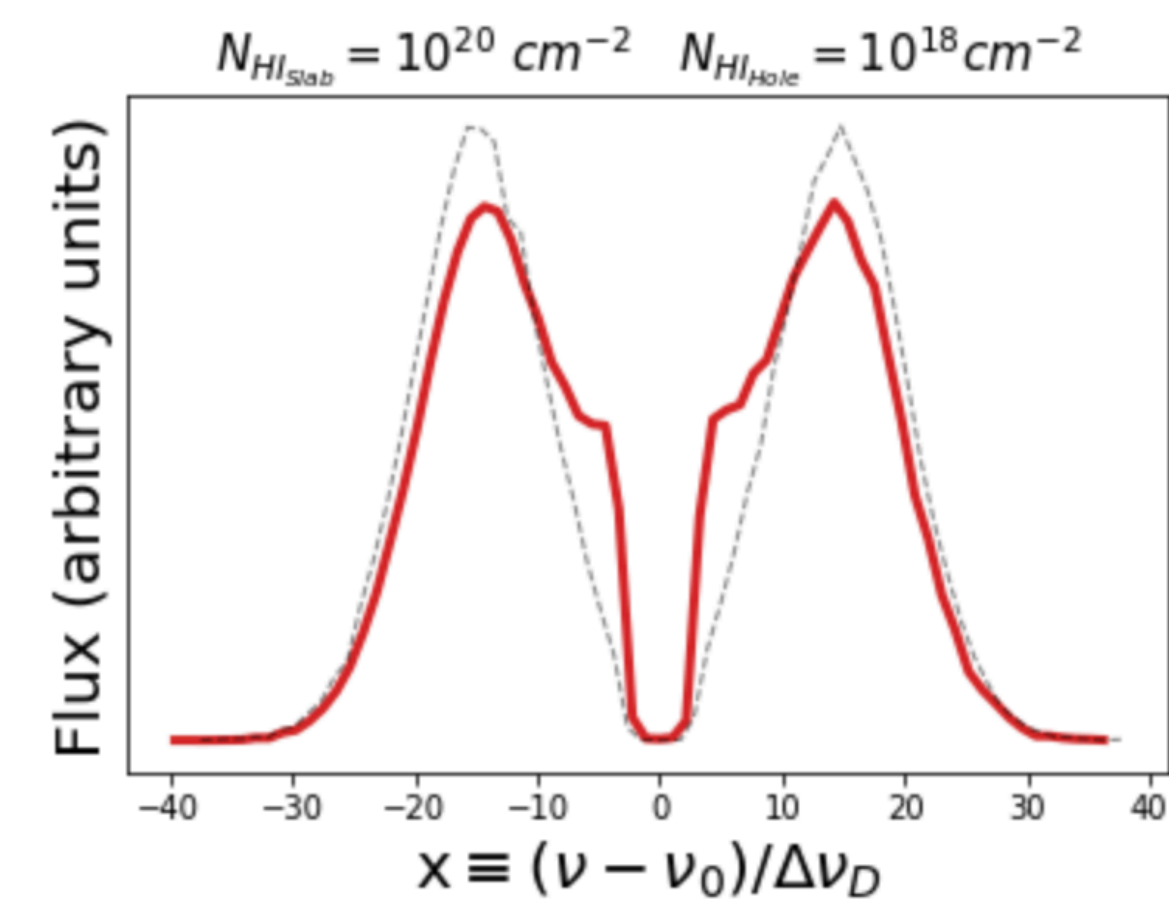
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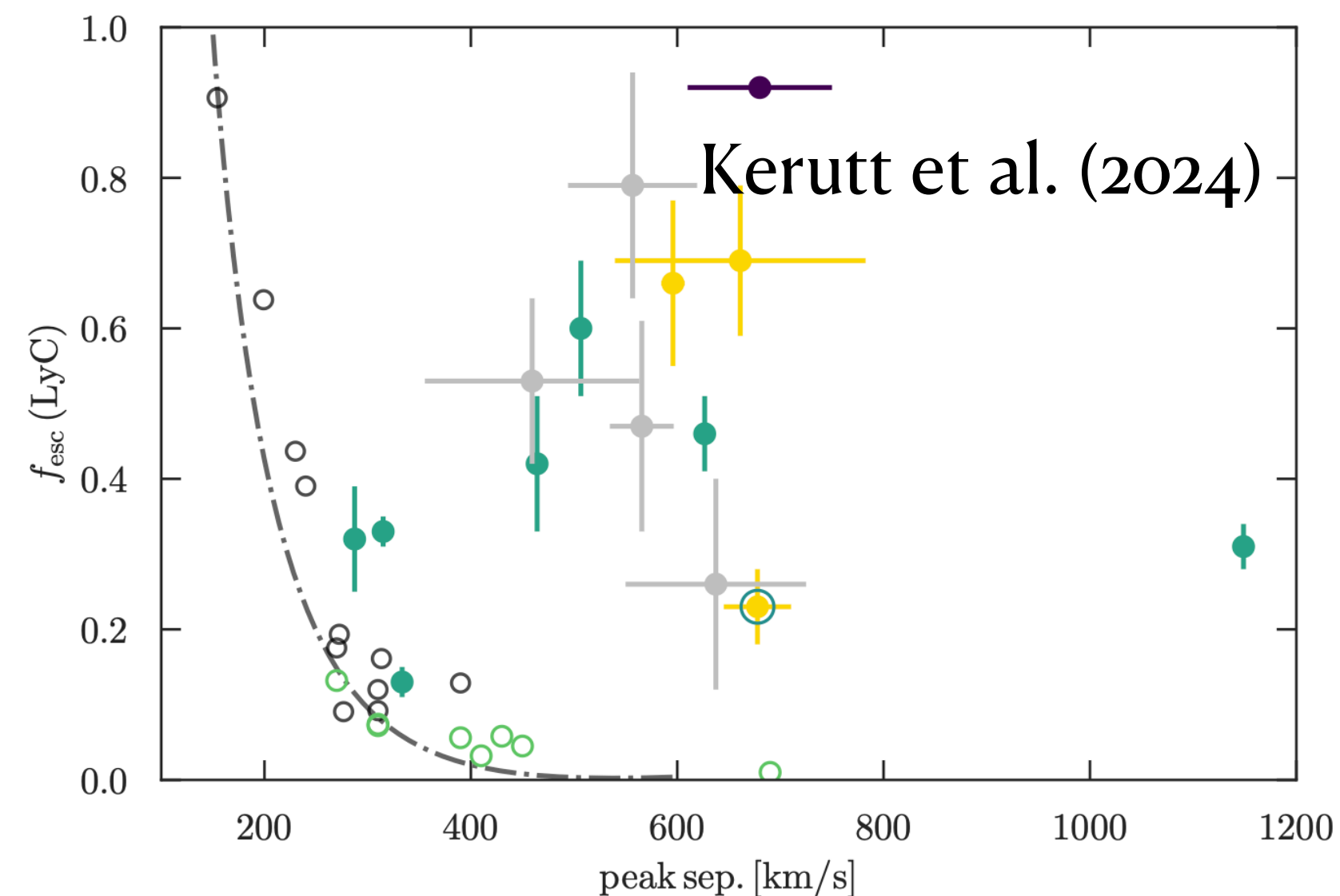
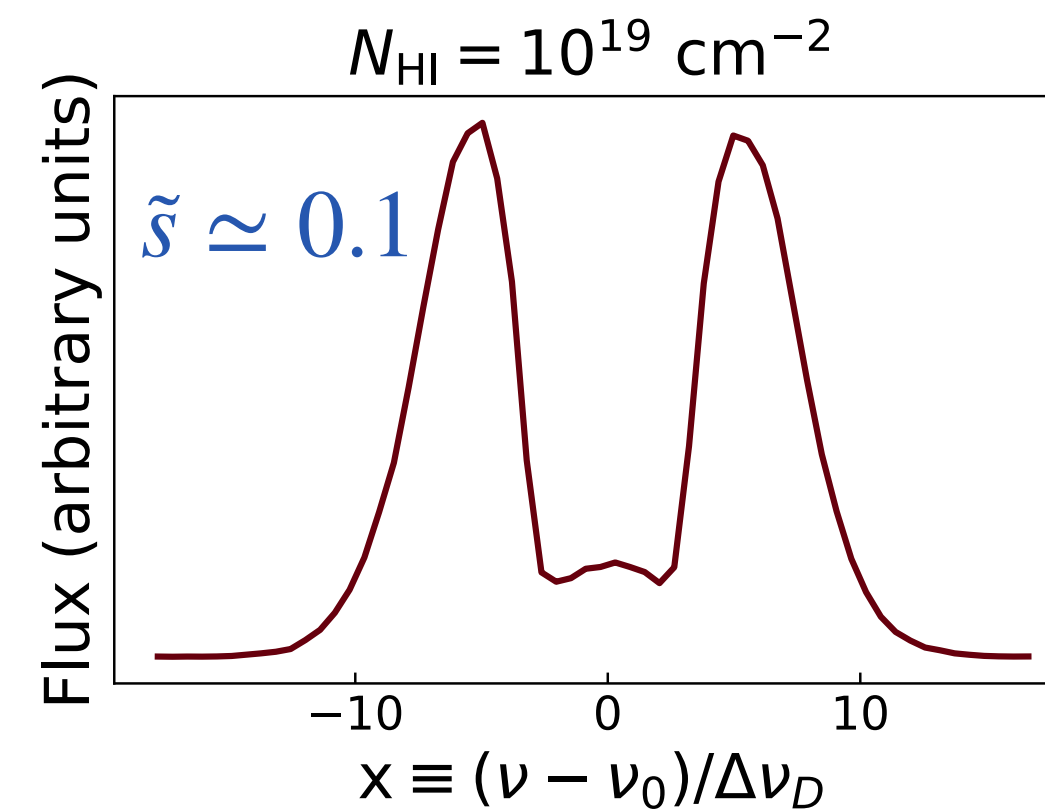
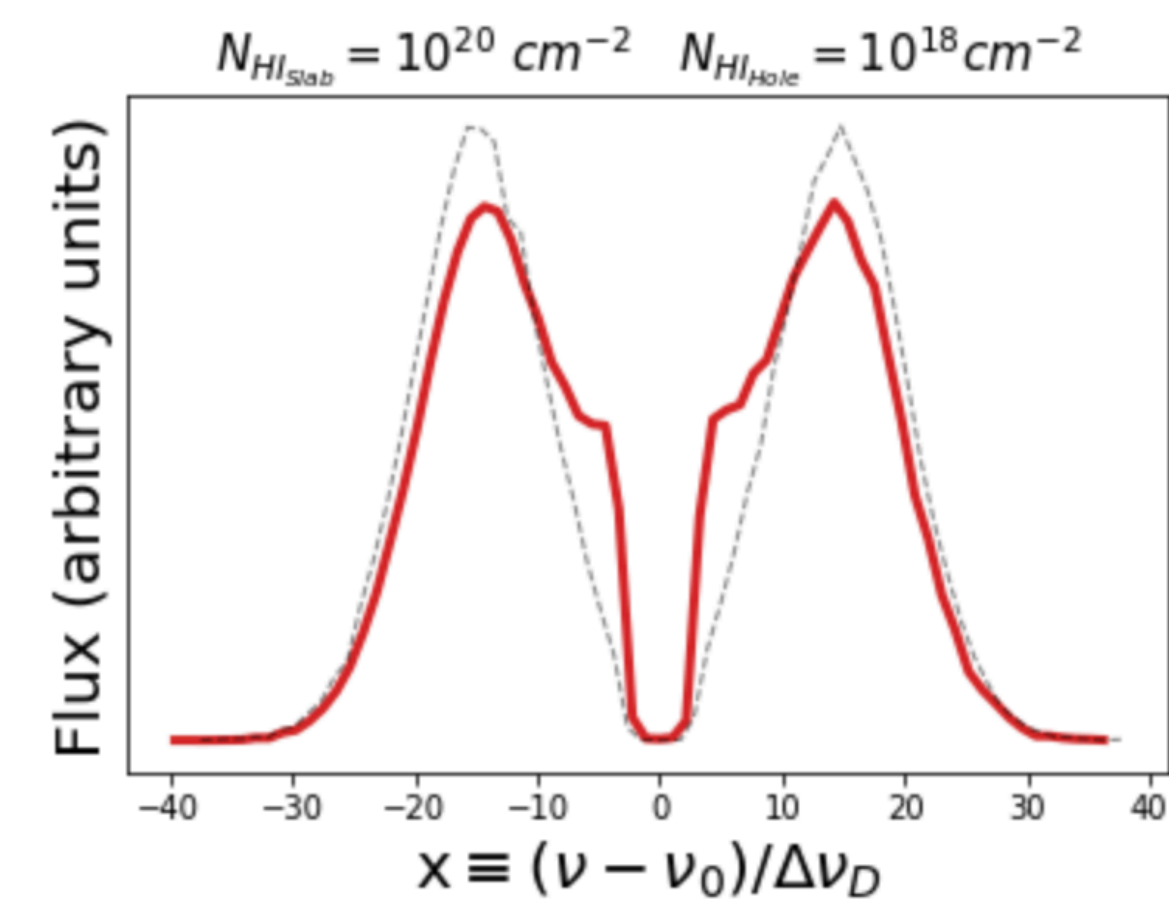
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**Understand Ly $\alpha$  escape to use it as LyC tracer!**





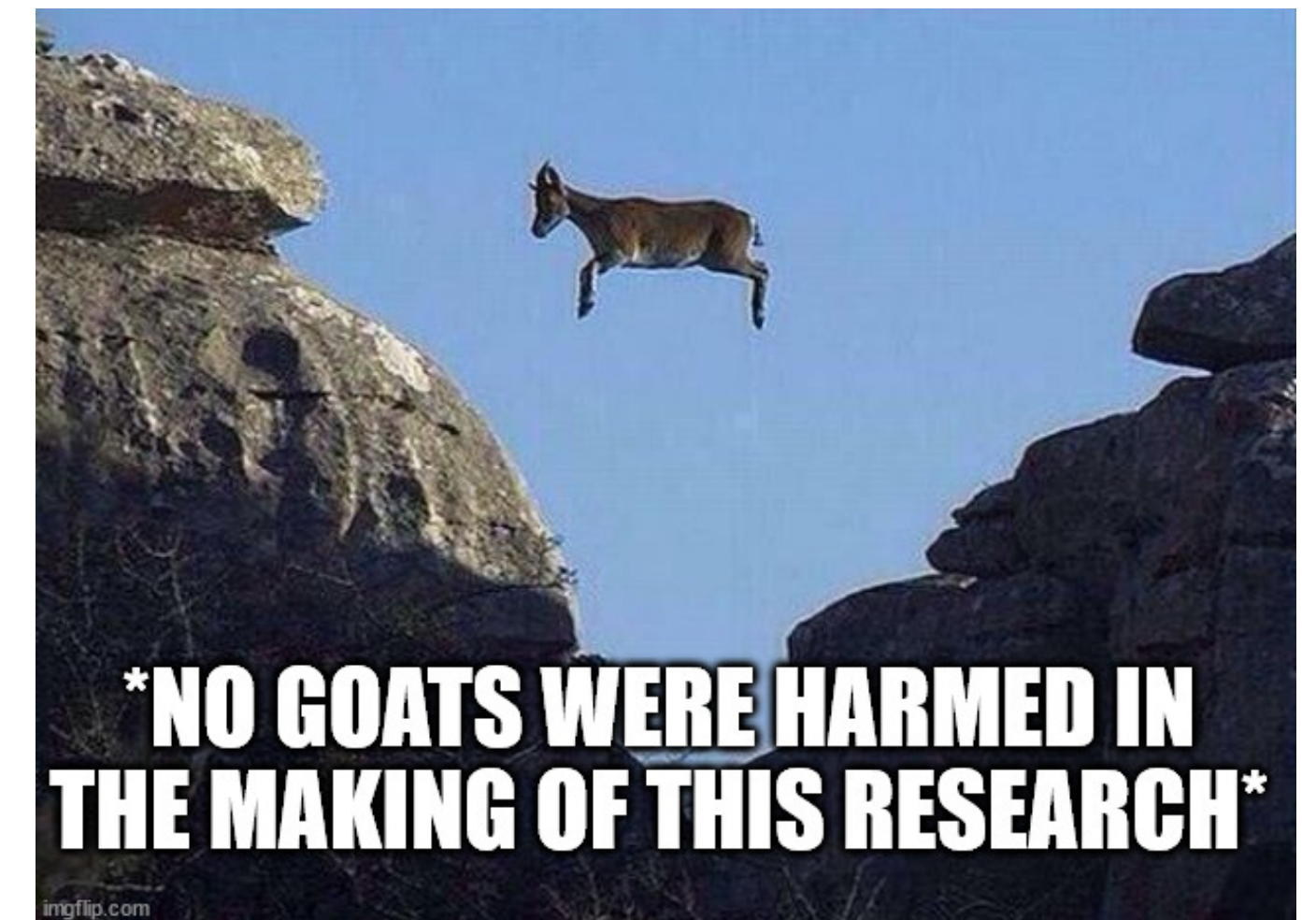
# Take home message

- Photons undergo multiple scatterings before escaping, increasing the transmission probability significantly.
- $Ly\alpha$  photons probe more general properties of the  $N_{\text{HI}}$  distribution, rather than just the path of least resistance.
- Channels with certain sizes could be 'hidden' even in high column density systems. No need to have very small channels.
- Asymmetries of line profiles might be an indication of empty/low density channels

$$T_{\text{slab}} = (2\pi\tau_0)^{-1/2}$$

**Thank you!**

[arXiv:2404.07169v1](https://arxiv.org/abs/2404.07169v1)



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