

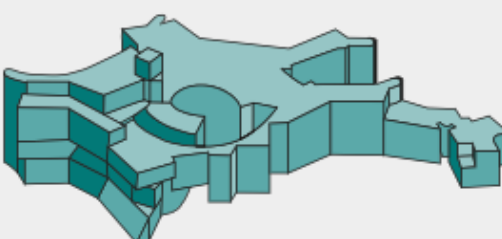
Radiative transfer simulations of Lyman escape through anisotropic gas distributions

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Max Planck Institute for Astrophysics

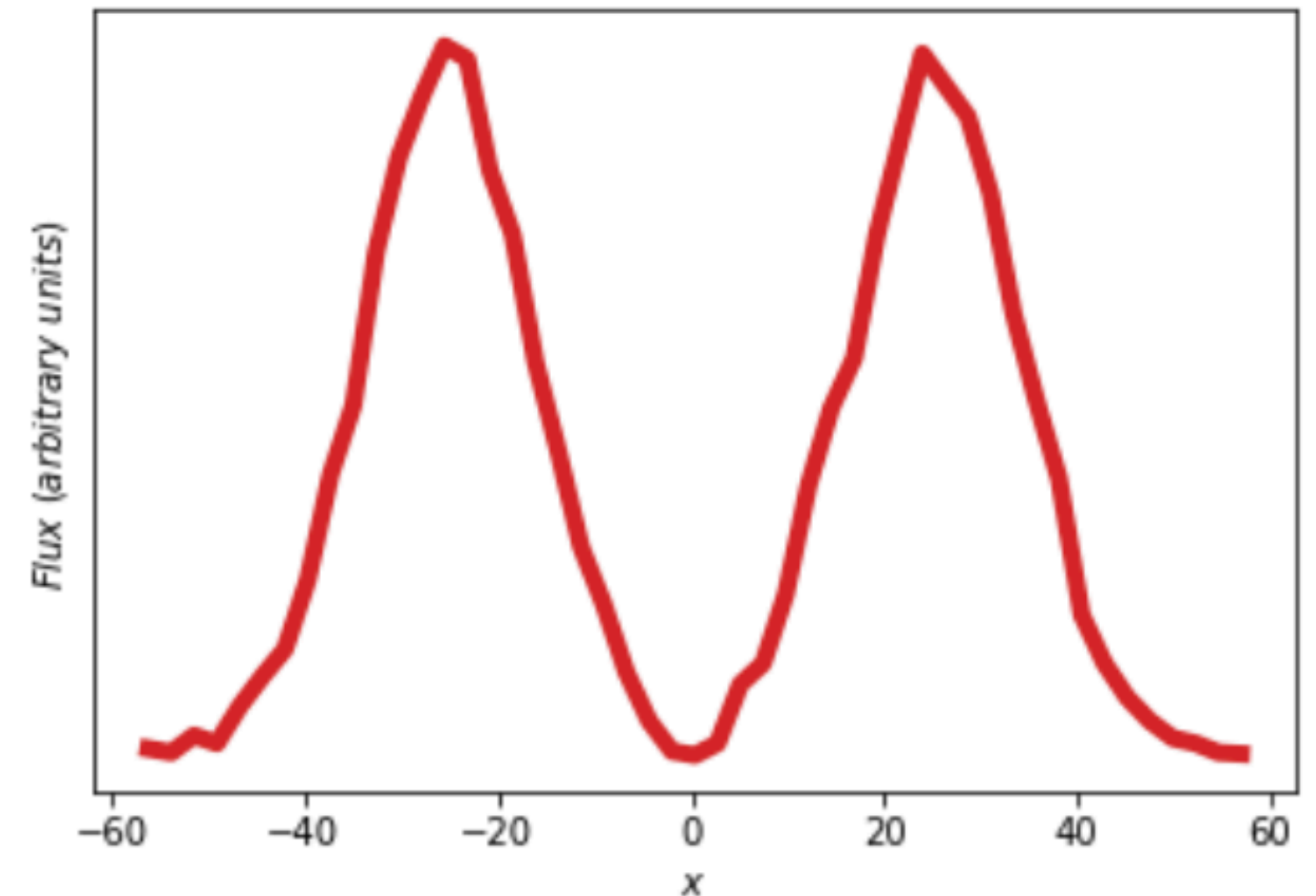


Escape of Lyman radiation from galactic labyrinths
OAC, Kolymbari, Crete
April 18th, 2023



Radiative transfer simulations of Lyman escape through anisotropic gas distributions

- ✓ **Easy: Lyman-alpha line profiles give us information about gas surrounding galaxies**



Radiative transfer simulations of Lyman escape through **anisotropic** gas distributions

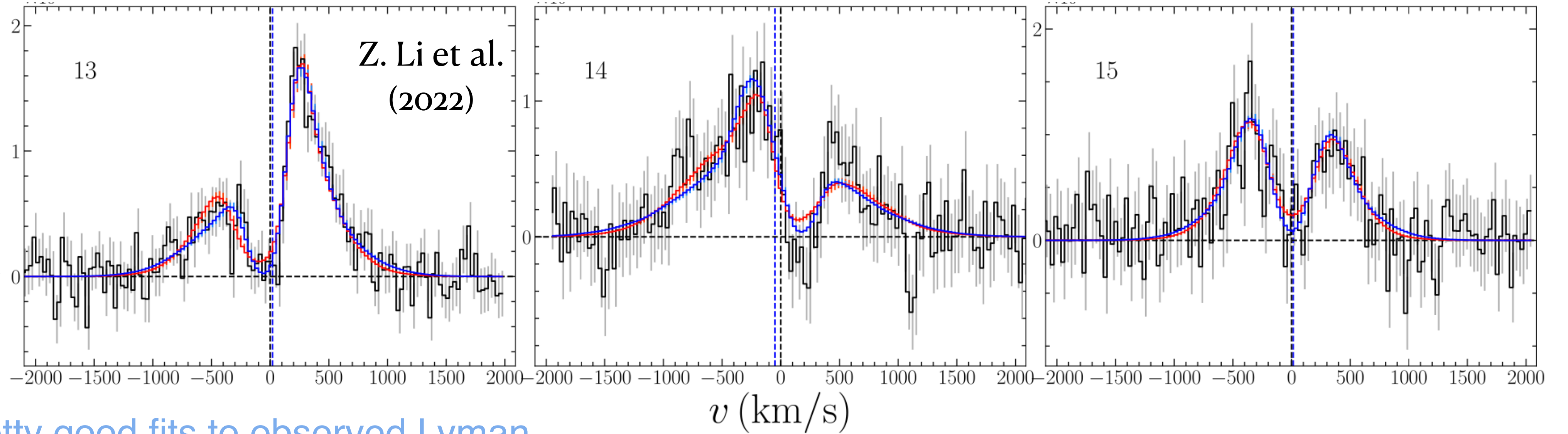
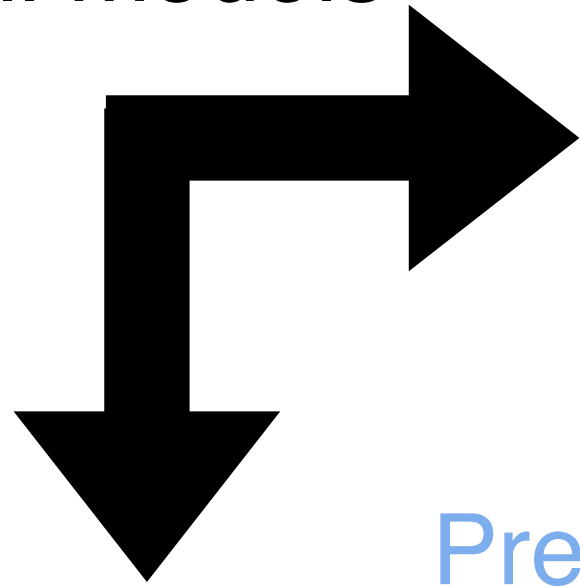
~~Easy~~: Lyman-alpha line
profiles give us information
about gas surrounding
galaxies

So far, most attempts to 'decode' Lyman-
alpha have been made through **isotropic**
models that don't necessarily represent
real scenarios

Are these enough?

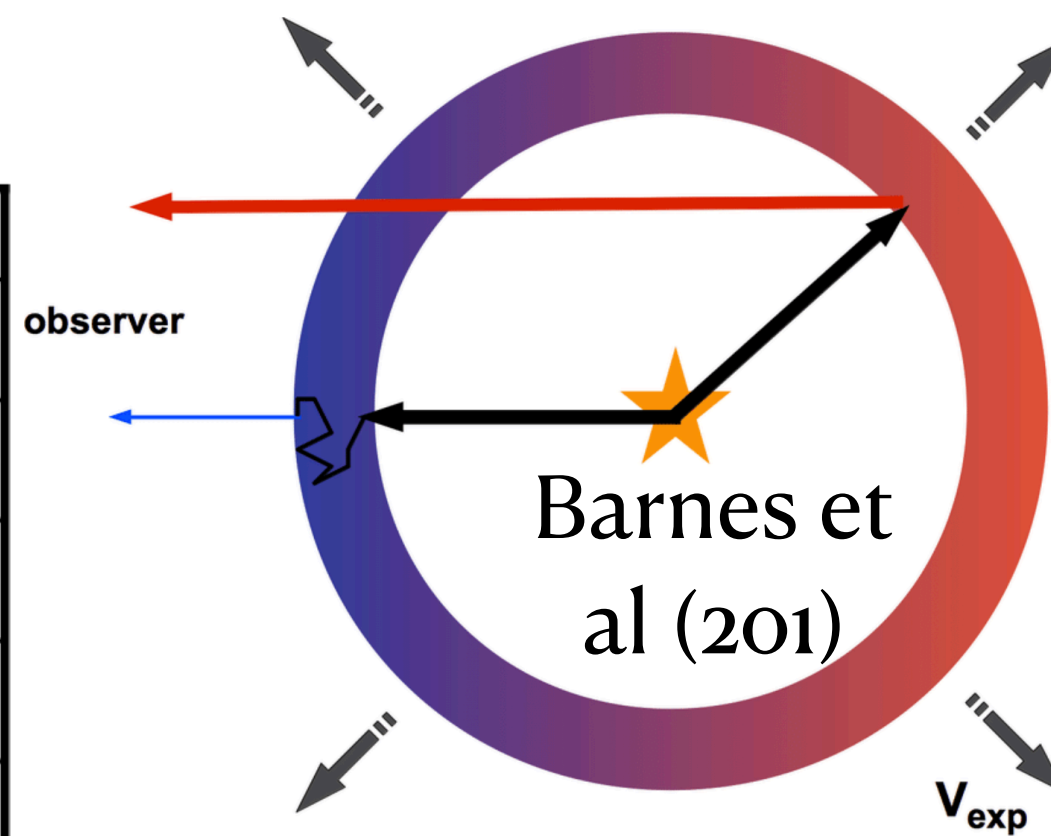
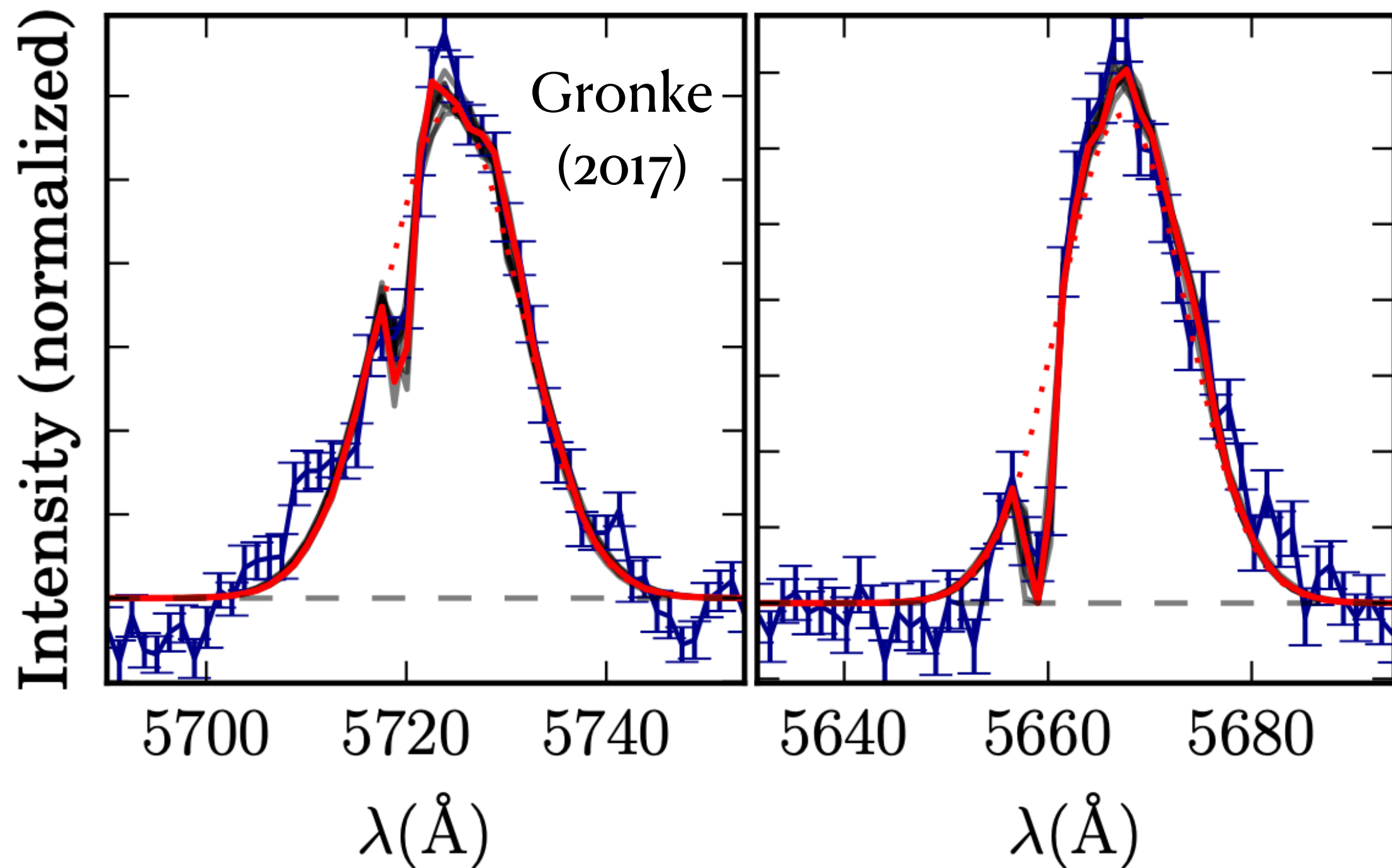
Well...

Shell models



Pretty good fits to observed Lyman alpha line profiles

However...



Geometry does not always capture complex structure of gas

Not clear what the parameters mean physically



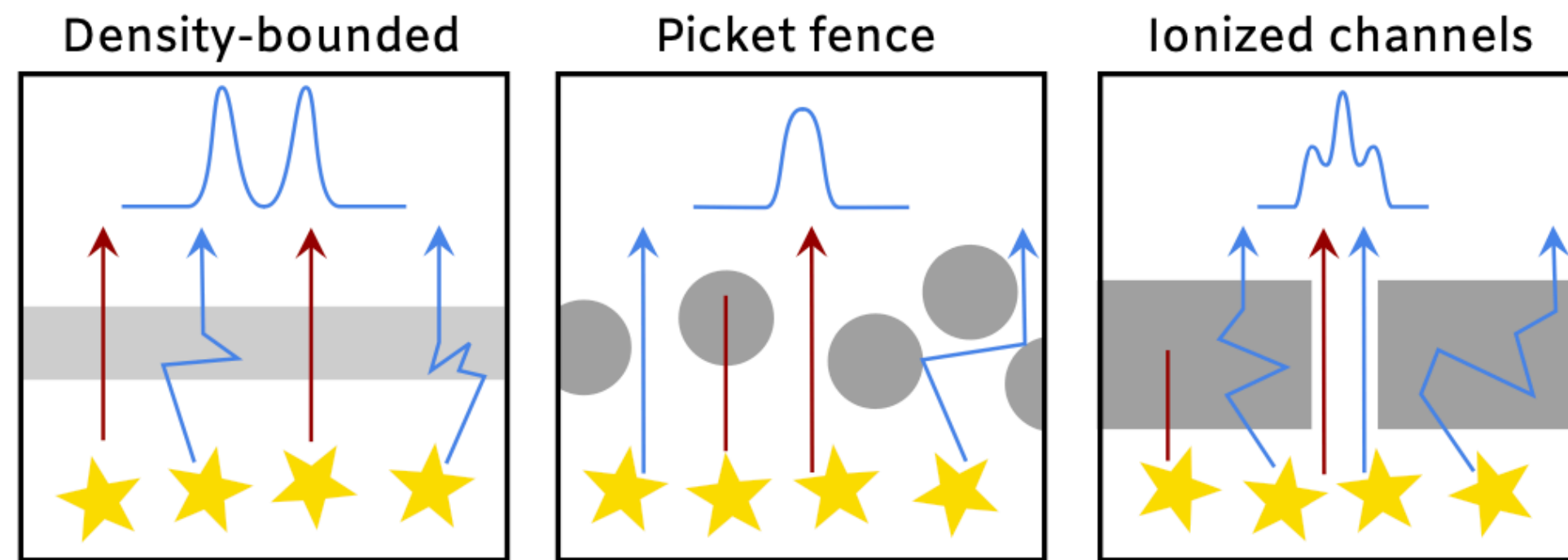
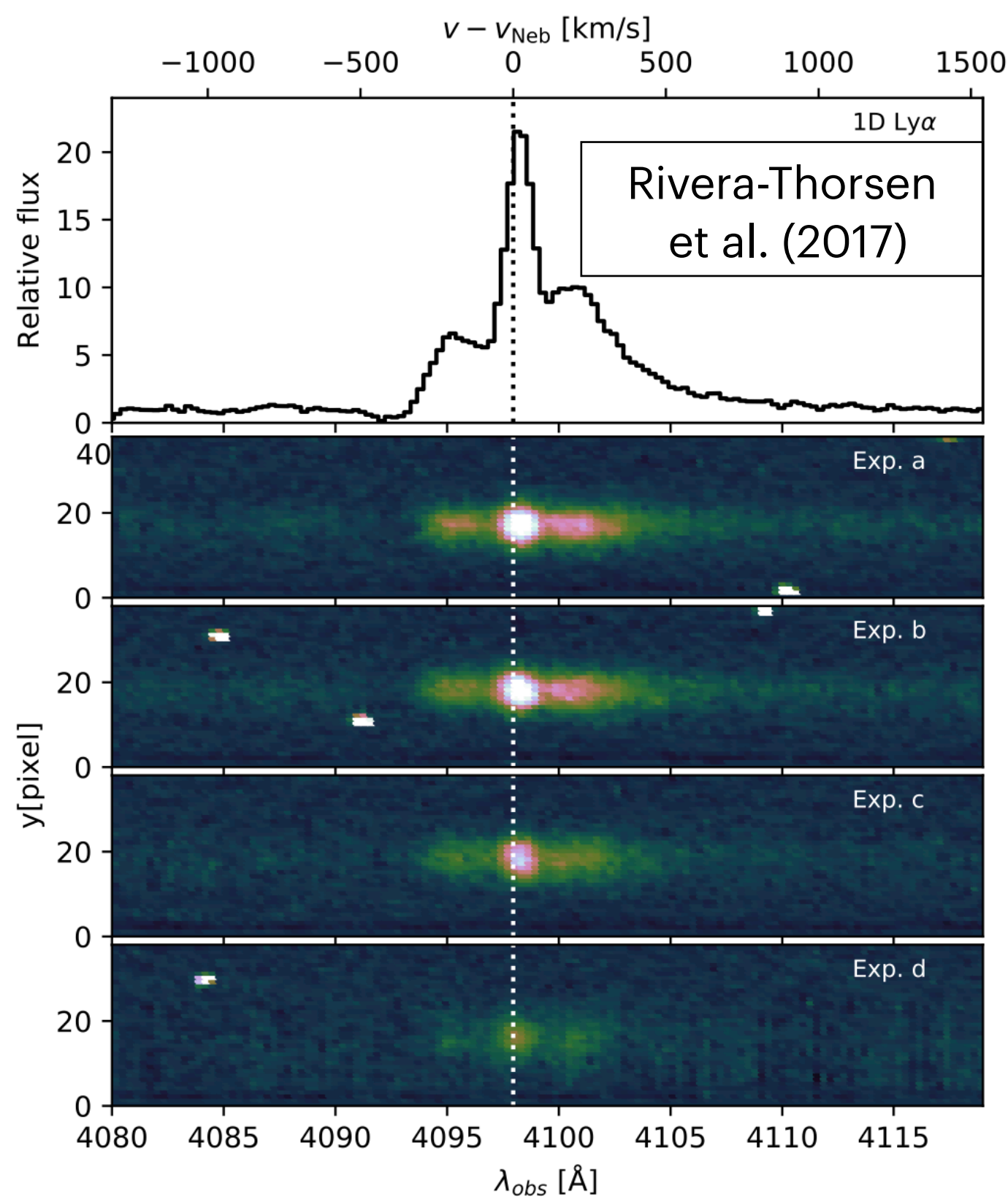
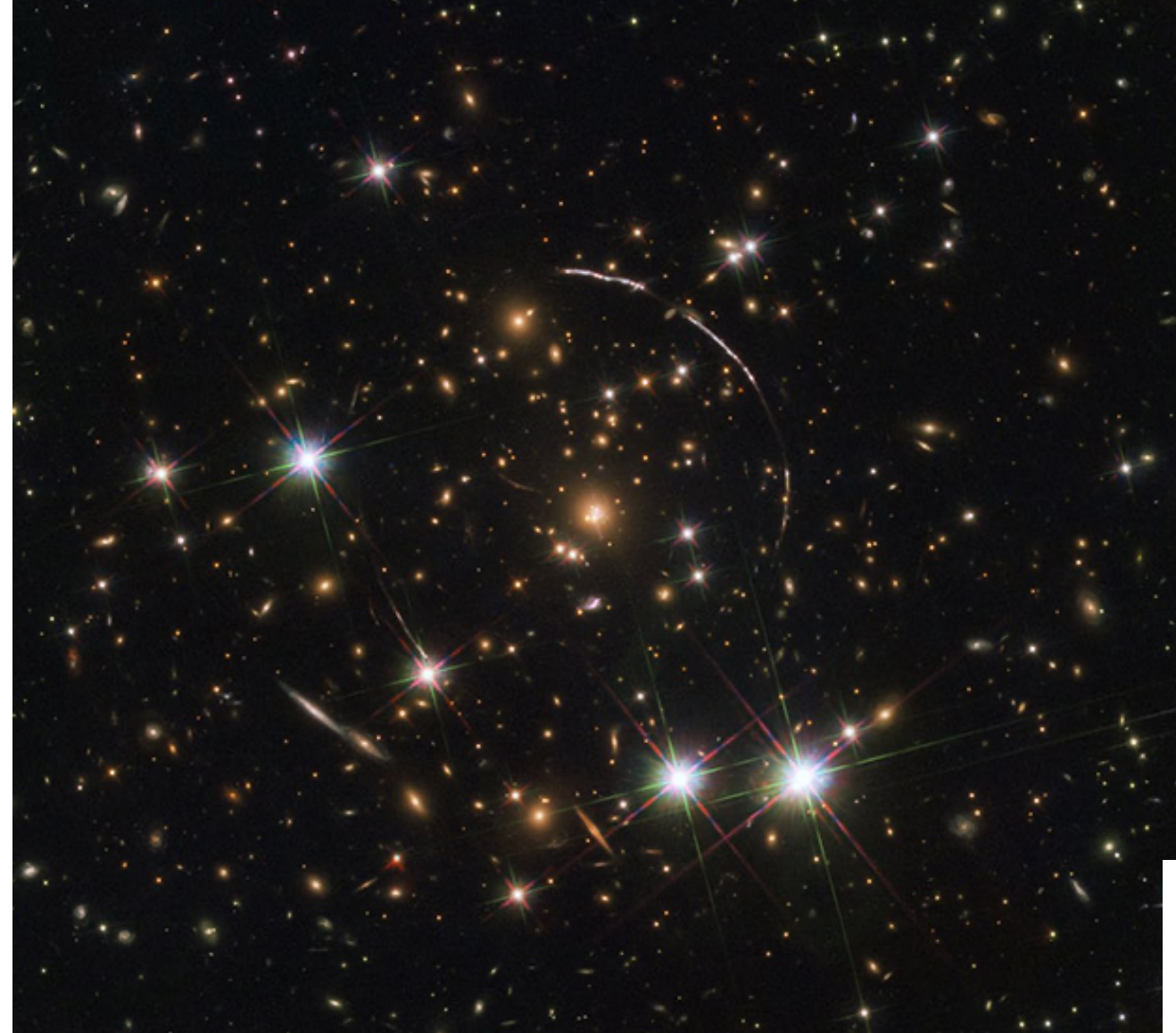
The Sunburst Arc

Bright lensed galaxy

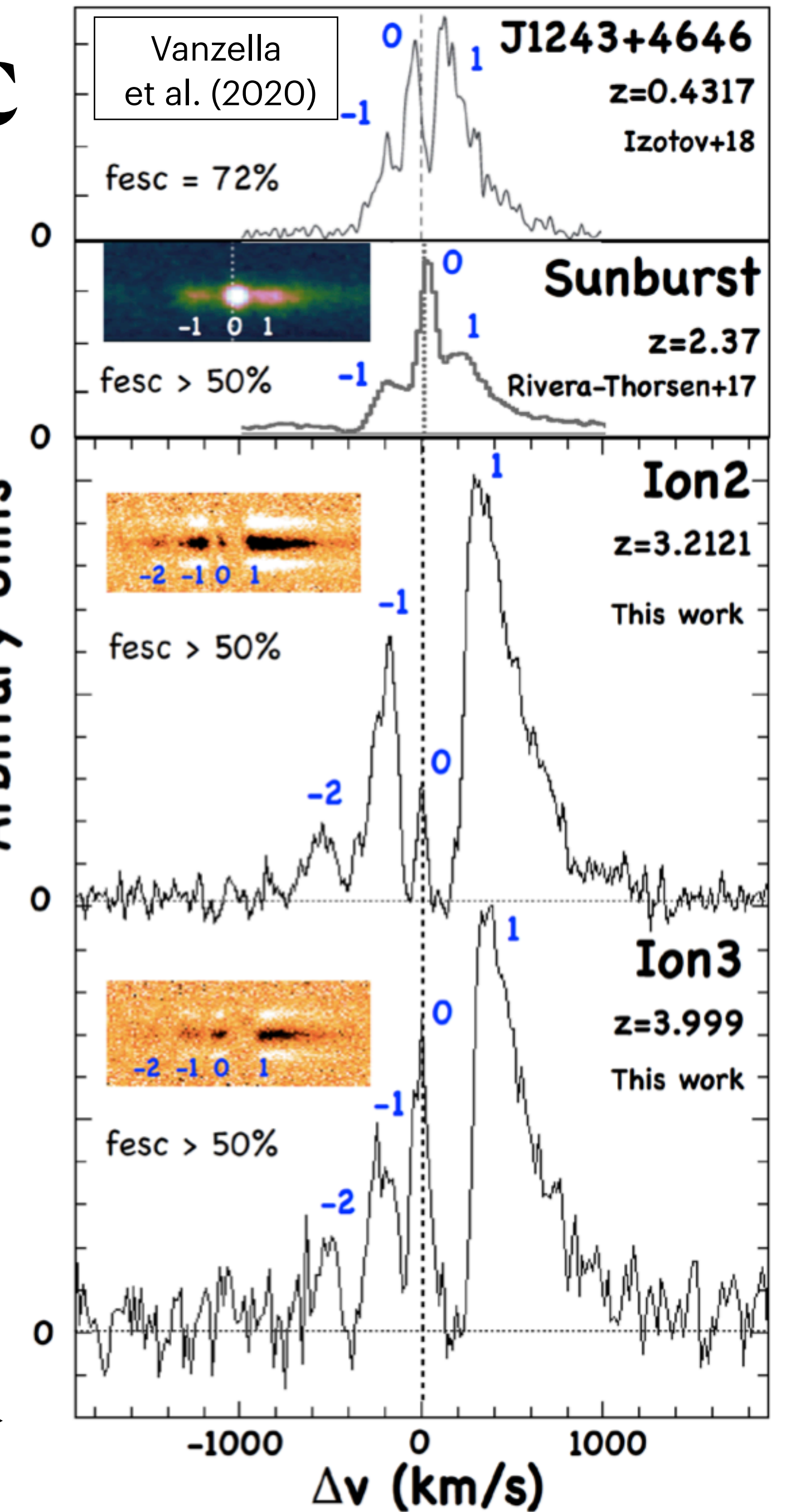
$z=2.4$

ESA/Hubble, NASA,
Rivera-Thorsen et al.

The Sunburst Arc



... is not alone



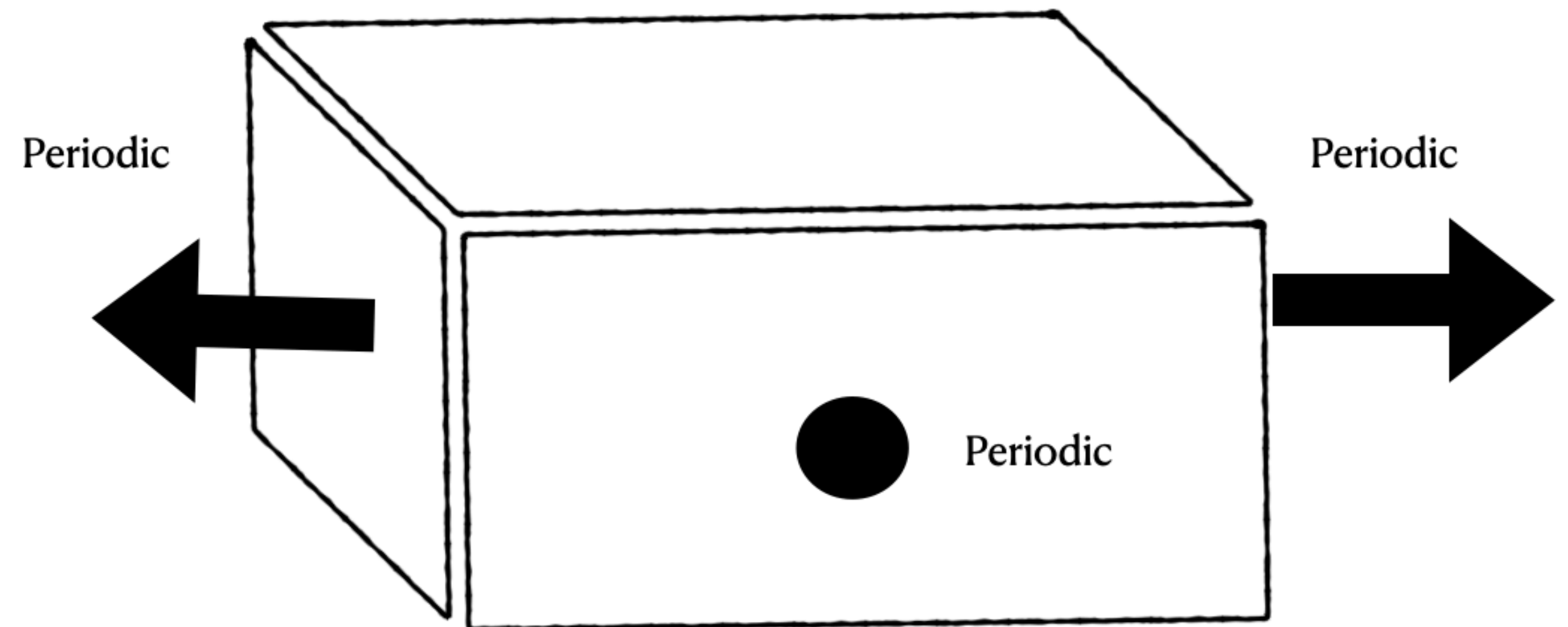
Radiative transfer simulations of Lyman escape through **anisotropic** gas distributions

(even more) complicated than
isotropic

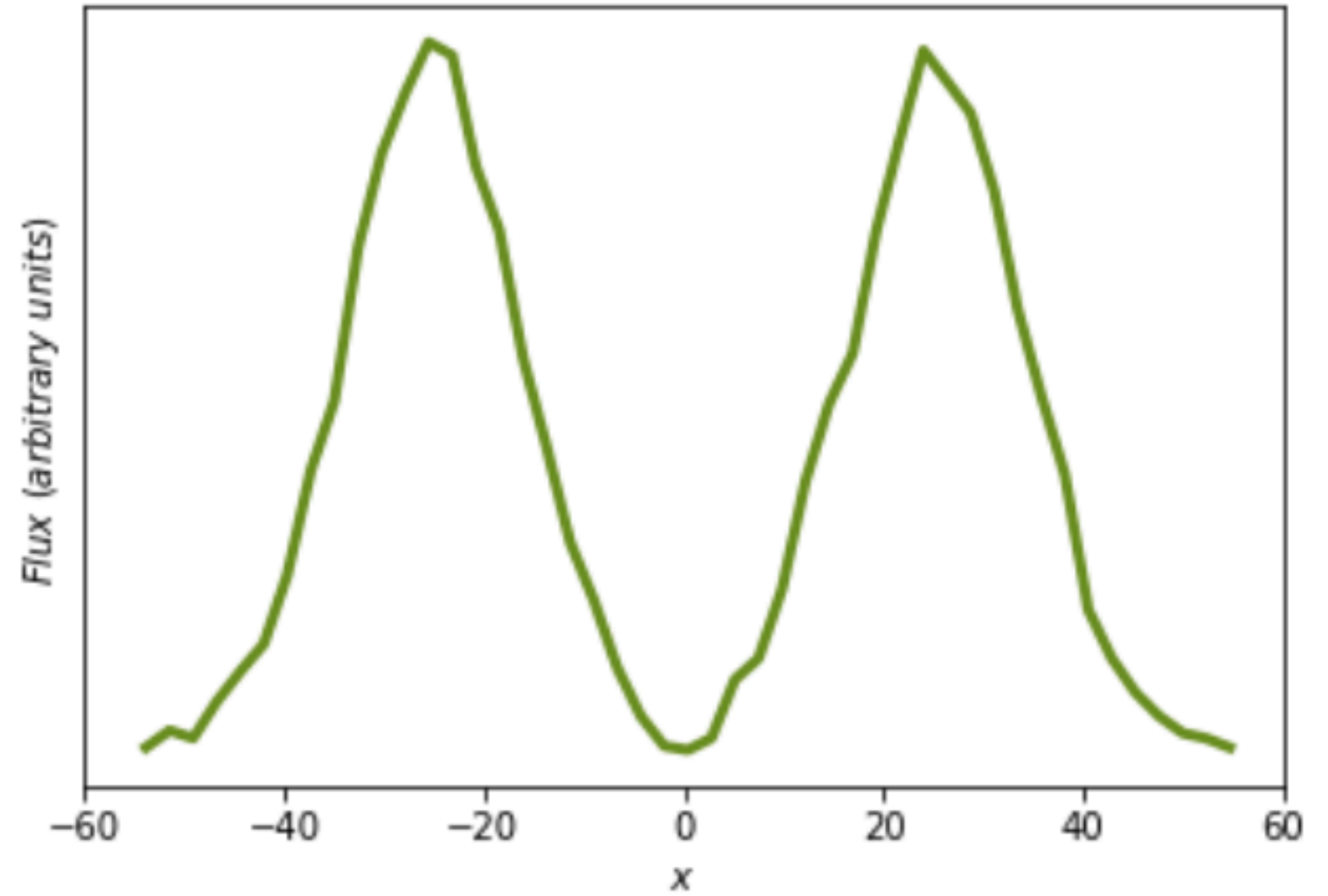
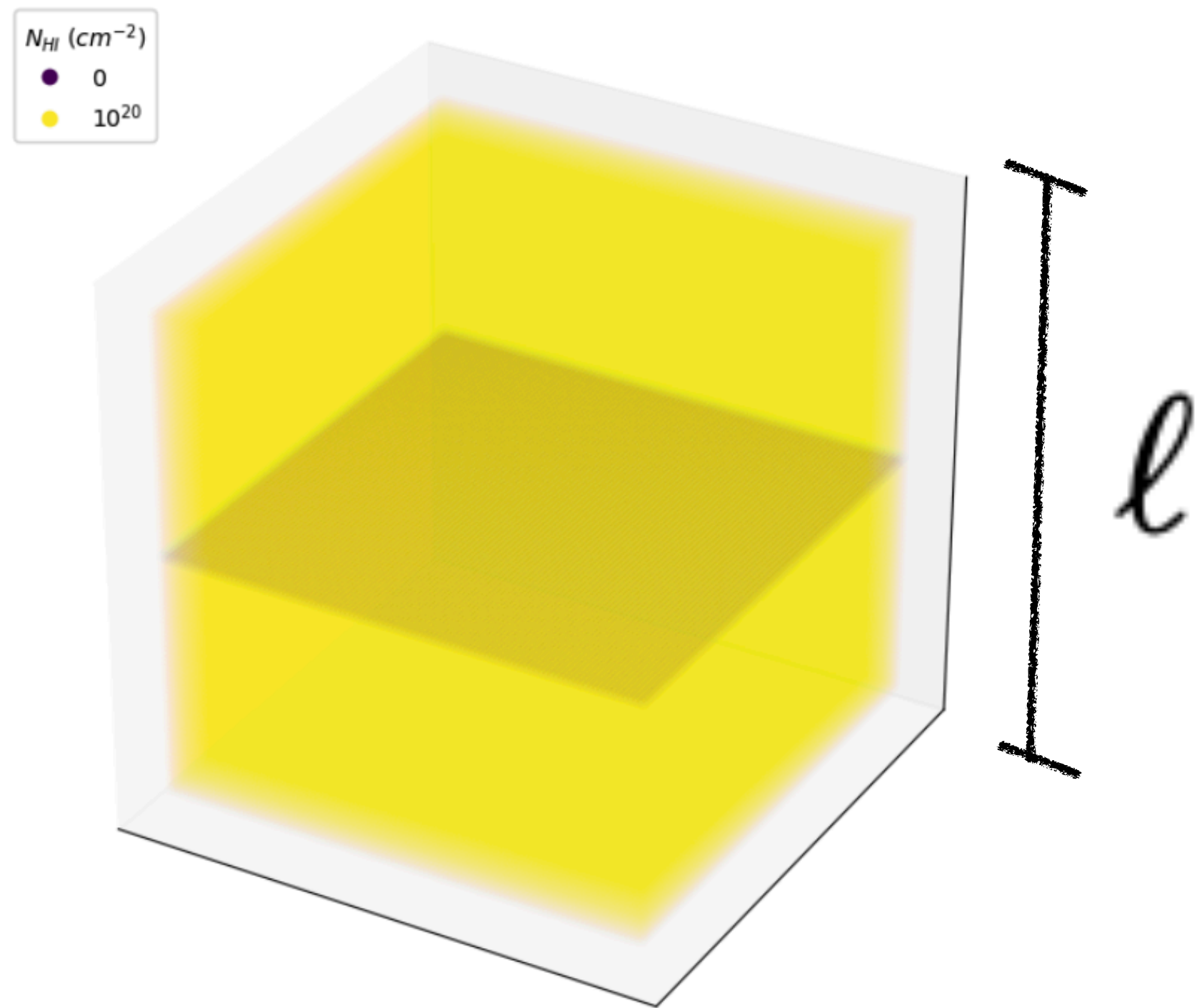
What do we do then?

Take a simplified approach:

- Slab filled with gas
- Add anisotropies: 'Poke' holes through which photons can escape.
- Monte Carlo radiative transfer: talc (Gronke et al. , 2014)



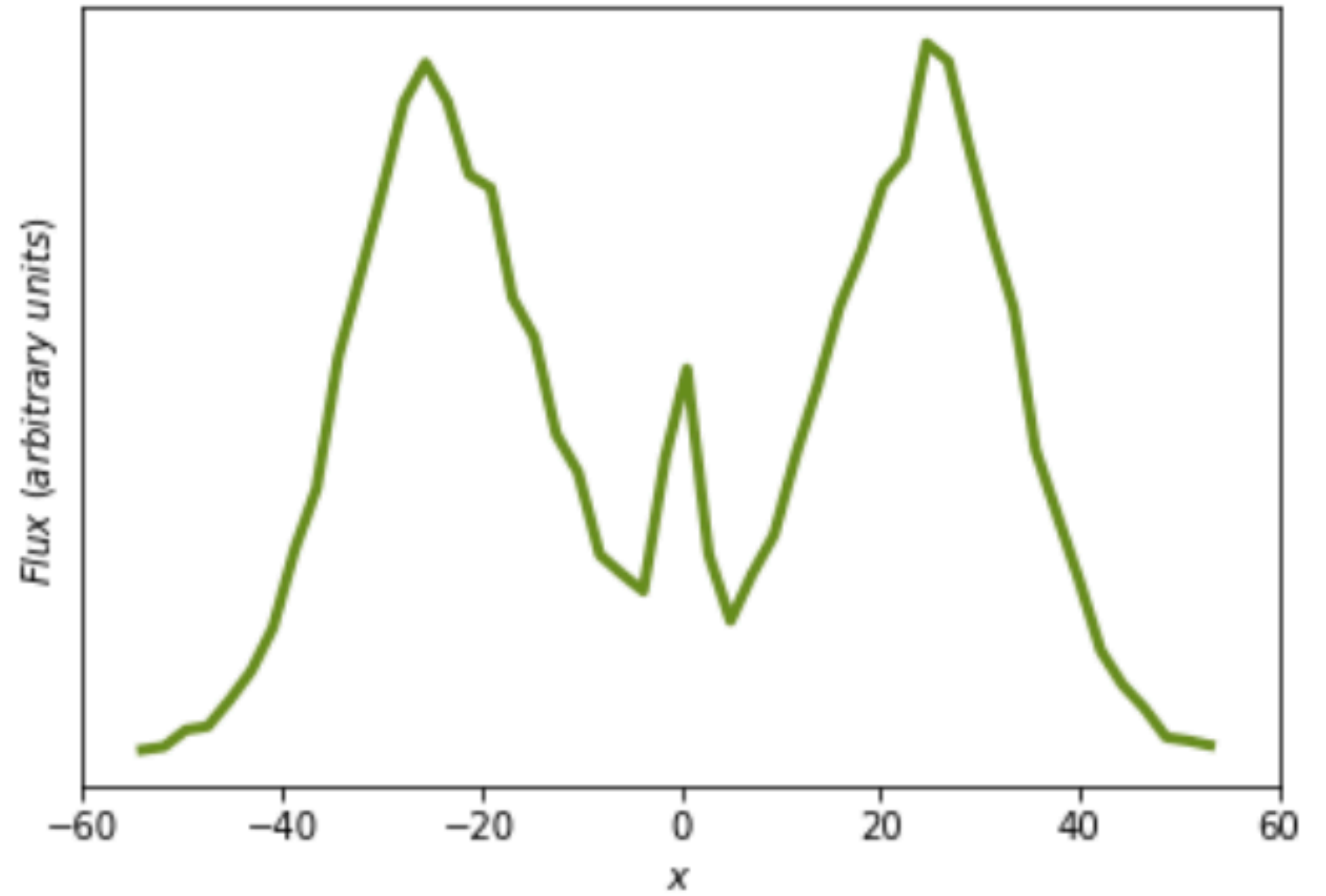
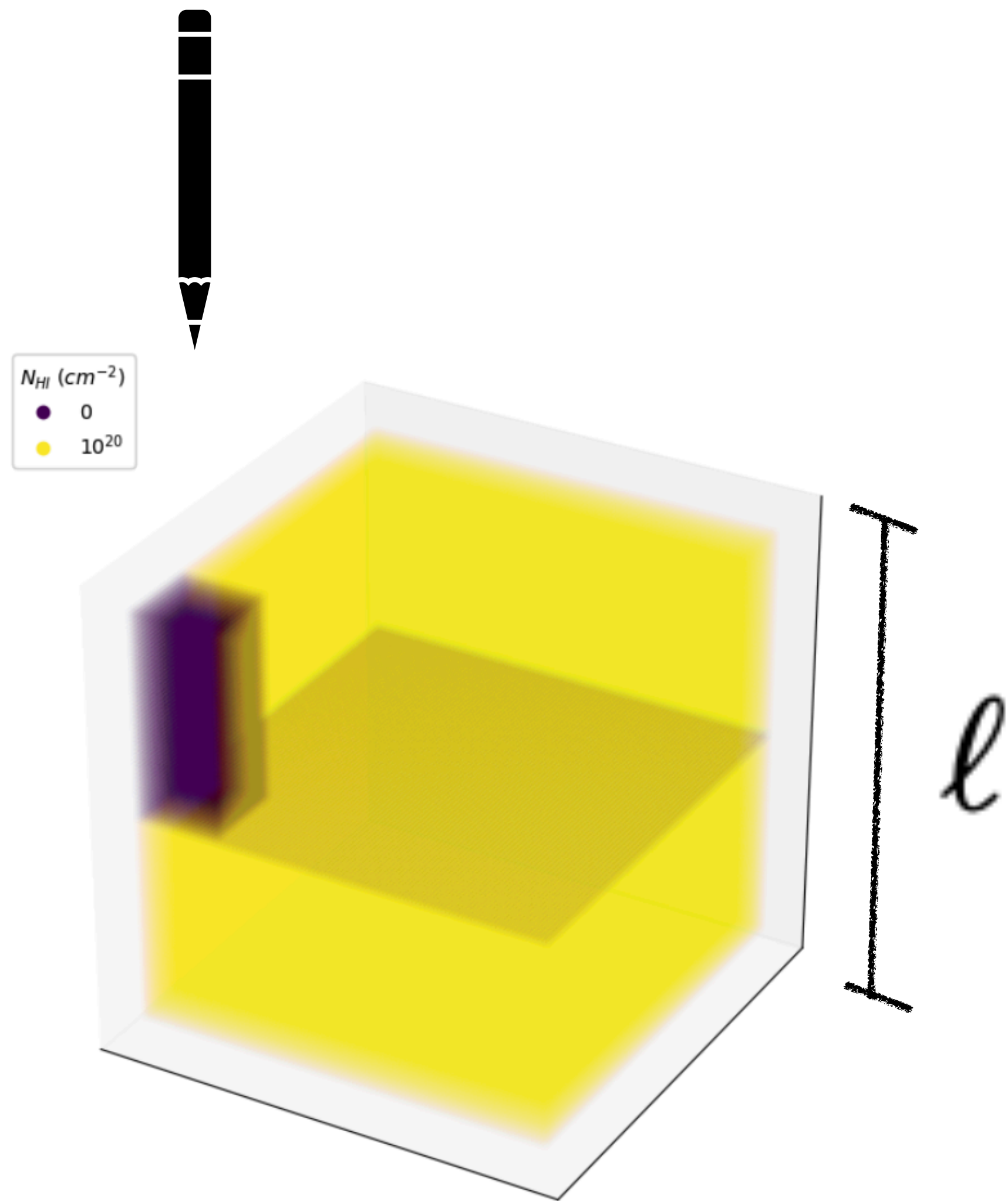
Integrated Spectrum



$$x \equiv \frac{\nu - \nu_0}{\Delta\nu_D}$$

Dimensionless frequency parameter

Integrated Spectrum



$$x \equiv \frac{\nu - \nu_0}{\Delta\nu_D}$$

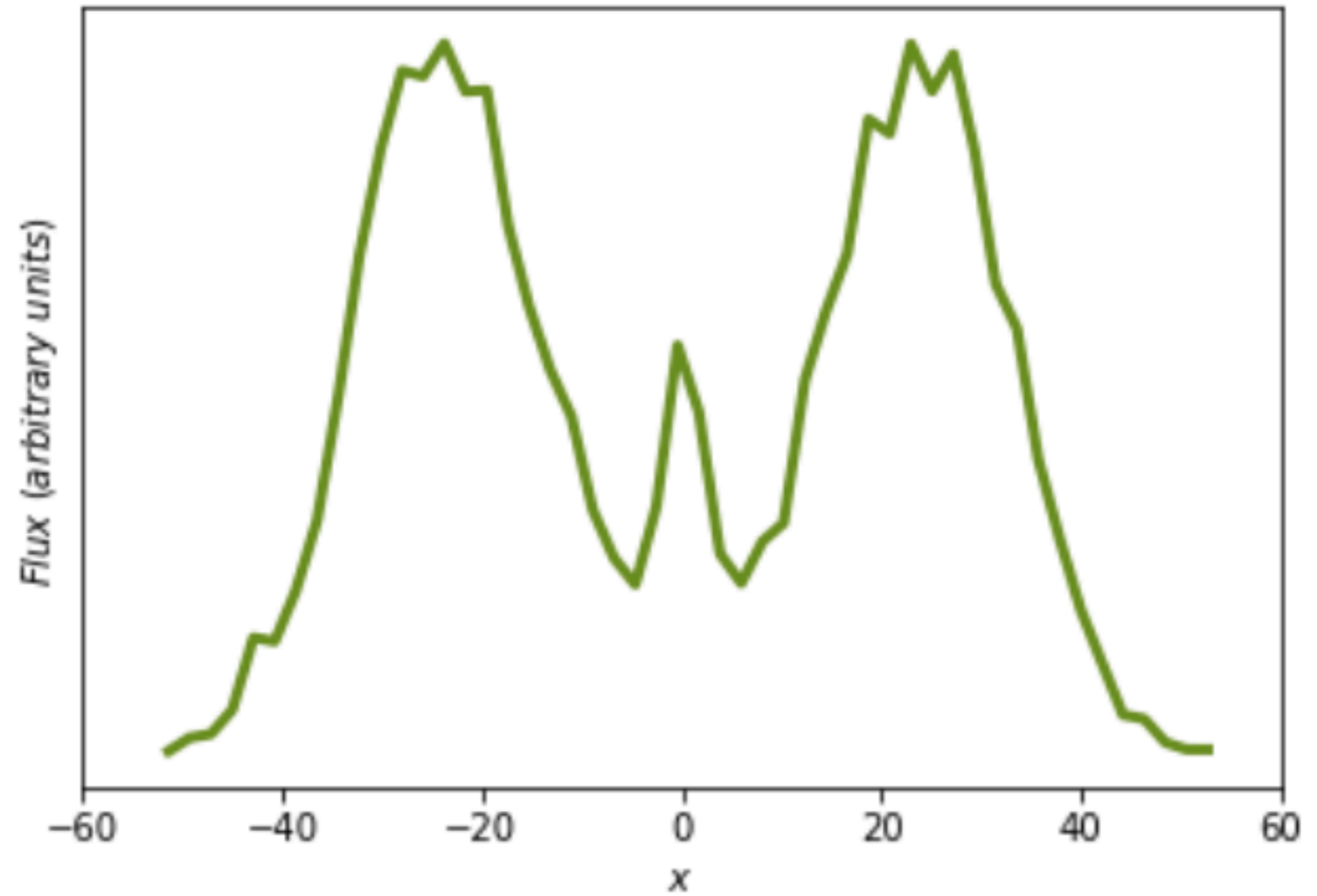
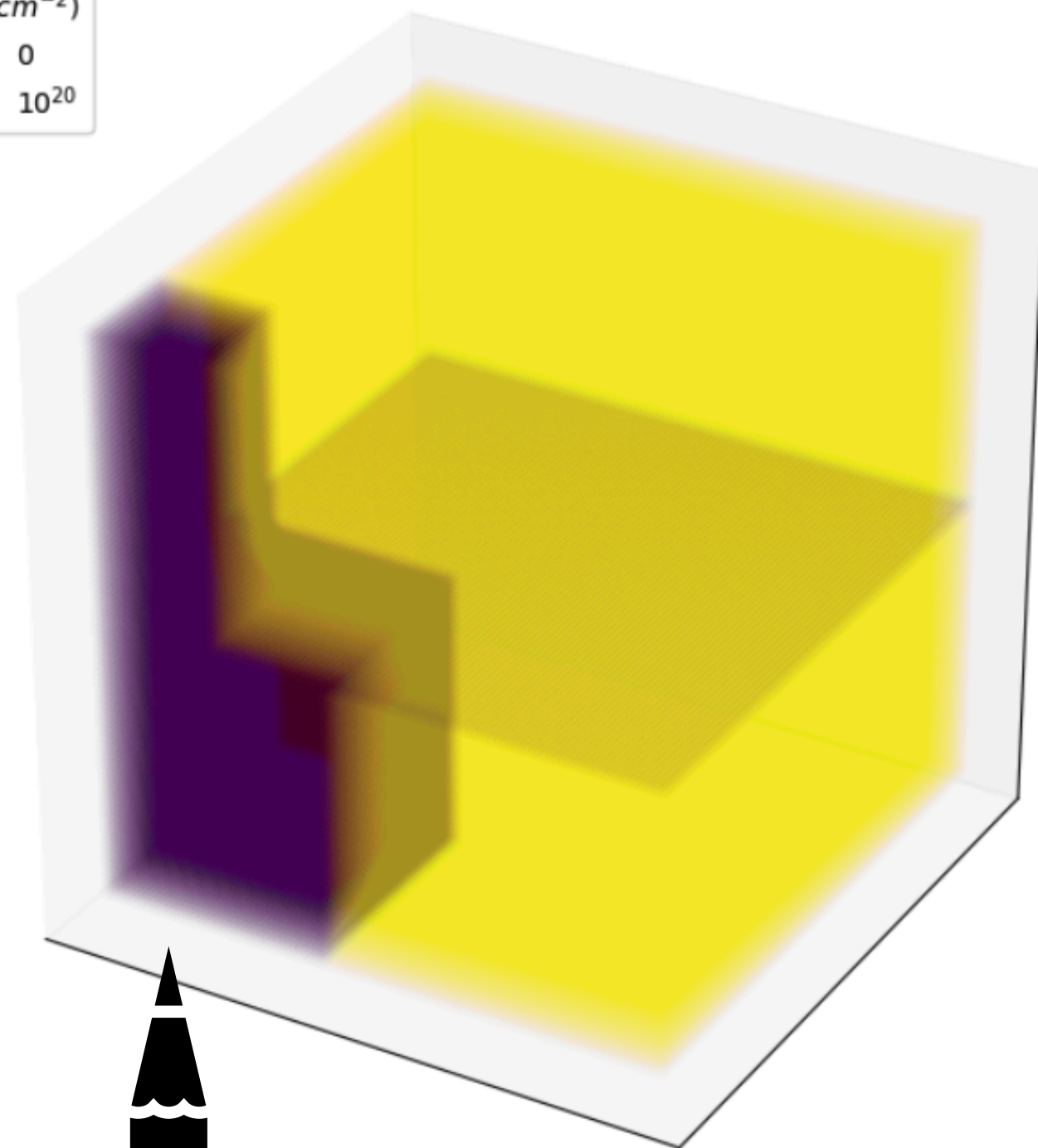
Dimensionless frequency parameter

Integrated Spectrum

$N_{HI} \text{ (cm}^{-2}\text{)}$

0

10^{20}



$$x \equiv \frac{\nu - \nu_0}{\Delta\nu_D}$$

Dimensionless frequency parameter



$$S_{los} = \alpha l$$

The 'labyrinth'

Let's focus for now on observers that are looking directly 'down the hole'.

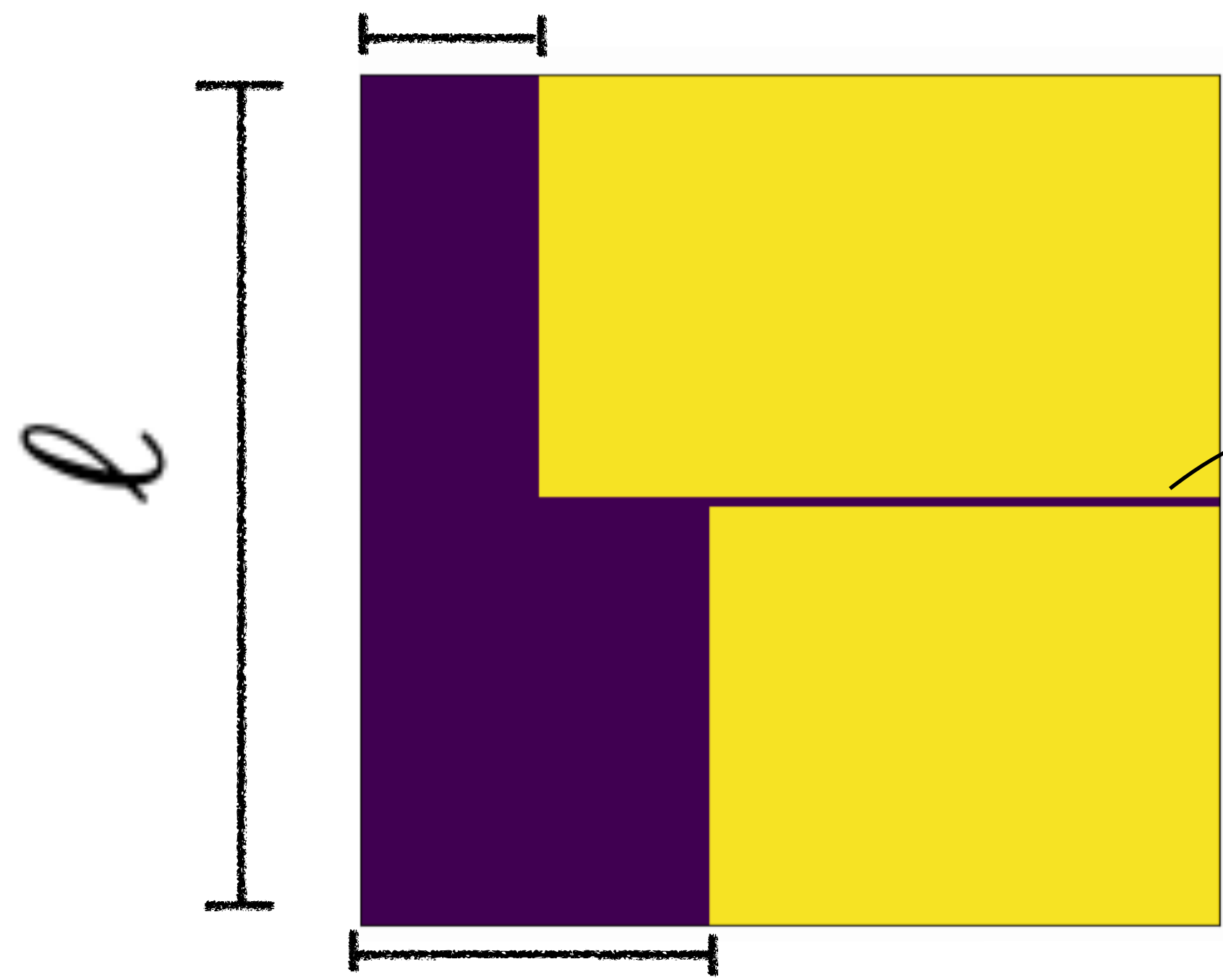
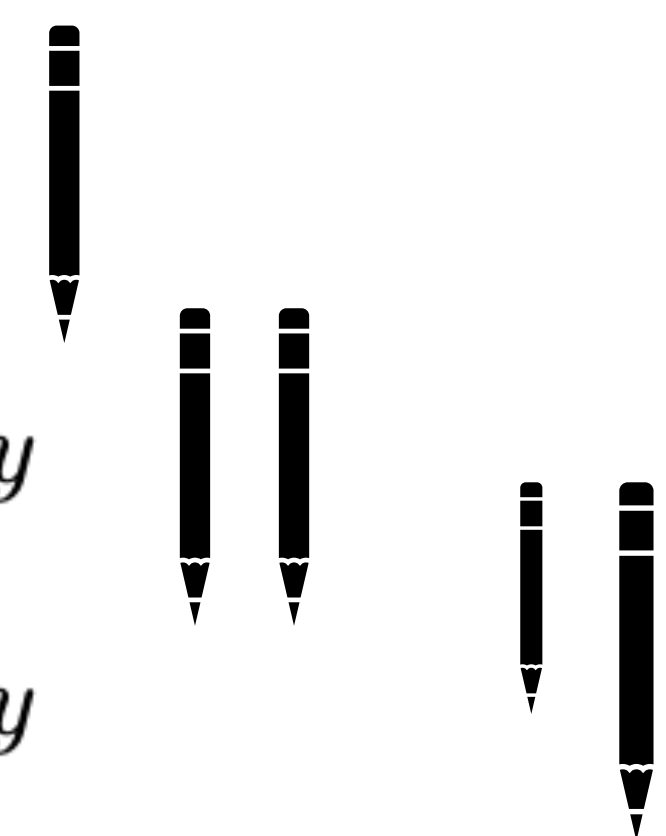
- The goal: a more realistic column density PDF.
- We start with a delta function (gas + hole)
- Possible scenarios:

$$S_{los} = 0; S_{away} = 0$$

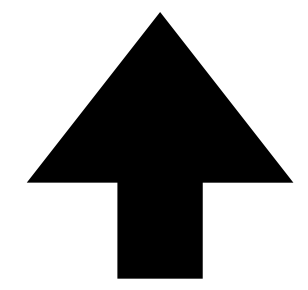
$$S_{away} = 0$$

$$S_{los} = S_{away}$$

$$S_{los} \neq S_{away}$$



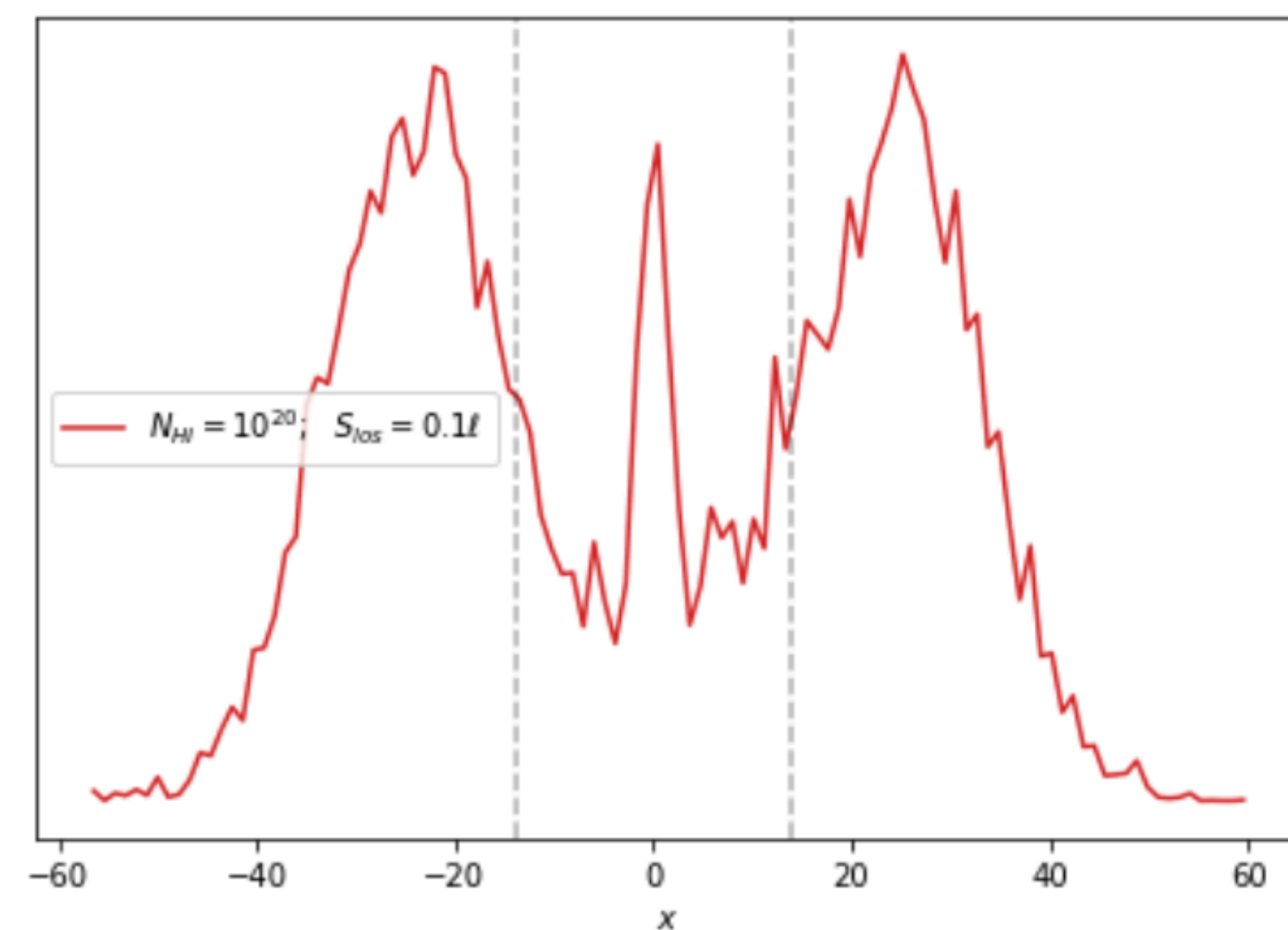
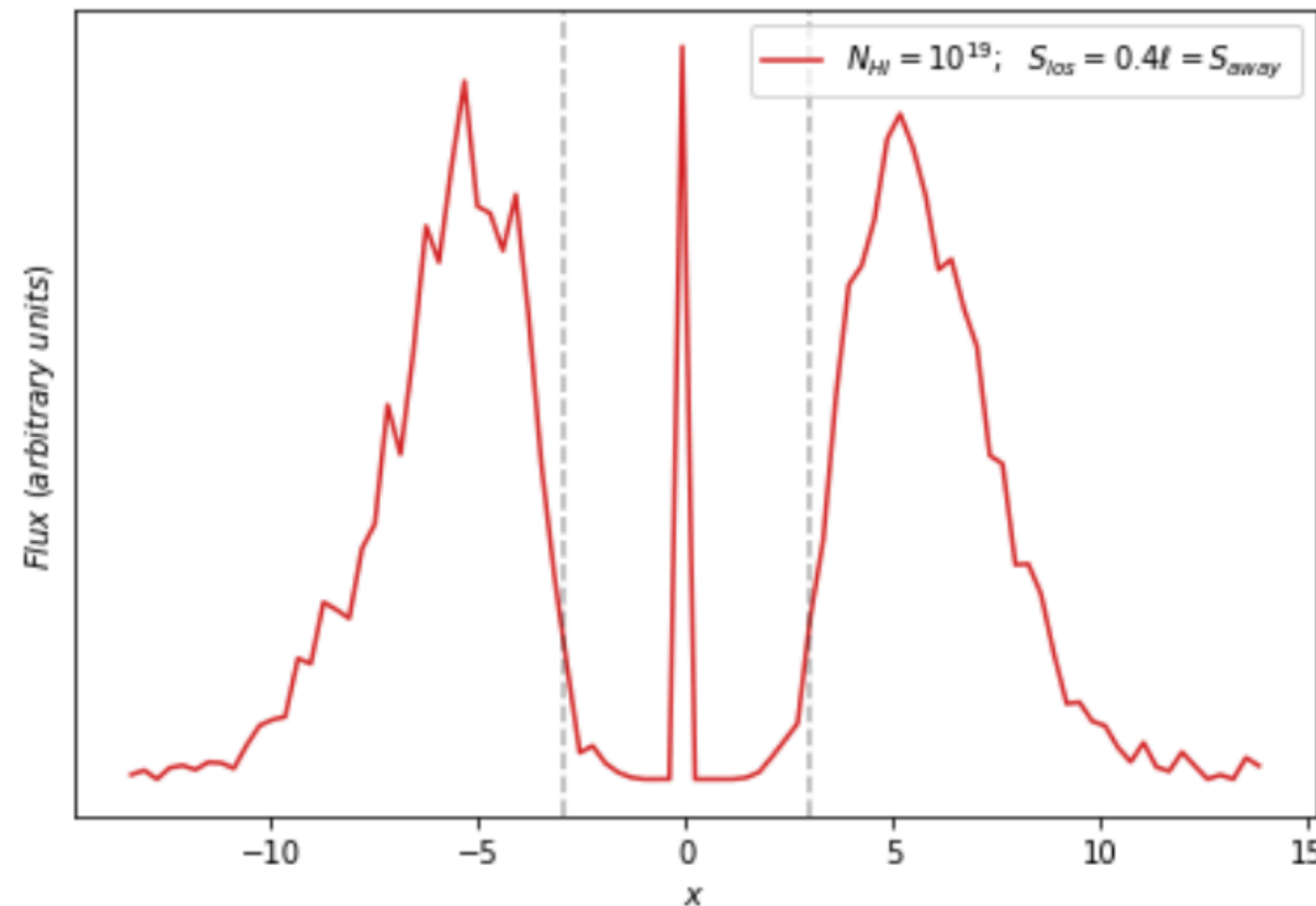
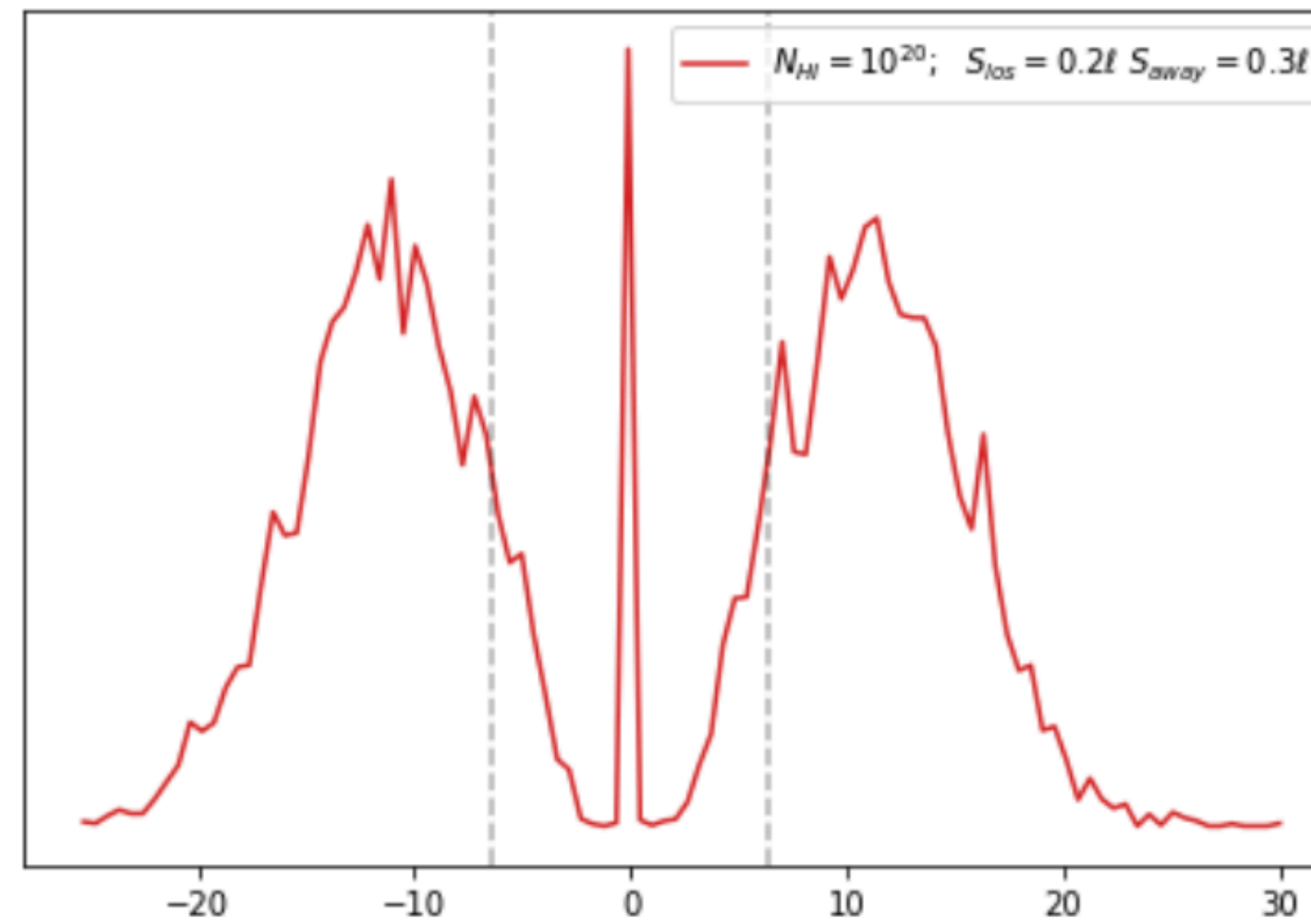
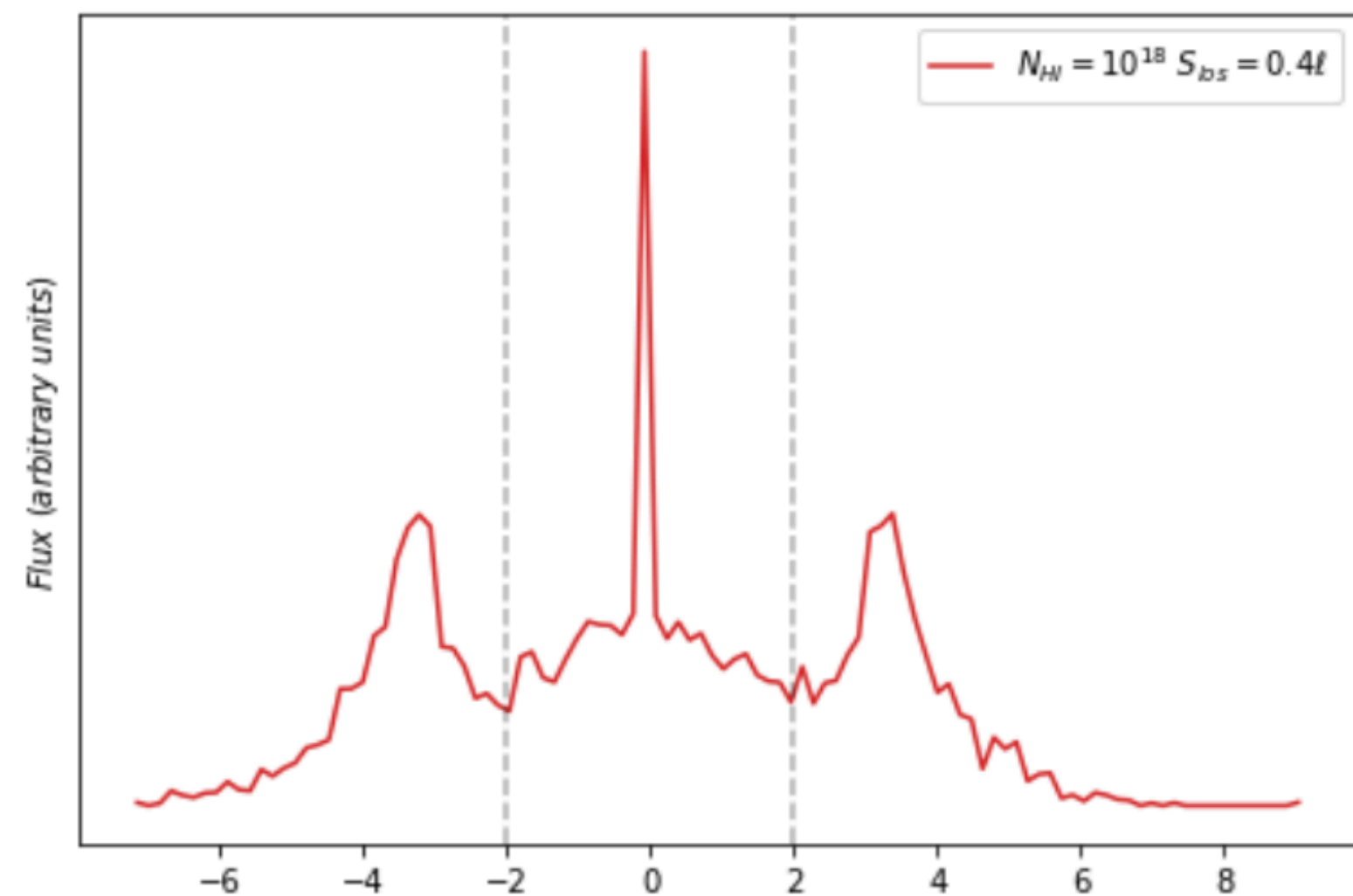
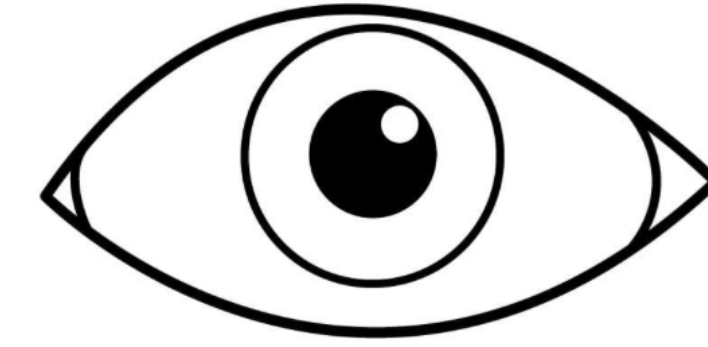
Emission Plane



$$S_{away} = \beta l$$



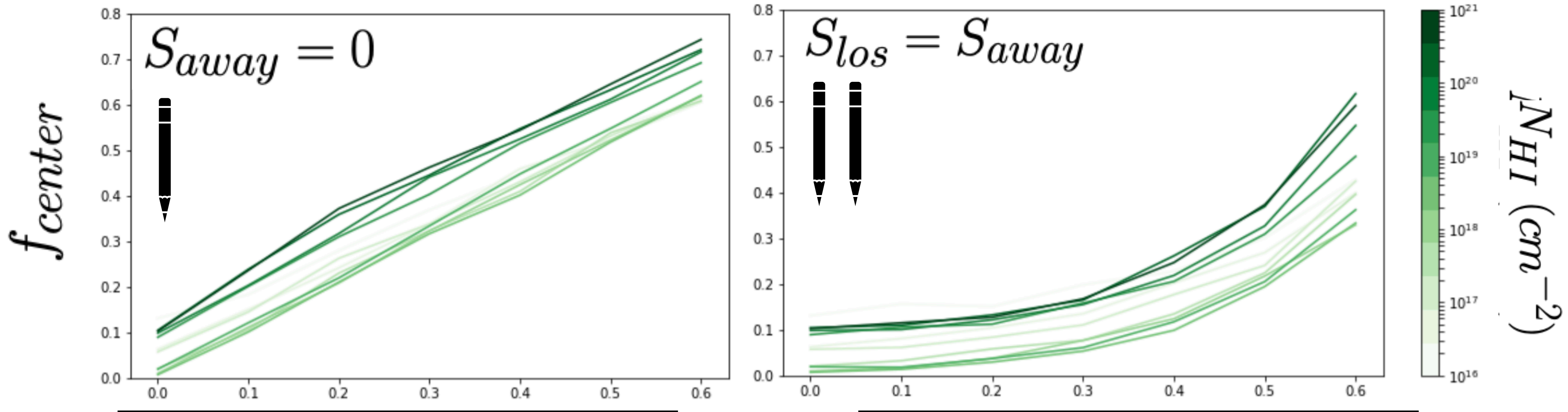
Looking 'down the hole'



Strong central peaks

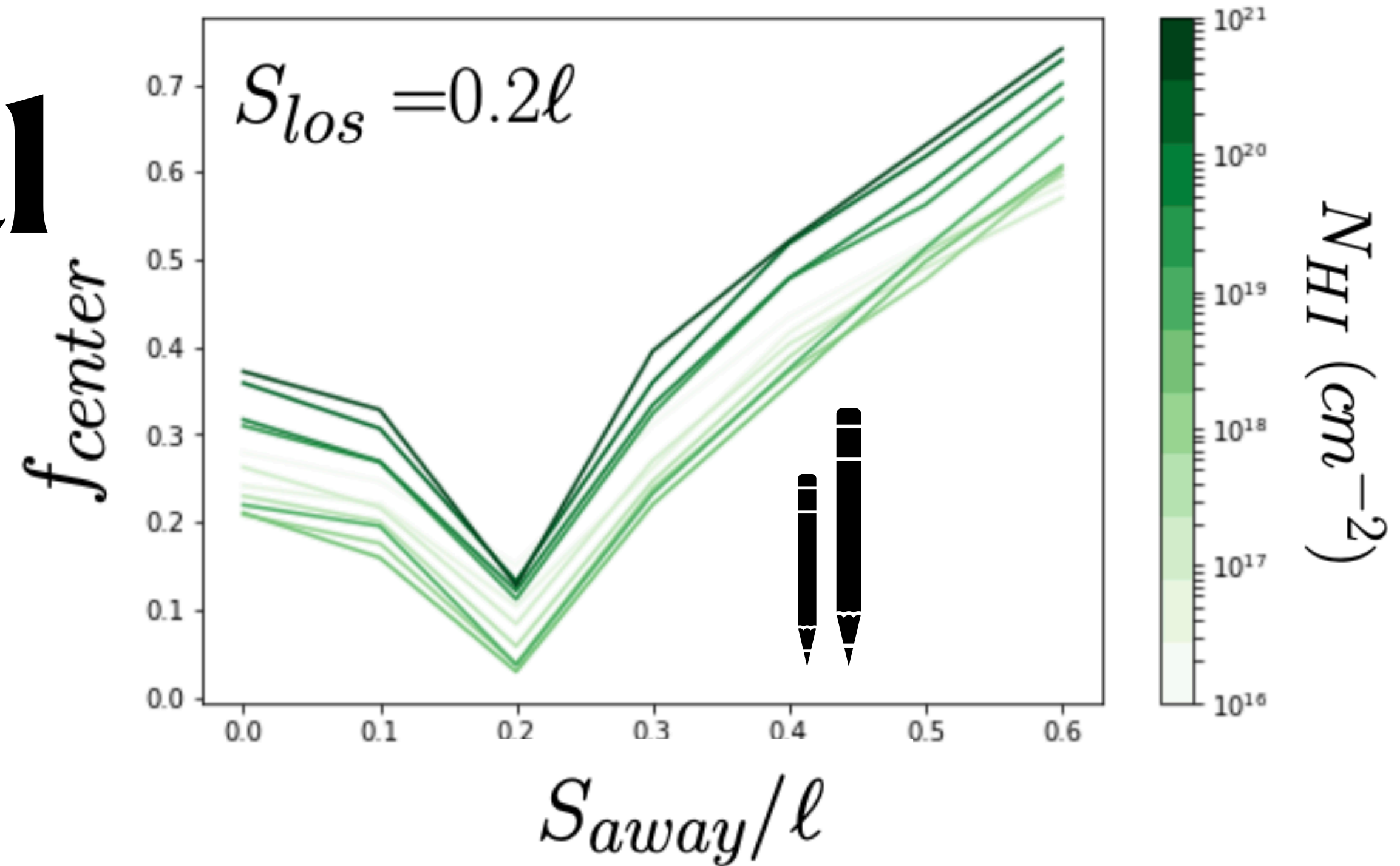
To quantify them we define:

$$f_{center} = \frac{F_{center}}{F_{tot}}$$

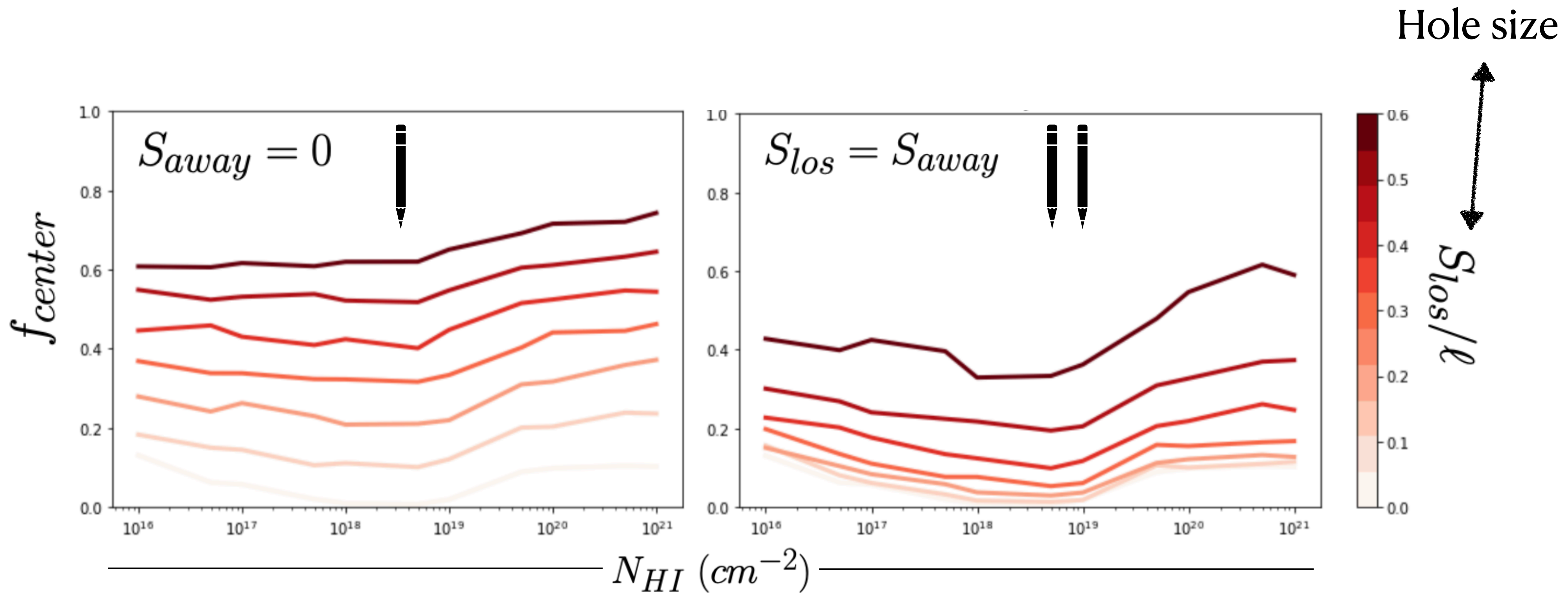


Hole size $\leftarrow S_{los}/\ell$

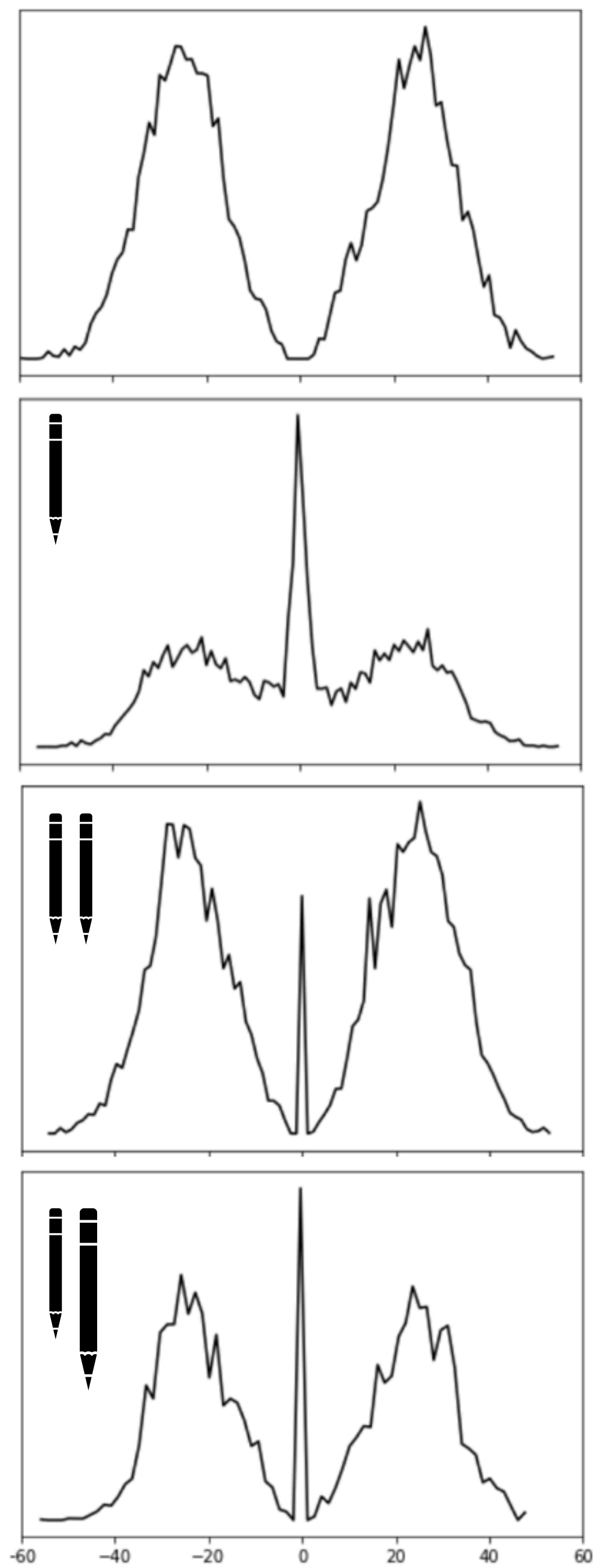
The central fraction



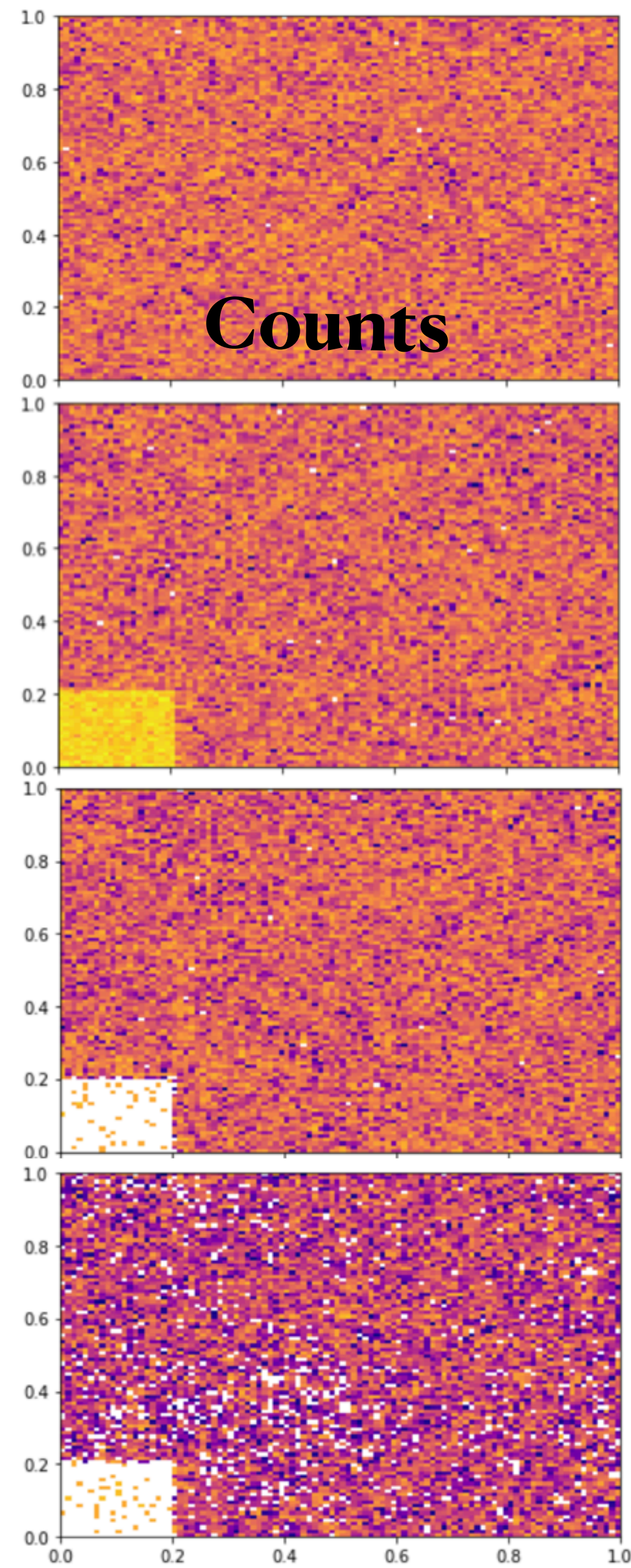
Not only has the line-of-sight hole an effect on the central fraction and central peak, but also the presence or lack of gas behind it.



Flux (arbitrary units)

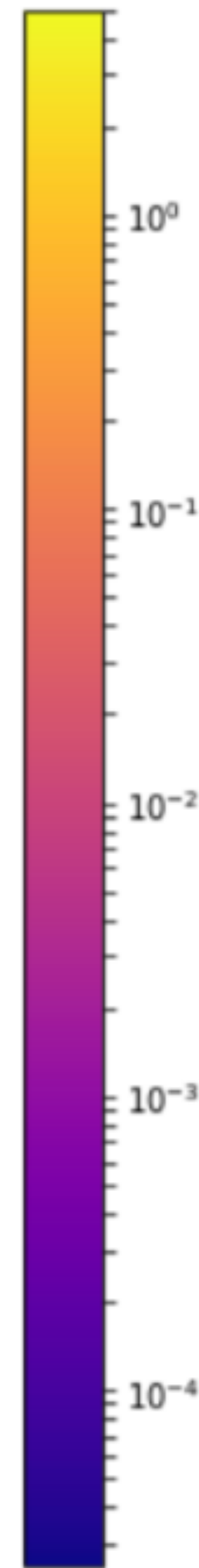


x

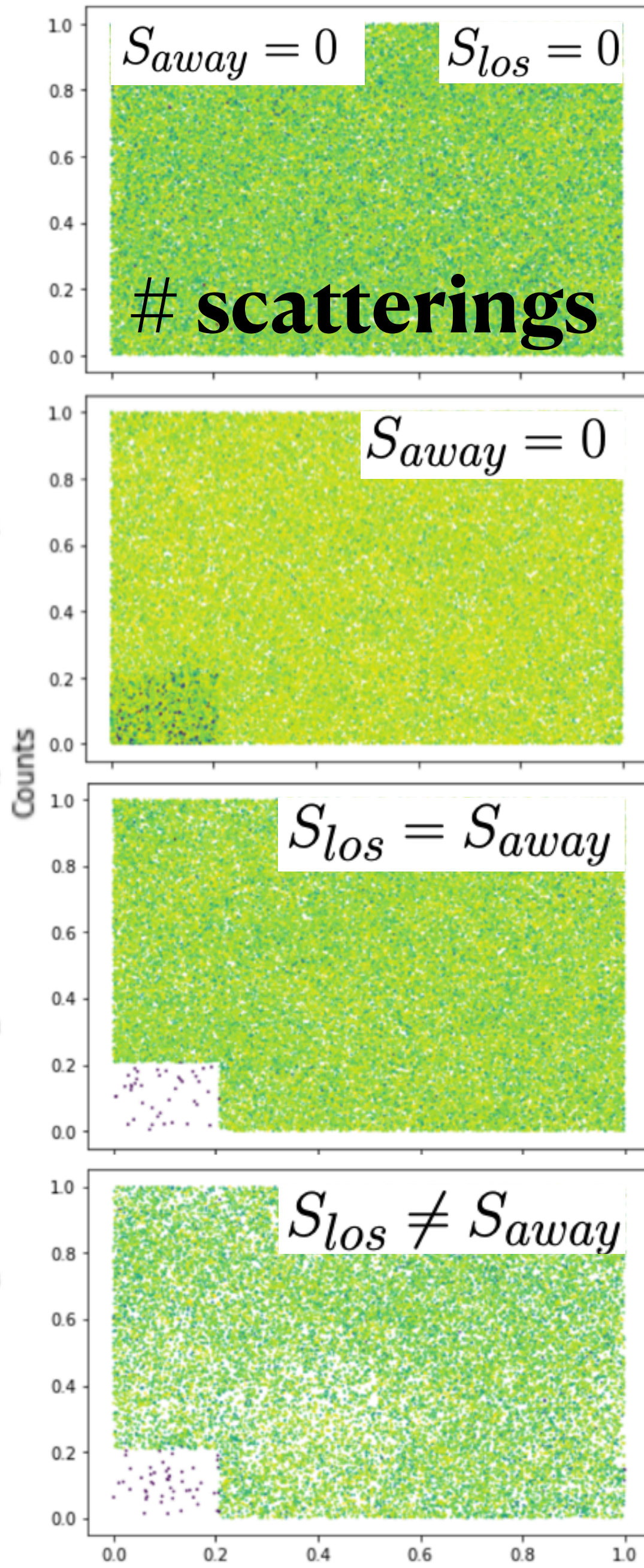


Counts

axis1 (pc)



Counts



scatterings

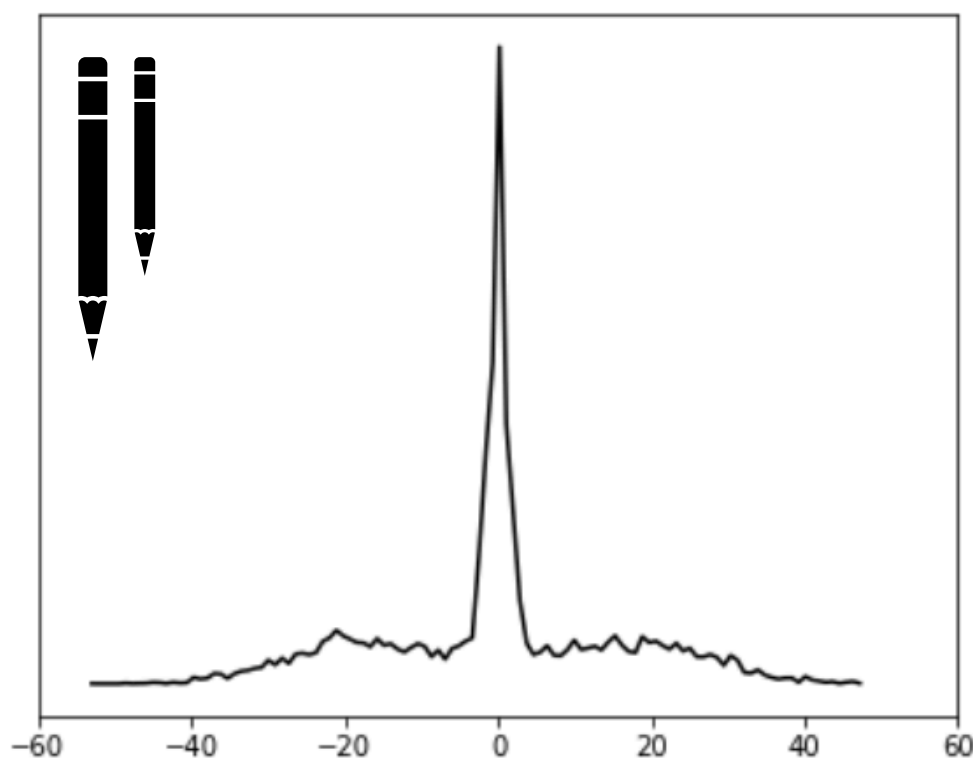
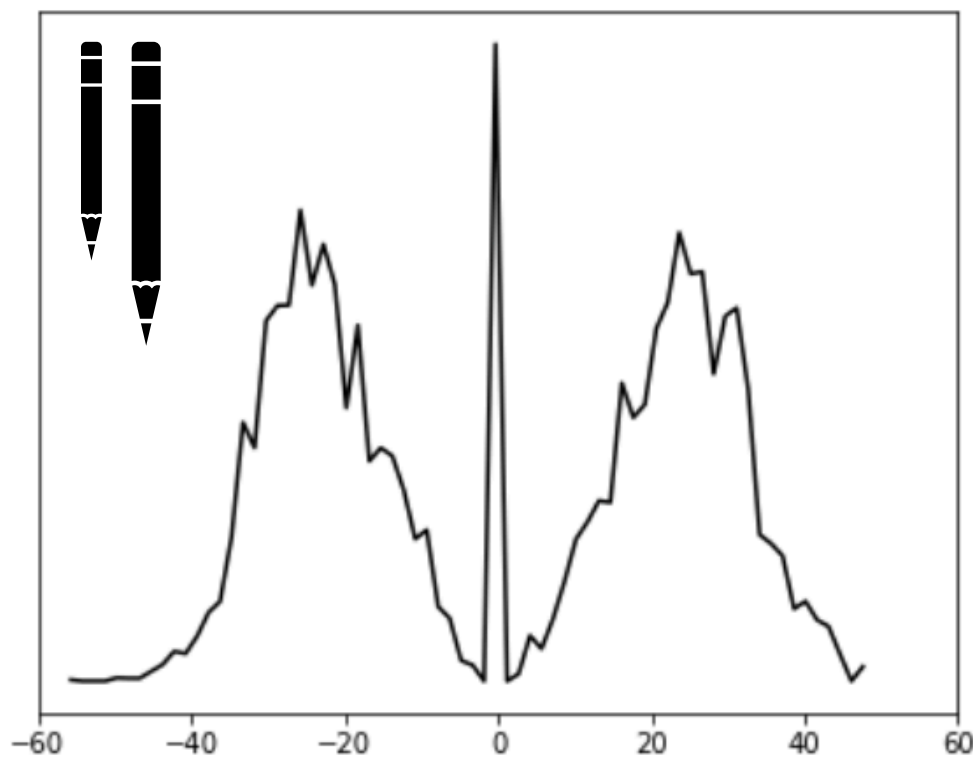
Num Scatterings

axis2 (pc)

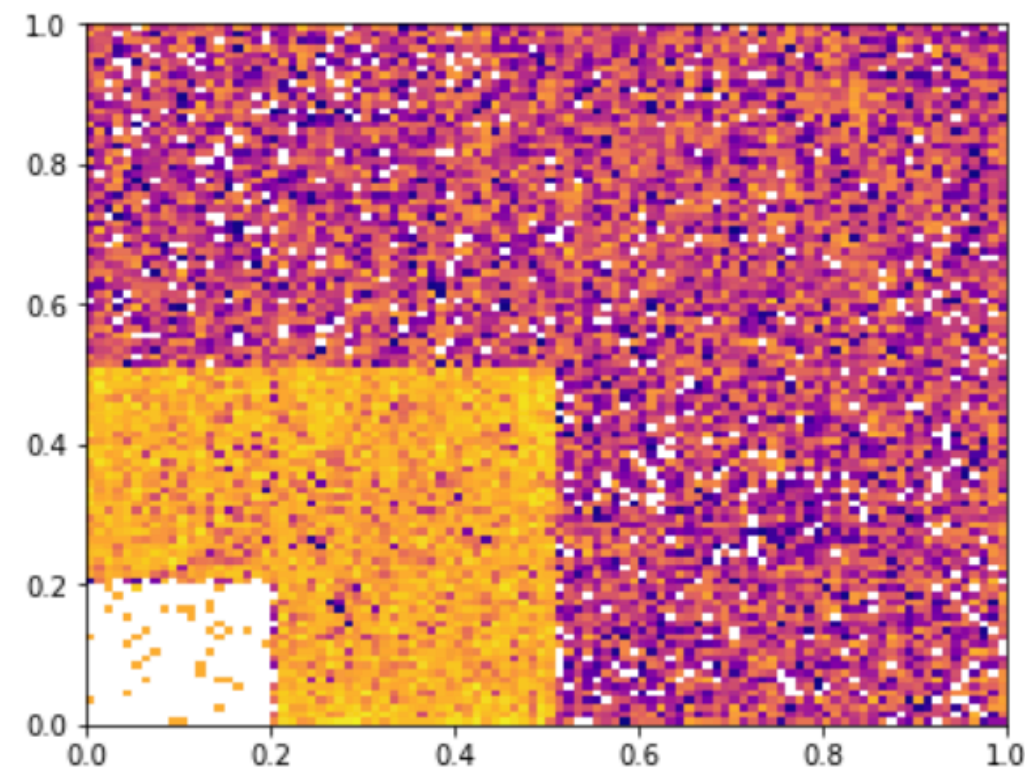
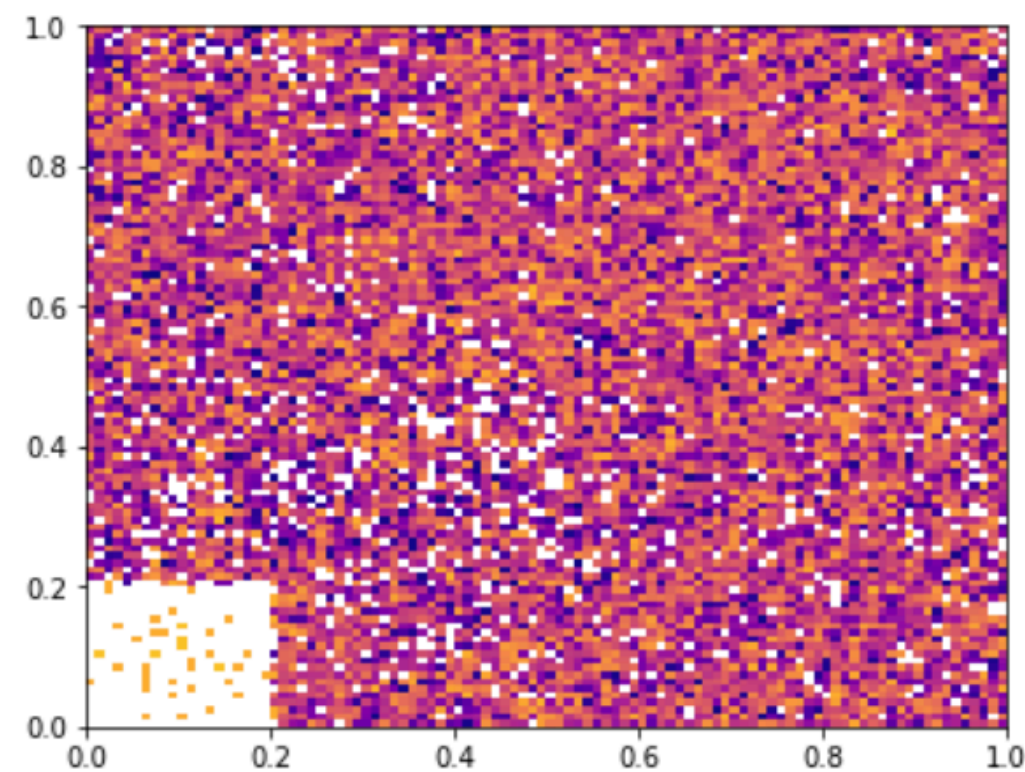
$N_{HI} = 10^{21} \text{ cm}^{-2}$

$$S_{los} \neq S_{away}$$

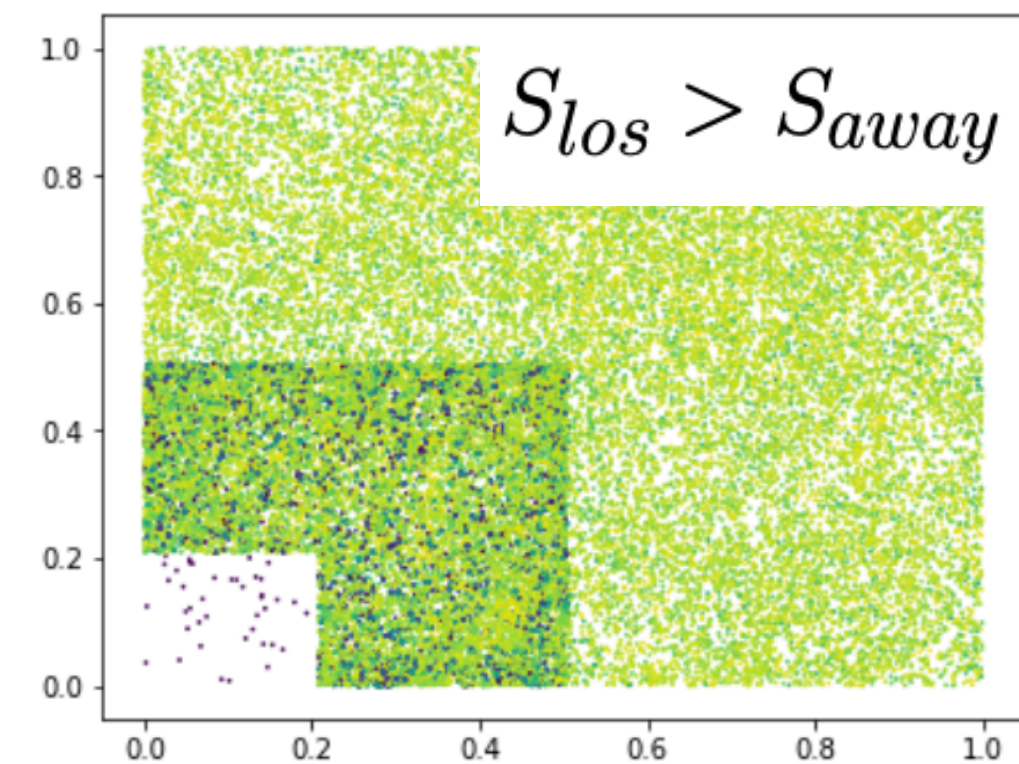
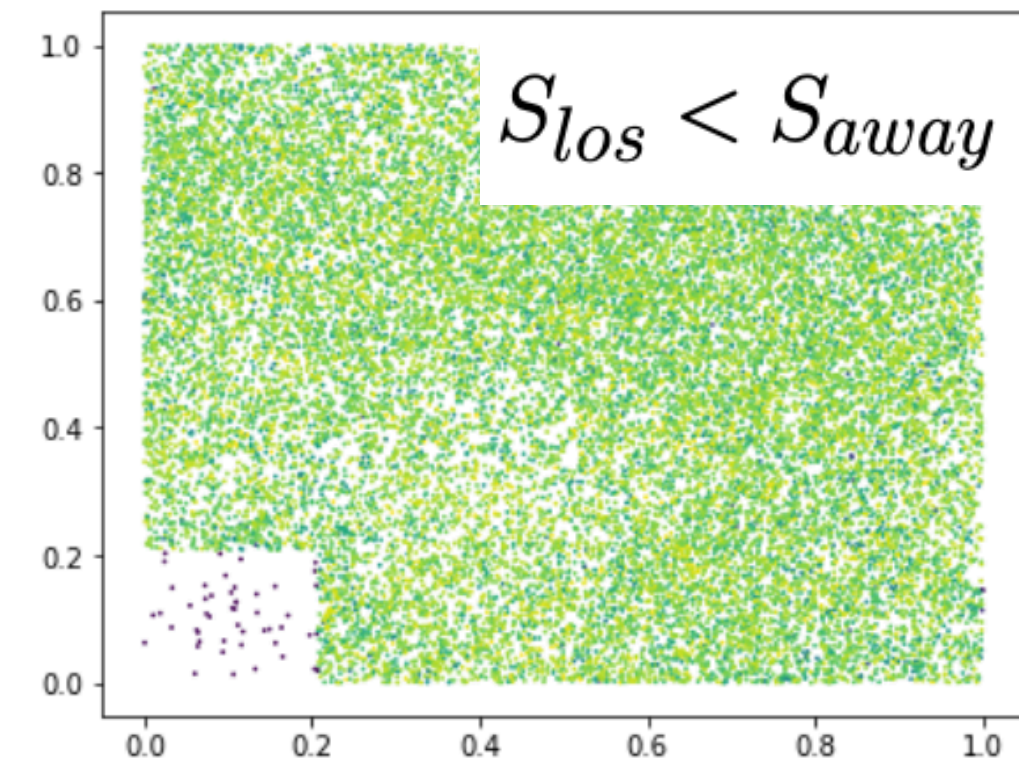
Flux (arbitrary units)



x

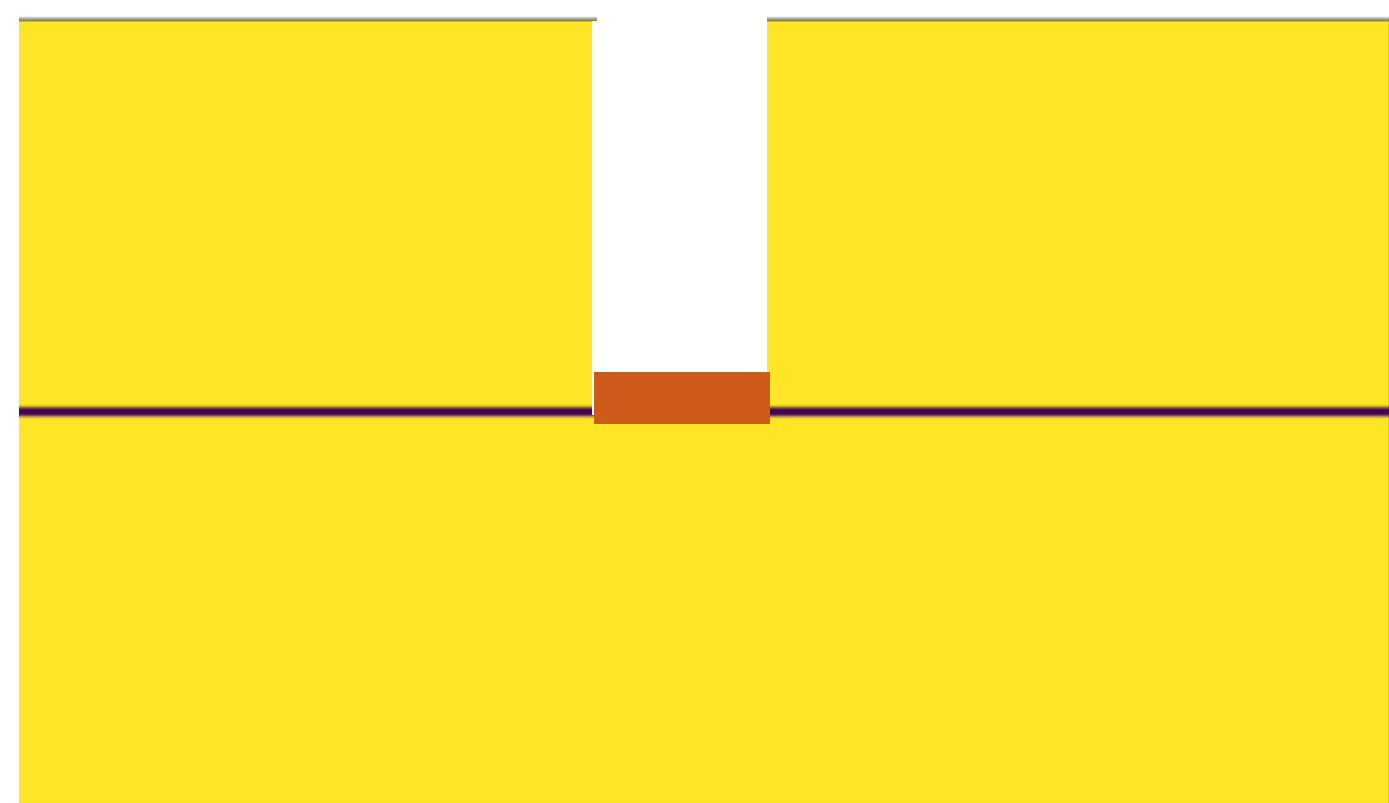
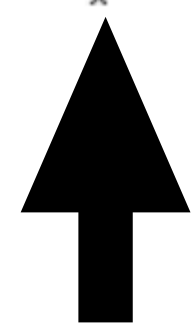
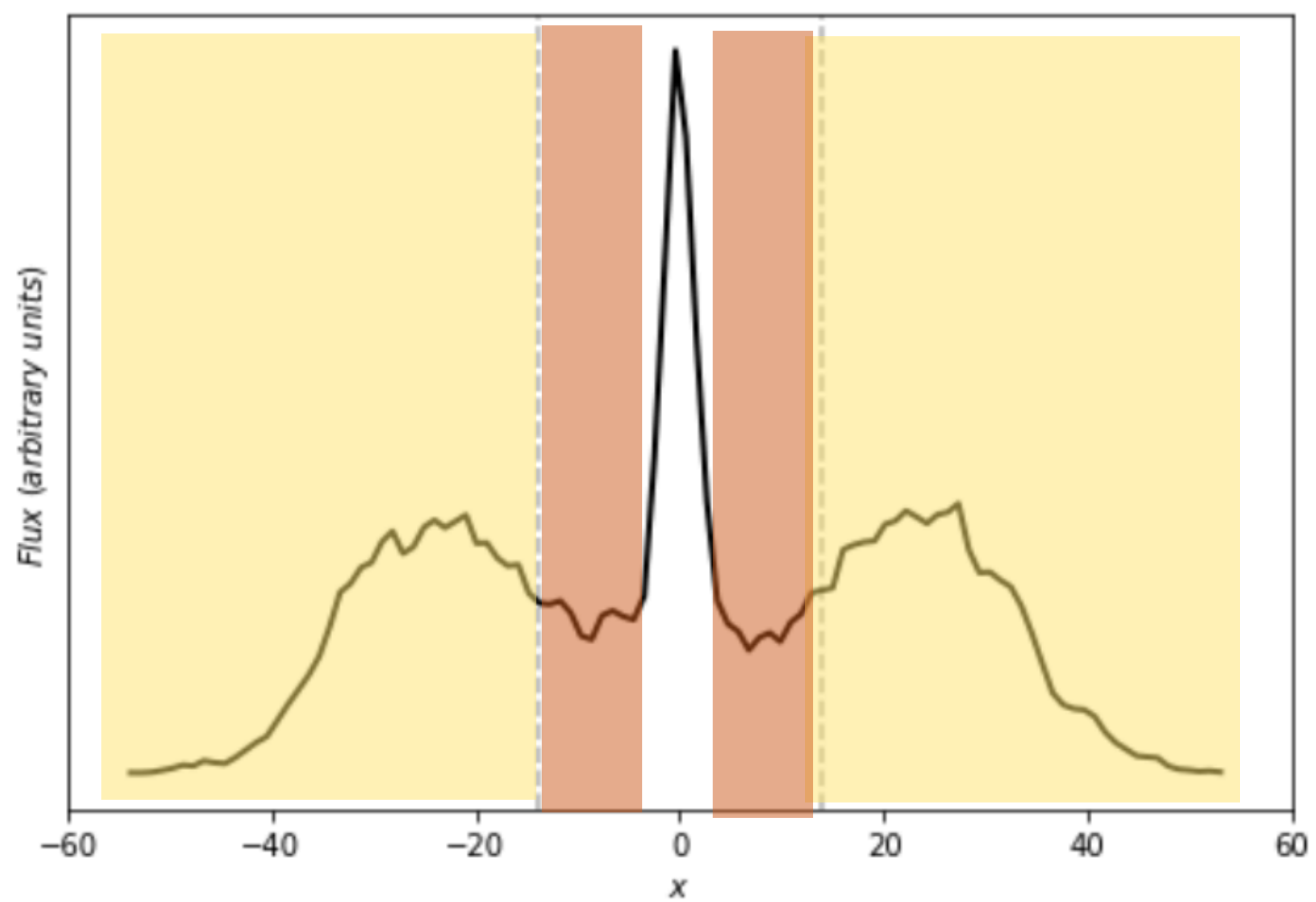
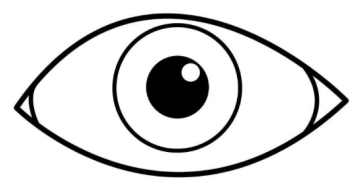


axis1 (pc)

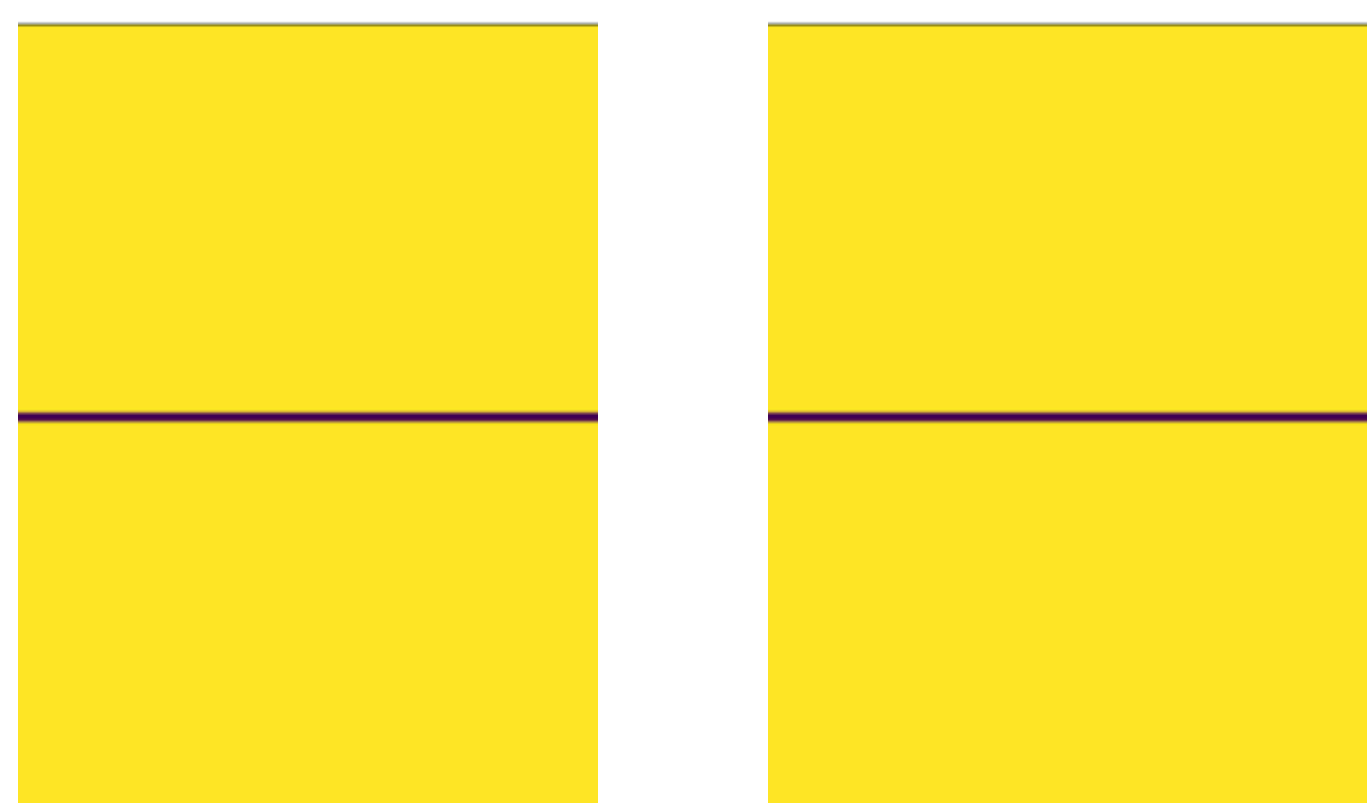
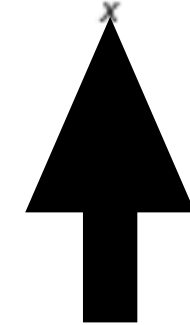
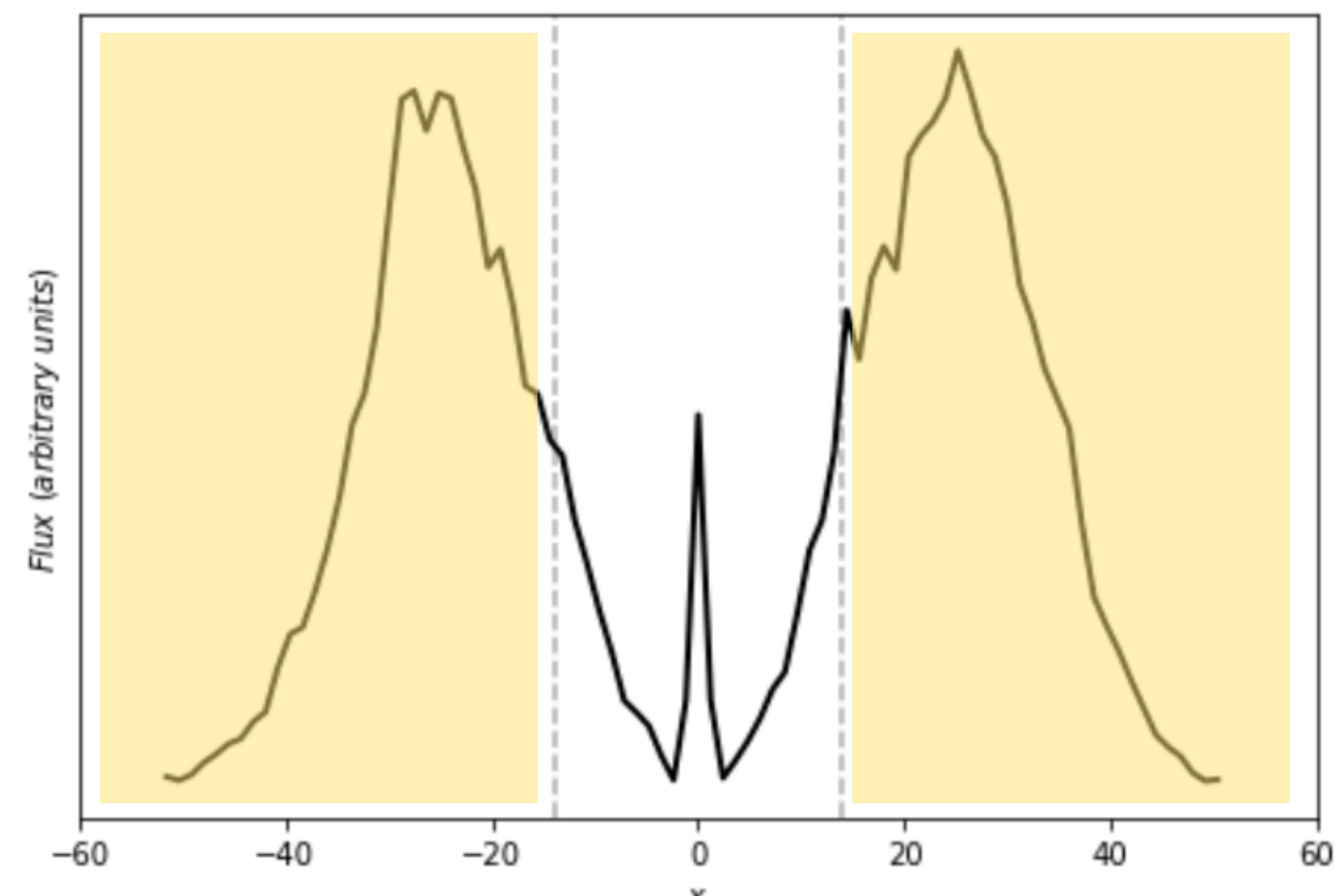
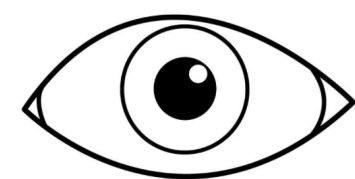


axis2 (pc)

Num Scatterings

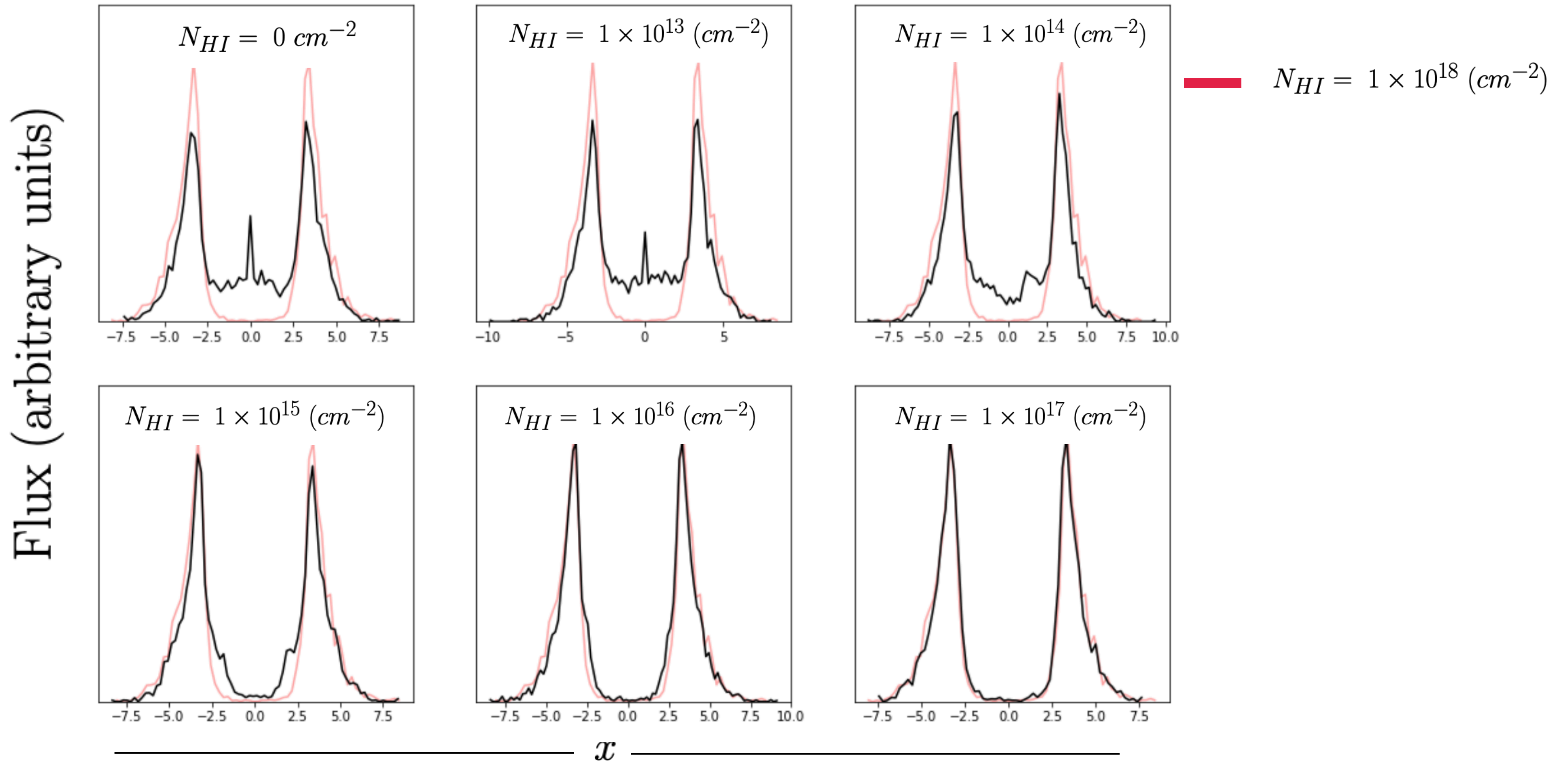


$$S_{away} = 0$$



$$S_{los} = S_{away}$$

Future: general gas distributions



Summary

- Radiative transfer simulations with empty channels reproduce triple peaked spectra.
- Very strong peaks are present if the observer line-of-sight is aligned with these channels.
- The line-of-sight channel and the presence/absence of material on the other side (hole away the line-of-sight) have a significant effect on the central region.
- The region away the line-of-sight plays an important role on the shape of the central peak

If no hole away the line-of-sight is present:

- Central fraction grows linearly with hole size
- Central fraction is relatively flat with respect to column density
- Central peak is also conformed by photons that scattered at the back .

Future: general gas distributions